

P Proton
positively charged

N Neutron
neutral charge

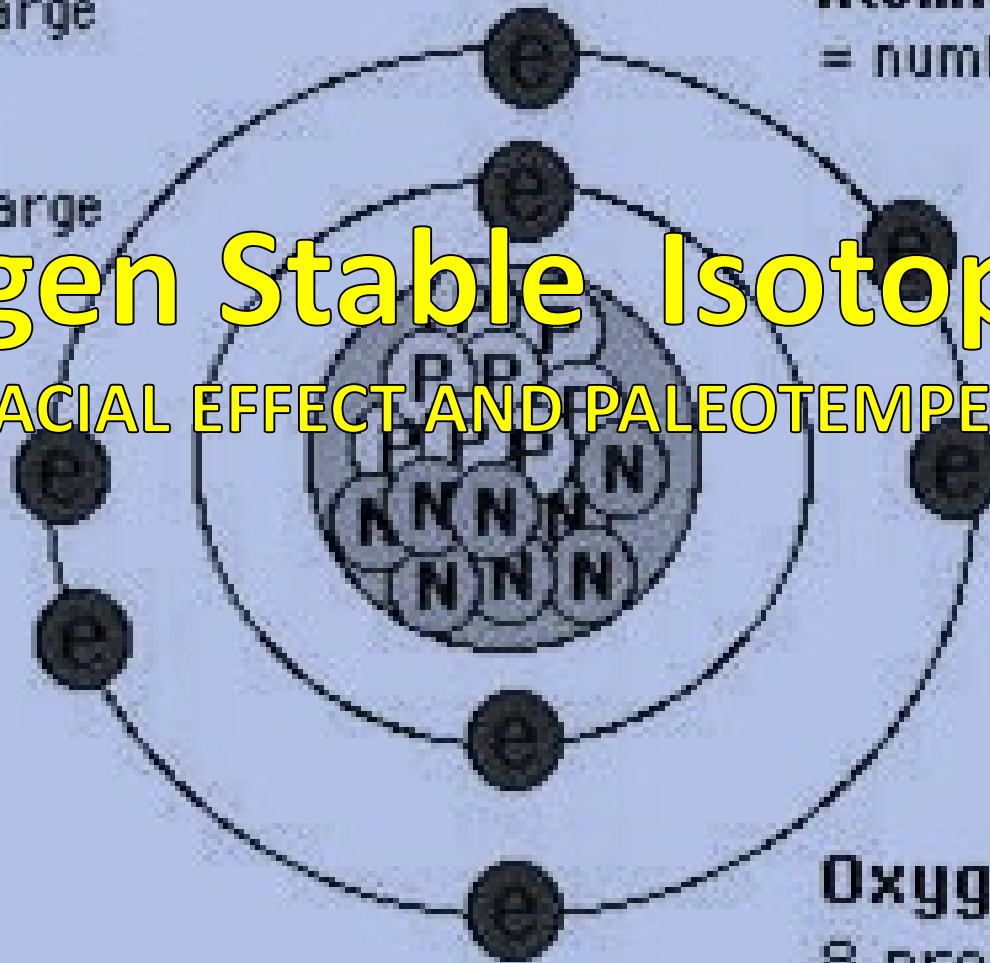
e Electron
negative charge

Mass number (A)
= number of protons + neutrons,
determines atomic weight

Atomic number (Z)
= number of protons

Oxygen Stable Isotopes:

GLACIAL EFFECT AND PALEOTEMPERATURE



Oxygen
8 protons,
8 neutrons

SUMMARY

- PALEOTEMPERATURE EQUATION
- $\delta^{18}\text{O}$: PALEOTEMPERATURE
- $\delta^{18}\text{O}$: GLACIAL EFFECT

PREMISE

The analysis of stable oxygen and carbon isotopes in carbonate shells of planktonic and benthic foraminifera is a key component of research in stratigraphy, paleontology, paleoceanography, paleoclimatology, and paleoecology.

HAROLD UREY'S INTUITION - 1



Harold Urey (1893-1981). American chemist-physicist. He studied thermodynamics and molecular structures. This led him in 1931 to develop isotope separation techniques that allow him to discover deuterium and obtain **heavy water**. In 1934, he won the Nobel Prize in Chemistry. These discoveries were fundamental for the development of atomic energy. He was interested in geophysics and physics-chemistry of celestial bodies. With Stanley L. Miller he carried out an experiment on the origin of life on Earth in 1953, obtaining the synthesis of **amino acids** (the building blocks of living compounds) in a device that simulated the chemical and electrical conditions of the primordial earth's atmosphere.

