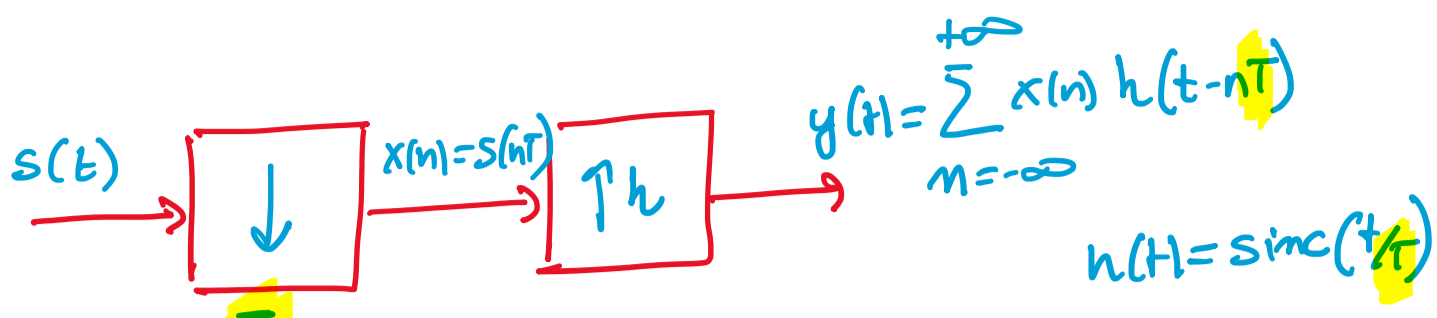
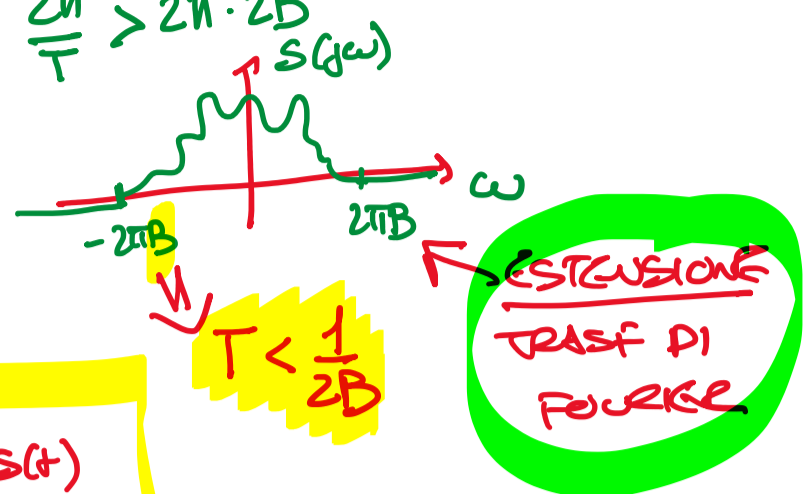


Es 1 PROPORRE UNO SCHEMA CAMP/RICOSTRUZIONE  
X IL SEGNALE  $s(t) = \text{sinc}^3(t)$



$T$  tale che  $\frac{2\pi}{T} > 2\pi \cdot 2B$



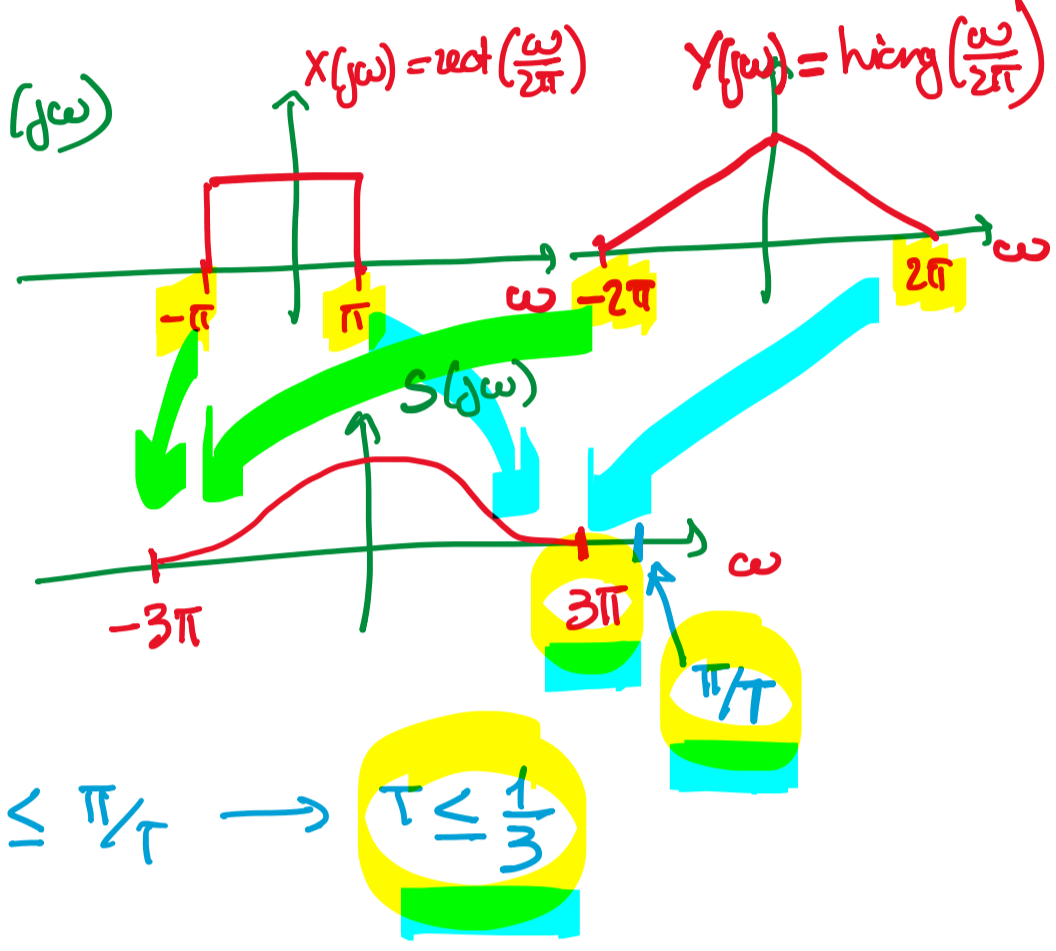
UNA RICOSTRUZIONE COERENTA ASSICURA  $y(t) = s(t)$   

