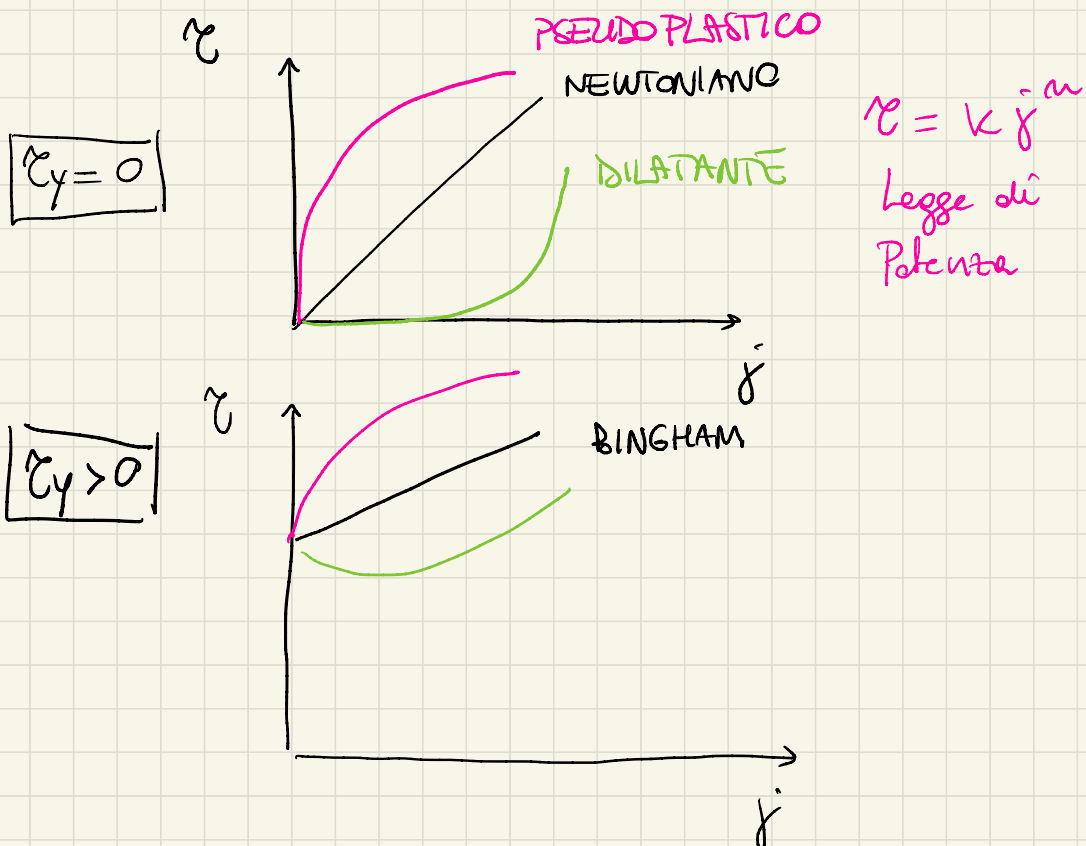


Viscosità dei fluidi polimerici

I fluidi polimerici allo stato fuso presentano un comportamento reologico

NON-NEWTONIANO



FLUIDI di HARSCHÉL e BULKLEY

$$\tau = \tau_y + k \dot{\gamma}^m$$

k = INDICE di CONSISTENZA $[Pa \cdot s^m]$

m = ESPONENTE

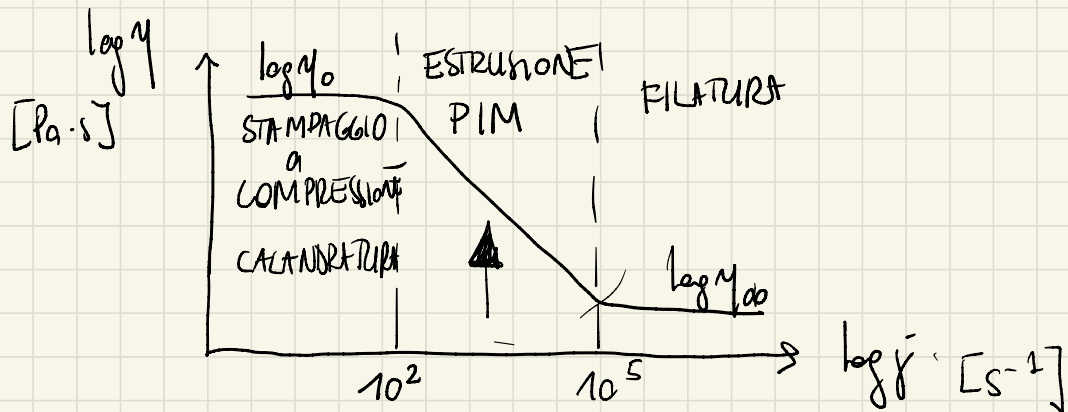
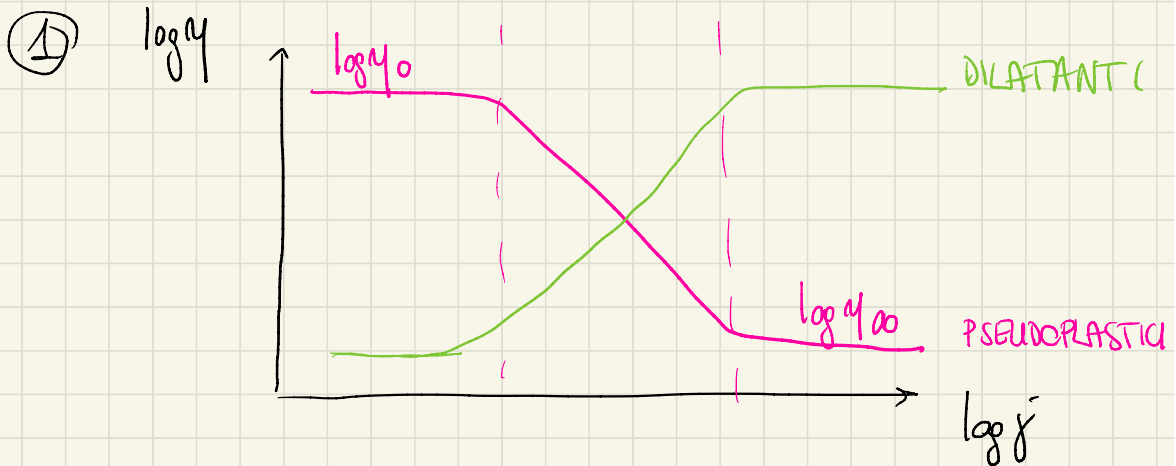
REOLOGIA FONDAMENTALE X

① I PROCESSI di TRASFORMAZIONE

$$T \gg T_g, \quad 10^1 \text{ s}^{-1} < \dot{\gamma} < 10^5 \text{ s}^{-1}$$

② PROPRIETÀ MECCANICHE $T \geq T_g$

COMPORTAMENTO VISCOELASTICO



$\log \eta \rightarrow \eta$
 VISCOSITÀ DINAMICA
 VISCOSITÀ APPARENTE
 VISCOSITÀ COMPLESSA

$\log \eta_0 \rightarrow \eta_0$
 VISCOSITÀ INTRINSECA
 ZERO SHEAR RATE VISCOSITY

$\log \eta_{\infty} \rightarrow \eta_{\infty}$
 VISCOSITÀ ad ELEVATE $\dot{\gamma}$
 INFINITE SHEAR RATE
 VISCOSITY

CROSS

$$\eta(\dot{\gamma}) = \eta_{\infty} + \frac{\eta_0 - \eta_{\infty}}{1 + (k\dot{\gamma})^m}$$