PAST TEMPERATURE

Many principles of isotopic geochemistry trace back to Urey, who sought a method to determine past geological temperatures.

He deduced, through thermodynamic fractionation, that as temperature rises, more ^{16}O is incorporated into calcite shells of marine fossils, as ^{16}O has greater vibrational energy than ^{18}O and is more easily integrated into the crystalline structure.

HAROLD UREY'S INTUITION - 2

In 1948, Urey published a paper in Nature stating:

"The ratio of stable oxygen isotopes (^{18}O / ^{16}O) in CaCO_3 depends on the temperature of the water from which they precipitate."



In other words

Temperature ($^{\circ}\text{T}$) controls the oxygen isotopic ratios between water (H_2O) and calcite (CaCO_3).

Urey believed that analyzing isotope ratios in fossil calcite could reveal the temperatures of the water where these organisms once lived. His vision was:



OXYGEN ISOTOPES IN CARBONATES COULD SERVE AS A PALEOTHERMOMETER

EPSTEIN ET AL.' EQUATION (1951)...

It is the first (polynomial) equation for reconstructing past paleotemperatures:

$$T = 16,5 - 4,3 (\delta_{\text{carb}} - \delta_{\text{seawater}}) + 0,14 (\delta_{\text{carb}} - \delta_{\text{seawater}})^2$$

δ_{carb} isotopic composition (measured) of the sample (carbonate)

δ_{seawater} sea water isotopic composition in which carbonate precipitates

This equation shows that by measuring the isotopic composition of carbonate, we can determine the temperature at which it formed.

Note: Both δ_{carb} and δ_{seawater} of modern oceans can be measured in labs. For fossil samples, δ_{seawater} was initially assumed to be constant.

OTHER PALEOTEMPERATURE EQUATIONS

Over time, Urey's original paleotemperature equation has been gradually refined based on experimental data. Below are some of the proposed equations:

PALEOTEMPERATURE EQUATIONS:

Epstein *et al.*, 1951

$$T = 16.5 - 4.3 (\delta_{\text{sample}} - \delta_{\text{water}}) + 0.14 (\delta_{\text{sample}} - \delta_{\text{water}})^2$$

Craig, 1965

$$T = 16.9 - 4.2 (\delta_{\text{sample}} - \delta_{\text{water}}) + 0.13 (\delta_{\text{sample}} - \delta_{\text{water}})^2$$

Shackleton, 1967

$$T = 16.9 - 4.38 (\delta_{\text{sample}} - \delta_{\text{water}}) + 0.1 (\delta_{\text{sample}} - \delta_{\text{water}})^2$$

O'Neil *et al.*, 1969

$$T = 16.9 - 4.38 (\delta_{\text{sample}} - \delta_{\text{water}}) + 0.10 (\delta_{\text{sample}} - \delta_{\text{water}})^2$$

Horibe & Oba, 1972

$$T = 17.04 - 4.34 (\delta_{\text{sample}} - \delta_{\text{water}}) + 0.16 (\delta_{\text{sample}} - \delta_{\text{water}})^2$$

