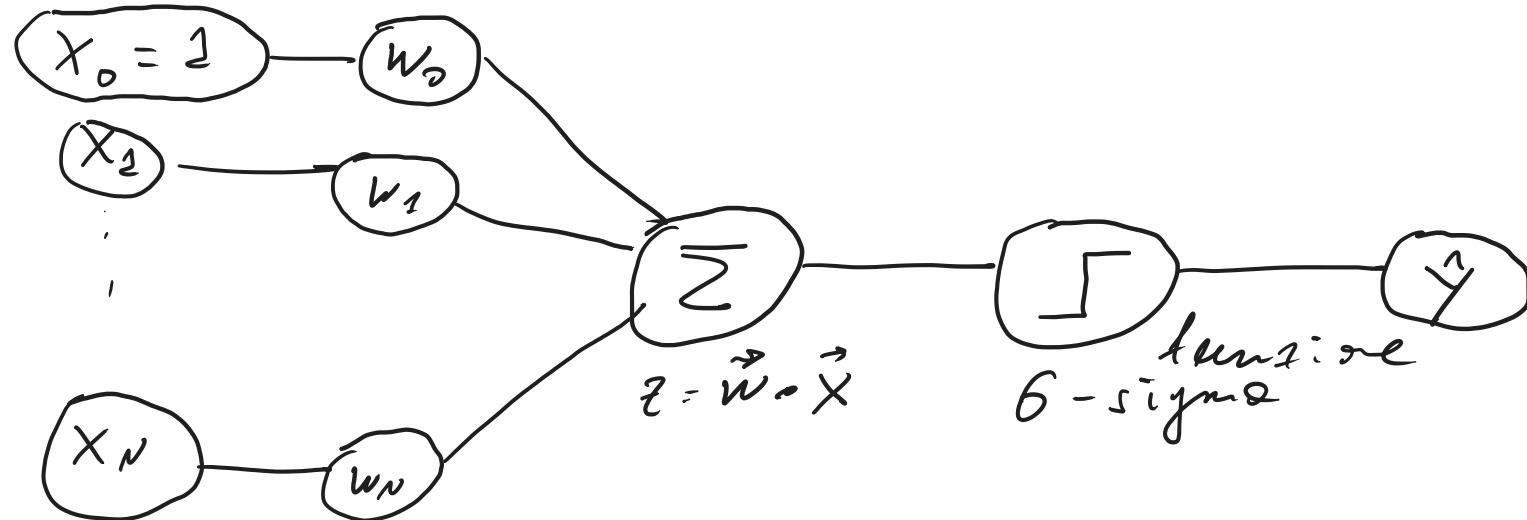
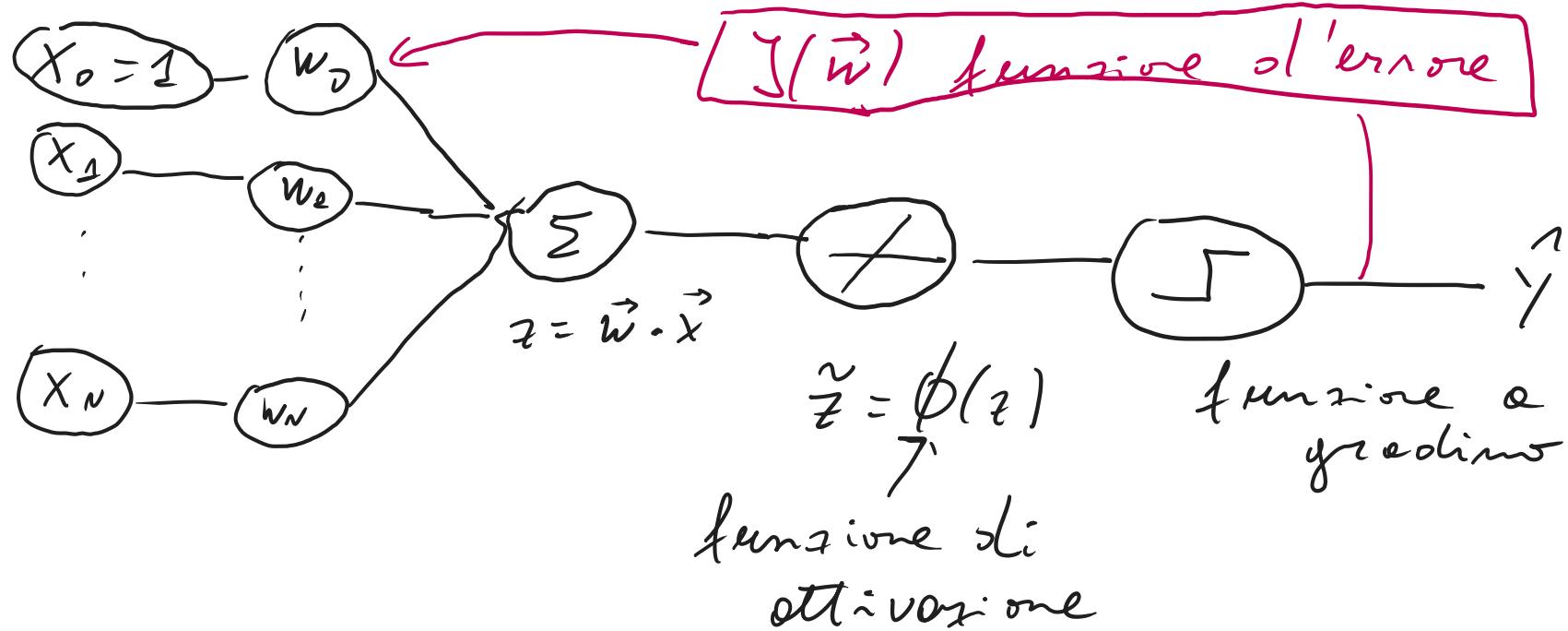


Perceptron



ADELINE (Adaptive linear neuron)



NB in ADELINE
 $\phi(z) = z$

$$J(\vec{w}) = \frac{1}{2} \sum_{i=1, N_{\text{sample}}} (y^i - \phi(\vec{w} \cdot \vec{x}^i))^2$$

con \vec{x}^i features dell'i-esimo sample

$$\begin{aligned} \frac{\partial J}{\partial w_j} &= \frac{\partial}{\partial w_j} \frac{1}{2} \sum_{i=1, N_{\text{sample}}} (y^i - \phi(\vec{w} \cdot \vec{x}^i))^2 \\ &= \sum_{i=1, N_{\text{sample}}} -(y^i - \vec{w} \cdot \vec{x}^i) x_j^i \end{aligned}$$

Algoritmo iterativo

$$\vec{w} = \vec{w} - \gamma \vec{J}$$

piccolo intero positivo

Stochastic gradient descent (uso ad ogni ciclo set riottito di samples: determinato casualmente).

Se ho più classi uso la strategia ONE VERSUS ALL (ROST) OVA \Rightarrow OVR

STANDARDIZZAZIONE

Se la feature j-esima ha valore medio μ_j e deviazione standard σ_j

$$x'_j = \frac{x_j - \mu_j}{\sigma_j}$$