CARRERAU
YASUDA

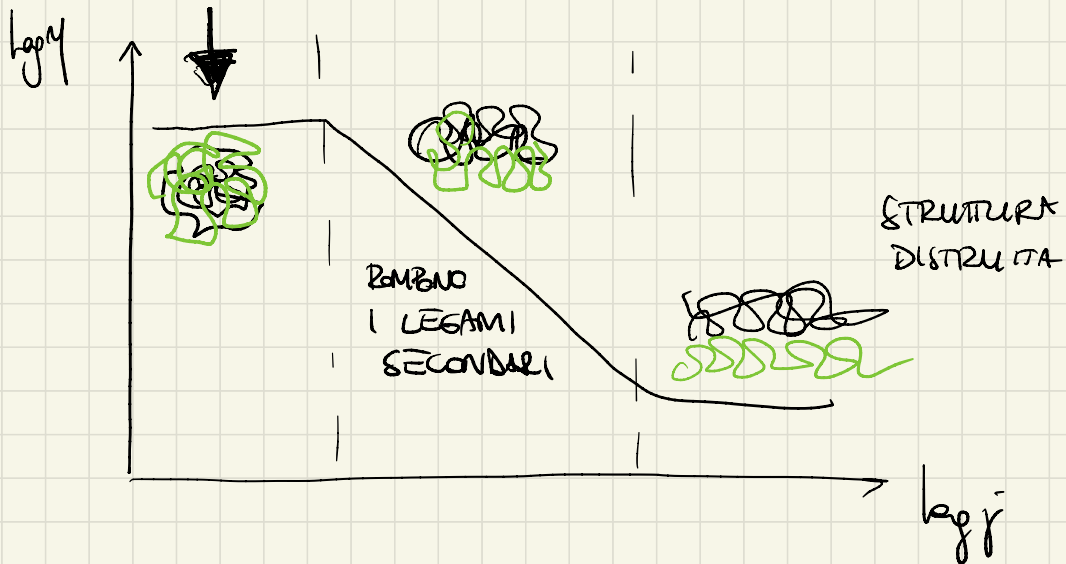
$$\eta(\dot{\gamma}) = \left[1 + (\lambda\dot{\gamma})^a \right]^{\frac{m-1}{a}} (\eta_0 - \eta_{\infty}) + \eta_{\infty}$$