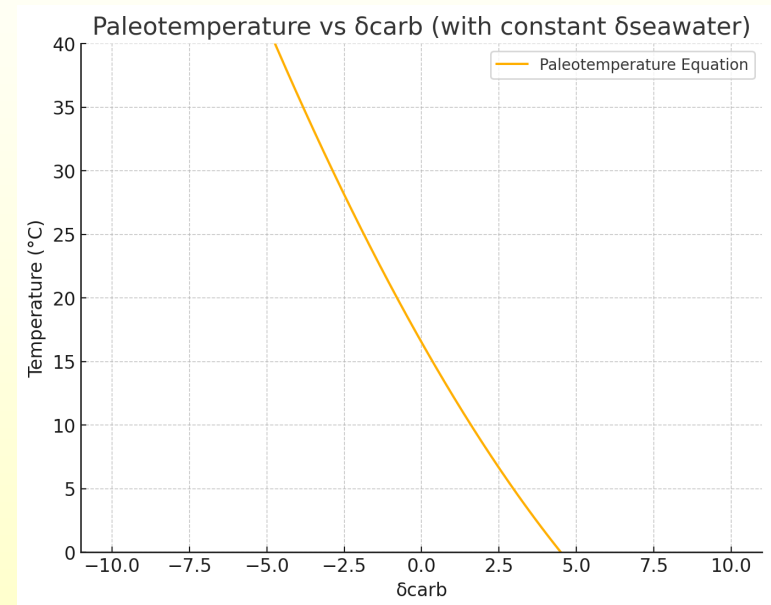
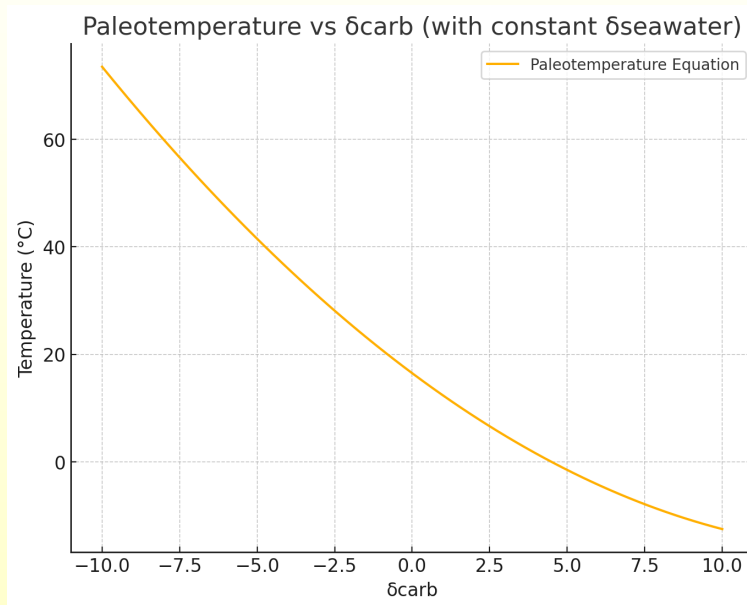
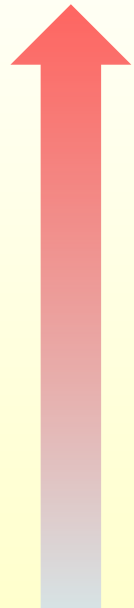
Erez & Luz, 1983

$$T = 17 - 4.52 (\delta_{\text{sample}} - \delta_{\text{water}}) + 0.03 (\delta_{\text{sample}} - \delta_{\text{water}})^2$$

$$\delta^{18}\text{O} = \frac{{}^{18}\text{O}/{}^{16}\text{O}_{\text{sample}} - {}^{18}\text{O}/{}^{16}\text{O}_{\text{standard}}}{{}^{18}\text{O}/{}^{16}\text{O}_{\text{standard}}} \times 1000$$

Relationship TEMPERATURE/ δ_{carb}

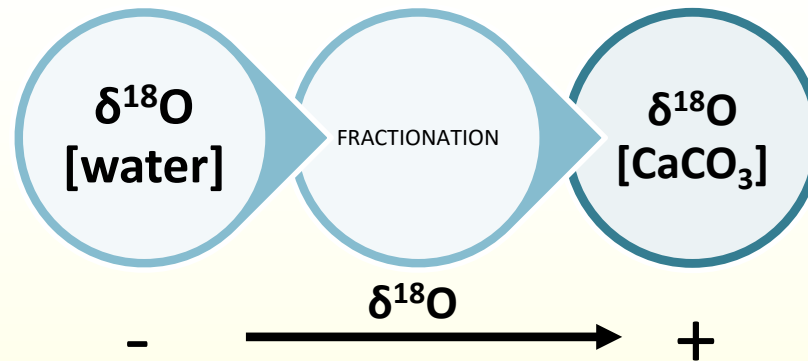
$$T = 16.5 - 4.3 (\delta_{\text{carb}} - \delta_{\text{seawater}}) + 0.14 (\delta_{\text{carb}} - \delta_{\text{seawater}})^2$$



