

XOR using perceptron algorithm ($A \oplus B$)

We already know how we can implement AND & OR using perceptron.

For AND, we can have $w_1 = w_2 = 1$

$$b = -1.5$$

For OR, we can have $w_1 = w_2 = 1$

$$b = -0.5$$

Now ~~for~~ we define NOT as well, as we could require that for XOR. We just have one input here. Therefore, just one weight

$$w = -1 \quad \& \quad b = 0.5$$

$A \oplus B$ can be defined as $A \oplus B = (A + B) \cdot (\bar{A} + \bar{B})$

We can use this equation & the above mentioned weights to evaluate XOR.