$$\text{sinc}^3 s(t) = \sum_{n=-\infty}^{+\infty} \text{sinc}^3(nT) \text{sinc}\left(\frac{t-nT}{T}\right)$$

FORMULA DI RICOSTRUZIONE

$s(t) = \text{sinc}^3(t) = \underbrace{\text{sinc}(t)}_{x(t)} \cdot \underbrace{\text{sinc}^2(t)}_{y(t)}$

$S(jw) = \frac{1}{2\pi} X * Y(jw)$

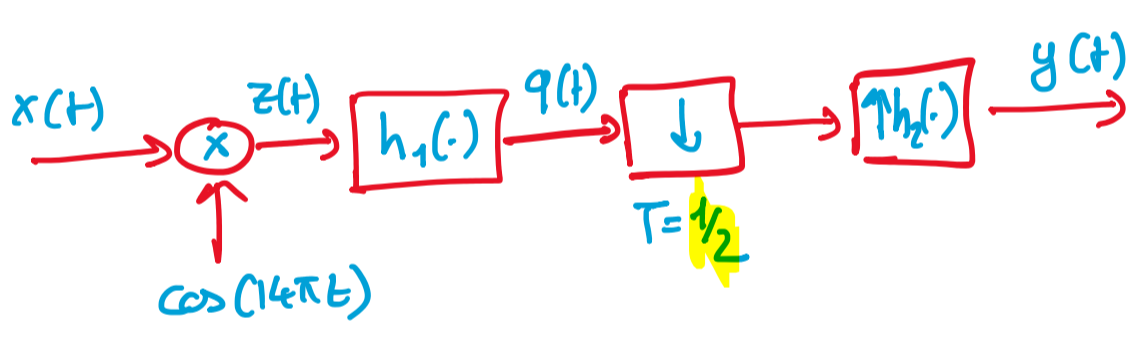


$3\pi = 2\pi \cdot B \rightarrow B = \frac{3\pi}{2\pi} = 3/2 \rightarrow T \leq \frac{1}{2B} = \frac{1}{2 \cdot \frac{3}{2}} = \frac{1}{3}$

$T = 1/3$

X OLSA PROVATE CON  $\text{sinc}^4$  E  $\text{sinc}^5$

Es 3



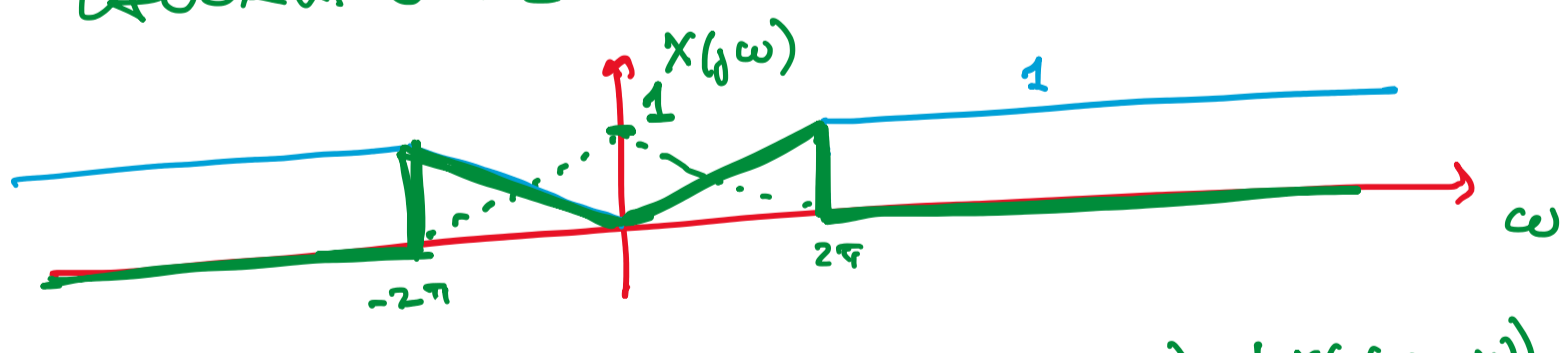
$X(jw) = \text{rect}\left(\frac{w}{4\pi}\right) \left(1 - \text{triang}\left(\frac{w}{2\pi}\right)\right)$

$H_1(jw) = 2 - 2\text{rect}\left(\frac{w}{28\pi}\right)$

$H_2(jw) = \frac{1}{2} \text{rect}\left(\frac{w}{4\pi}\right)$

$y(t) = ?$

LAVORIAMO NEL DOMINIO DI FOURIER



$Z(jw) = \frac{1}{2} X(j(\omega - \omega_0)) + \frac{1}{2} X(j(\omega + \omega_0))$   
 $\omega_0 = 14\pi$