$$\delta_{\text{seawater}} = \text{constant}$$

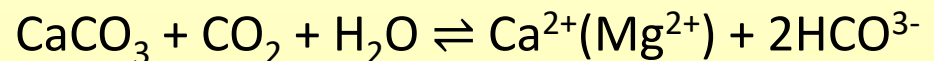
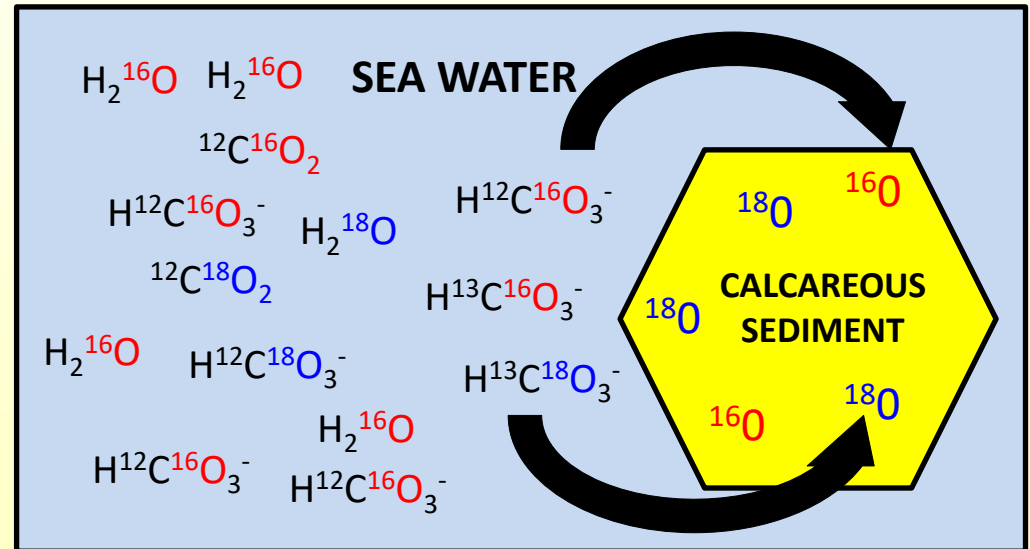
The equation is a quadratic equation. Quadratic equations are second-degree polynomial equations. This results in a parabolic shape, typical of quadratic equations, where the curve first decreases and then increases.

OXYGEN ISOTOPE FRACTIONATION (CARBONATE) - 1

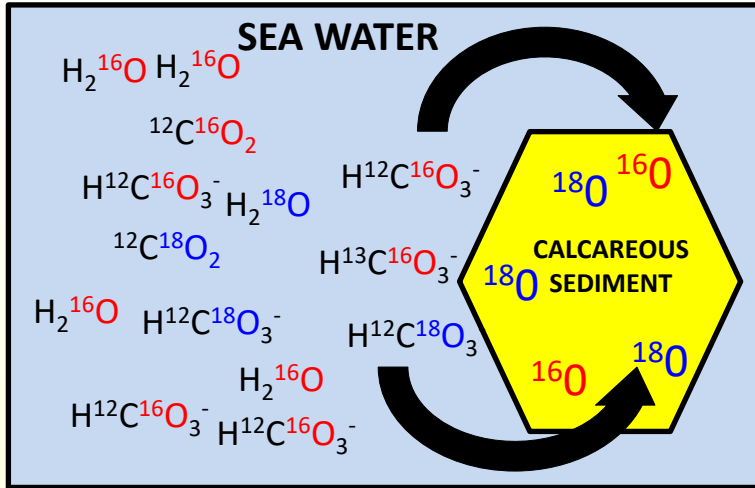


COSTANT TEMPERATURE

other fractionation processes, control the isotopic composition at the equilibrium between reactants ($\delta^{18}\text{O}_{\text{sw}}$) and products ($\delta^{18}\text{O}_{\text{carb}}$). Organisms secrete CaCO_3 "almost" in equilibrium with sea water, their shells are enriched (albeit slightly) in ^{18}O relative to the isotopic composition of water.

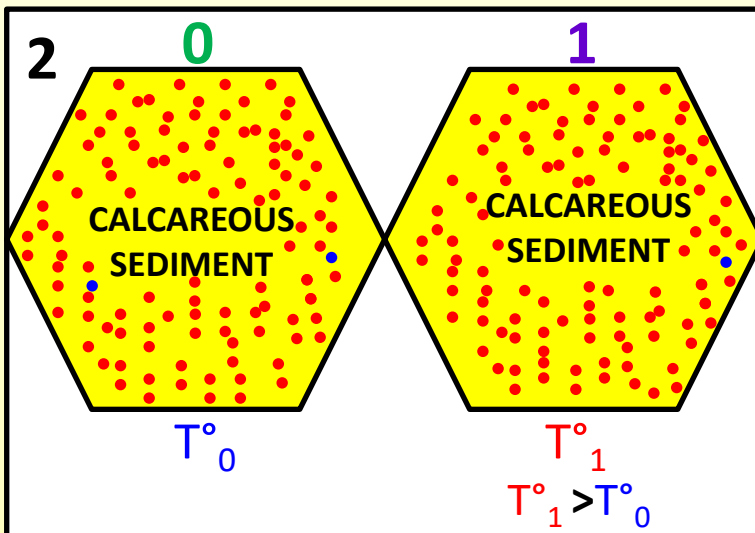


OXYGEN ISOTOPE FRACTIONATION (CARBONATE) - 2



NON COSTANT TEMPERATURE

Urey et al. experimentally established the relationship between Temp ($^{\circ}\text{C}$) and the isotopic composition of CaCO_3 in marine shells. **They found that as temperature increases, the $\delta^{18}\text{O}$ value becomes more negative (enrichment in ^{16}O).**