↓
 TEMPO di
 RILASCIAMENTO del
 POLIMERO

a esponente
 m
 k

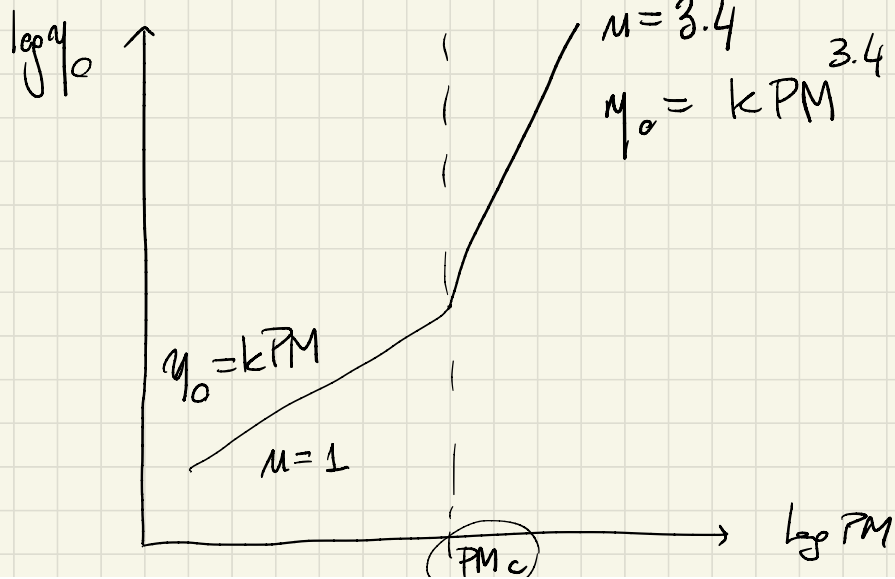
Legge di Potenza

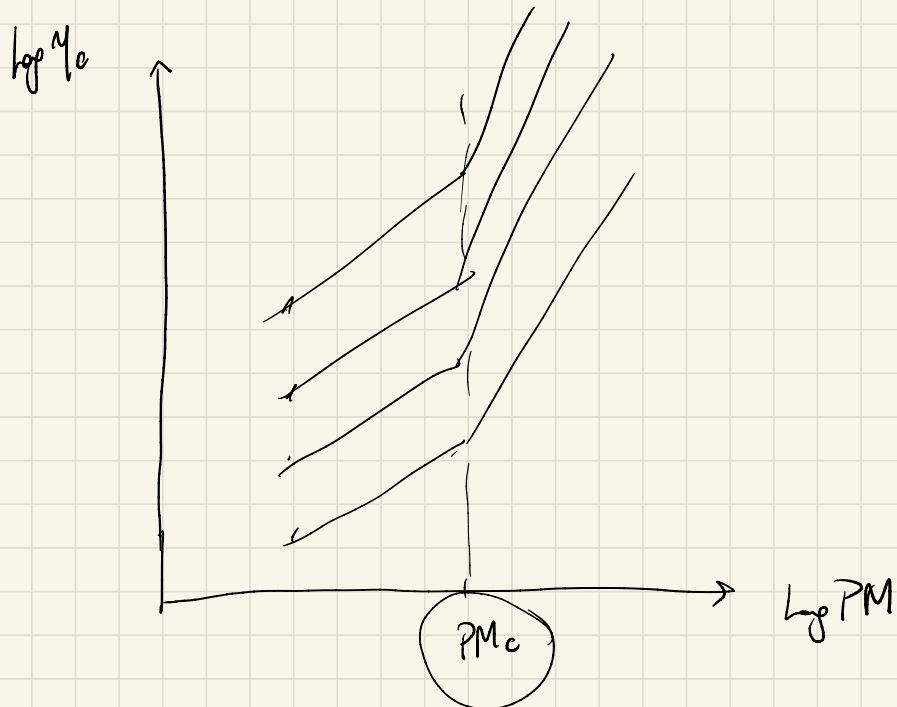
$$\eta(\dot{\gamma}) = k \dot{\gamma}^{n-1}$$



EFFETTO del PESO MOLECOLARE

$$\eta_0 = k PM^n$$





PROCESSI di RICICLO MECCANICO $PM > PM_c$

PRINCIPIO di EQUIVALENZA t-T

Metodo sperimentale utilizzato per parametrizzare una grandezza fisica es. VISCOSITÀ

FATTORE di SPOSTAMENTO a_T

$$\log a_T = \frac{-C_1 (T - T_r)}{C_2 + (T - T_r)}$$

Eq. ne di
William-Landel
Ferry
WLF

$$C_1 = 17.4 \text{ [-]}$$

$$C_2 = 51.6 \text{ [K] o [°C]}$$

Ricavata
Sperimentale

$$T_r = T_G$$

$$T_G < T < T_G + 200^\circ\text{C}$$

$$\log a_T = \log \frac{\eta(T)}{\eta(T_G)} = \frac{-C_1 \Delta T}{C_2 + \Delta T}$$

$$\log a_T = \log \frac{E(T)}{E(T_G)}$$

[$E(t, T)$ = Modulo di RILASSAMENTO
[$D(t, T)$ = Modulo di CREEP
↳ Proprietà meccaniche

ESERCIZIO

$$T_G = 95^\circ\text{C}$$

$$\eta_G = 10^{12} \text{ Pa}\cdot\text{s}$$

$$T_1 = 110^\circ\text{C}$$

$$\eta_1 = 4 \text{ MP}$$

- CALCOLARE T_P

- QUANTO VARIA η SE HO UN'OSCILLAZIONE
INTORNO a T_P di $\pm 1^\circ\text{C}$

APPLICO WLF

$$\log a_T = \log \frac{\eta_1}{\eta_G} = \frac{-c_1 (T_1 - T_G)}{c_2 + (T_1 - T_G)}$$