Initial State (Figure 2.0):

At time t_0 and temperature $T^{\circ}\text{C}_0$:

$$^{18}\text{O}/^{16}\text{O}_{\text{sample}} = 2/100 = 0.02$$

Final State (Figure 2.1):

At time t_1 , with $T^{\circ}\text{C}_1 > T^{\circ}\text{C}_0$, organisms continue to fix ^{18}O , but to a lesser extent:

$$^{18}\text{O}/^{16}\text{O}_{\text{sample}} = 1/101 = 0.01$$

NUMERICAL EXAMPLES

You are given the following isotope ratios for two samples:

• **SAMPLE A:**

- $R_{\text{sample}} = {}^{18}\text{O}/{}^{16}\text{O} = 101/1000 = 0.101$
- $R_{\text{standard}} = {}^{18}\text{O}/{}^{16}\text{O} = 100/1000 = 0.100$

• **SAMPLE B:**

- $R_{\text{sample}} = {}^{18}\text{O}/{}^{16}\text{O} = 99/1000 = 0.099$
- $R_{\text{standard}} = {}^{18}\text{O}/{}^{16}\text{O} = 100/1000 = 0.100$

Calculate the $\delta^{18}\text{O}$ for both samples using the formula:

$$\delta^{18}\text{O} = \left(\frac{R_{\text{sample}}}{R_{\text{standard}}} - 1 \right) \times 1000$$

After calculating the $\delta^{18}\text{O}$ values, which of the following statements is correct?

- A) SAMPLE A is enriched in ${}^{16}\text{O}$ compared to SAMPLE B, indicating a higher temperature for SAMPLE A.
- B) SAMPLE B is enriched in ${}^{16}\text{O}$ compared to SAMPLE A, indicating a higher temperature for SAMPLE B.
- C) Both samples have the same temperature as their R_{standard} values are the same.
- D) SAMPLE A has a higher temperature than SAMPLE B because it has a higher R_{sample} value.

After calculating the $\delta^{18}\text{O}$ values, which of the following statements is correct??

← Exit

Go to **wooclap.com** and use the code **PCCM24**



After calculating the $\delta^{18}\text{O}$ values, which of the following statements is correct?

1 SAMPLE A is enriched in ^{16}O compared to SAMPLE B, indicating a higher temperature for SAMPLE A

0% 0

2 SAMPLE B is enriched in ^{16}O compared to S

0% 0

3 Both samples have the same temperature a

0% 0

4 SAMPLE A has a higher temperature than S

0% 0



wooclap

Quest

0 / 52



NUMERICAL EXAMPLES

$$\delta^{18}\text{O} (\text{‰}) = \left[\left(\frac{R_{\text{sample}}}{R_{\text{stand}}} \right) - 1 \right] \times 1000$$

SAMPLE A

$$R_{\text{sample}} = \frac{{}^{18}\text{O}}{{}^{16}\text{O}} = \frac{101}{1000} = 0.101$$

By convention we assume that

$$R_{\text{standard}} = \frac{{}^{18}\text{O}}{{}^{16}\text{O}} = \frac{100}{1000} = 0.100$$

$$\delta^{18}\text{O} (\text{‰}) = \left(\frac{R_{\text{sample}}}{R_{\text{stand}}} - 1 \right) \times 1000$$

$$\delta^{18}\text{O} (\text{‰}) = (0.101/0.100 - 1) \times 1000$$

$$\delta^{18}\text{O} (\text{‰}) = 0.01 \times 1000 = 10\text{‰}$$

SAMPLE A is enriched in ${}^{18}\text{O}$ with respect to the standard

SAMPLE B

$$R_{\text{sample}} = \frac{{}^{18}\text{O}}{{}^{16}\text{O}} = \frac{99}{1000} = 0.099$$