FATTORE di
SPOSTAMENTO

$$\begin{aligned} \log a_T &= \frac{-17.4 (110 - 95)}{51.6 + (110 - 95)} \\ &= \frac{-17.4 \times 15}{51.6 + 15} = -3.9 \end{aligned}$$

$$\log a_T = \log \eta_1 - \log \eta_G$$

$$\log \eta_1 = \log a_T + \log \eta_G$$

$$\log \eta_1 = -3.9 + 12 = 8.1$$

$$\eta_1 = 10^{8.1} \text{ [Pa}\cdot\text{s]}$$

Per $T \gg T_g$ $T > T_g + 200^\circ\text{C} \Rightarrow$ Arrhenius

$$\eta = A e^{\frac{E_{\text{att}}}{T}}$$

$$\eta_P = \frac{\eta_1}{4} = 10^{7.5} \text{ [Pa}\cdot\text{s]}$$

Riapplico WLF

$$\Delta T = T_P - T_G$$

$$\log a_T = \log \frac{\eta_P}{\eta_G} = \frac{-C_1 \Delta T}{C_2 + \Delta T}$$

$$\log a_T = \log \eta_P - \log \eta_G$$
$$\stackrel{!}{=} 7.5 - 12 = -4.5$$

$$-4.5 = \frac{-17.4 \cdot \Delta T}{51.6 + \Delta T}$$

$$+ 4.5(51.6 + \Delta T) = + 17.4 \Delta T$$

$$\Delta T = 18^\circ\text{C}$$

$$T_P - T_0 = 18^\circ\text{C}$$

$$T_P = 95^\circ\text{C} + 18^\circ\text{C} = 113^\circ\text{C} \mp 1^\circ\text{C}$$

Se $T_P = 114^\circ\text{C}$ quanto vale μ_P ?

Se $T_P = 112^\circ\text{C}$ " " μ_P ?

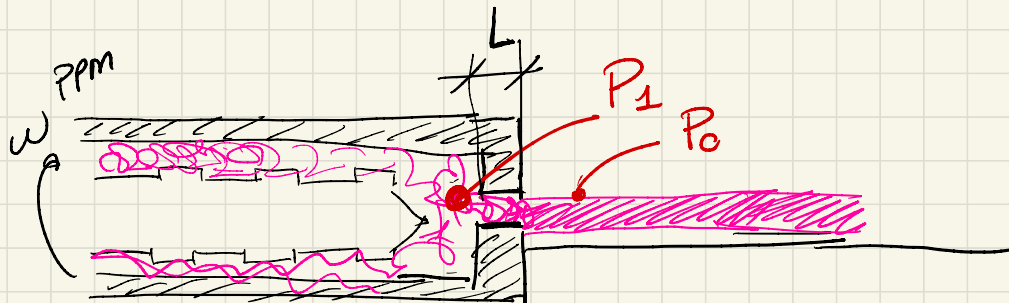
$$\log a_T = \frac{-C_1 \Delta T}{C_2 + \Delta T} = \frac{-17.4 \cdot 19}{51.6 + 19} = -4.6$$

$$-4.6 = \log \mu_P - 12$$

$$\log \mu_P = 12 - 4.6 = 7.3 \quad \mu_P = 10^{7.3} [\text{Pa}\cdot\text{s}]$$

$$\text{Se } \Delta T = 17^\circ\text{C} \rightarrow \mu_P = 10^{7.6} [\text{Pa}\cdot\text{s}]$$

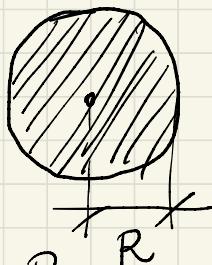
EFFETTO della VISCOSITÀ sul FLUSSO



Q FLUSSO VOLUMETRICO $\left[\frac{\text{cm}^3}{\text{s}} \right]$

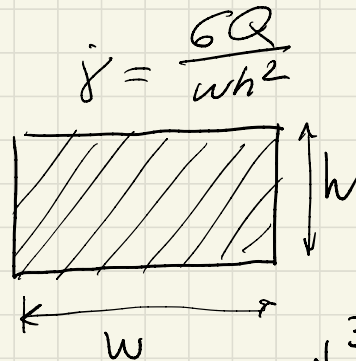
$$Q = k \frac{\Delta P}{\mu}$$

Fattore di Resistenza geometria dello stampo



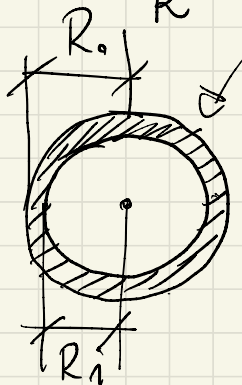
$$k = \frac{\pi R^4}{8L}$$

$$j = \frac{6Q}{\pi R^2}$$



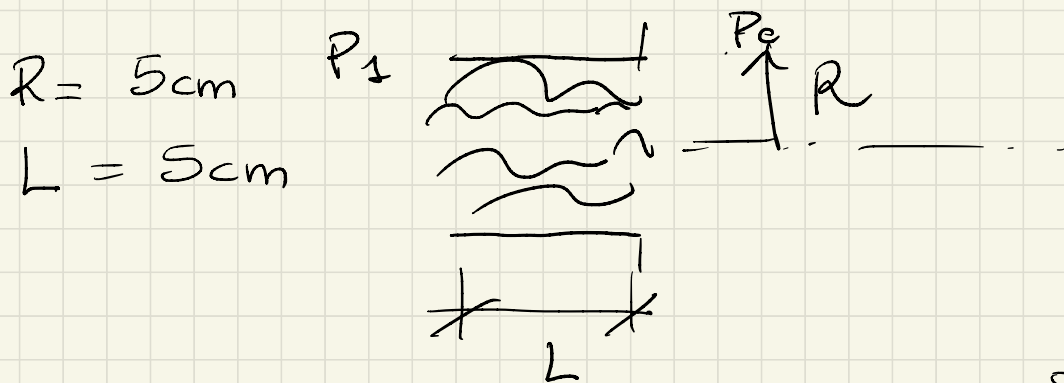
$$j = \frac{6Q}{wh^2}$$

$$k = \frac{wh^3}{12L}$$



$$k = \frac{2\pi (R_o^4 - R_i^4)}{12L}$$

$$j = \frac{6Q}{\pi (R_o^2 - R_i^2)h}$$



$P_1 = 10 \text{ bar} = 10^6 \text{ Pa}$
 $P_0 = 1 \text{ bar} = 10^5 \text{ Pa}$
 $\mu = 10^{7.5} \text{ Pa}\cdot\text{s}$

$1 \text{ bar} = 10^5 \text{ Pa}$

$$k = \frac{\pi R^4}{8L} = \frac{\pi \times 5^{34}}{8 \cdot 8}$$

$$= \frac{3.14 \times 5^3}{8} = 49 \text{ [cm}^3\text{]}$$

$$\Delta P = P_1 - P_0 = 10^6 - 10^5 = 9 \times 10^5 \text{ Pa}$$

$$Q = 49 \text{ [cm}^3\text{]} \frac{9 \times 10^8 \text{ [Pa]}^3}{10^{7.5} \text{ [Pa}\cdot\text{s}]}$$

$$Q = \frac{49 \times 9}{10^{2.5}} \left[\frac{\text{cm}^3}{\text{s}} \right]$$
$$= 1.4 \frac{\text{cm}^3}{\text{s}}$$

$$1h = 3600 \text{ s}$$

$$Q = 1.4 \times 3600 \frac{\text{cm}^3}{\text{h}}$$
$$= 5029 \left[\frac{\text{cm}^3}{\text{h}} \right]$$

$$V = L \cdot R^2 \cdot \pi$$

$$L = \frac{V}{\pi R^2} = \frac{5029}{\pi \cdot 5^2} = 64 \text{ cm}$$

In 1h estrude 64 cm