By convention we assume that

$$R_{\text{standard}} = \frac{{}^{18}\text{O}}{{}^{16}\text{O}} = \frac{100}{1000} = 0.100$$

$$\delta^{18}\text{O} (\text{‰}) = \left(\frac{R_{\text{sample}}}{R_{\text{stand}}} - 1 \right) \times 1000$$

$$\delta^{18}\text{O} (\text{‰}) = (0.099/0.100 - 1) \times 1000$$

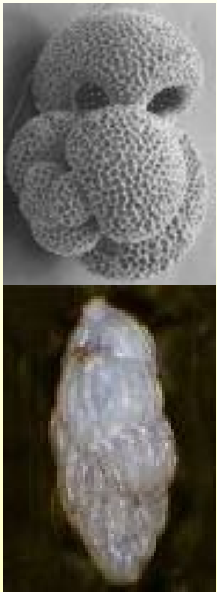
$$\delta^{18}\text{O} (\text{‰}) = -0.01 \times 1000 = -10\text{‰}$$

SAMPLE B is enriched in ${}^{16}\text{O}$ with respect to the standard

The $\delta^{18}\text{O}$ of **SAMPLE B** (-10‰) is relatively enriched in ${}^{16}\text{O}$ compared to **SAMPLE A** (+10‰) The $\delta^{18}\text{O}$ of **SAMPLE B** reflects a higher temperature than **SAMPLE A**

WHAT TO MEASURE?

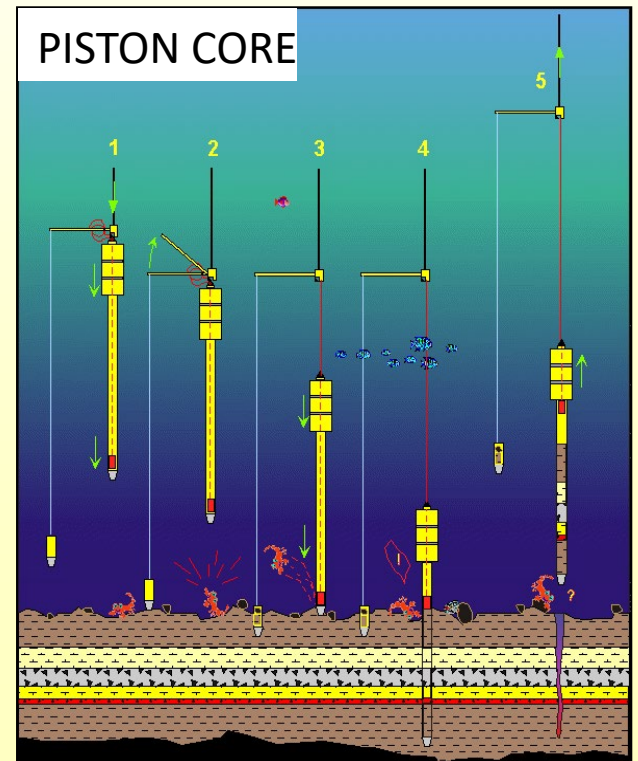
Urey and his team initially used **bivalves** for their experiments but soon realized it was better to use more common fossils, found more consistently and across various environments.



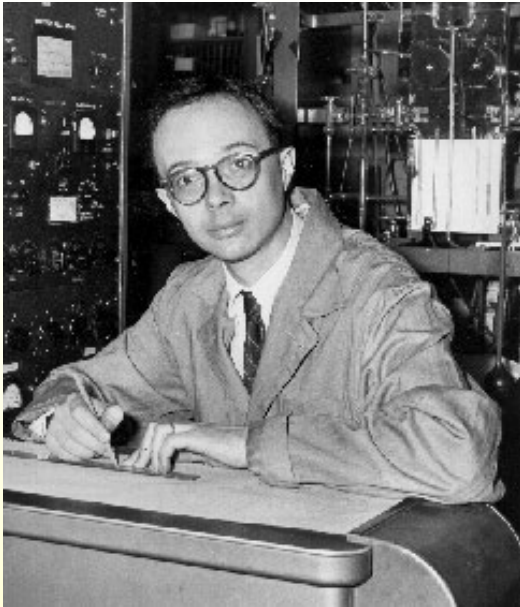
By the 1950s, rudimentary techniques had been developed to collect 10-20m long **ocean floor cores** ("piston cores").

These contained abundant and continuous **planktonic foraminifera**, while benthic foraminifera were present in much lower frequencies in pelagic deposits.

Urey established a position in his lab to study stable oxygen isotopes in planktonic foraminifera shells, which was filled by a young Italian micropaleontologist.



CESARE EMILIANI: ISOTOPES E FORAMS

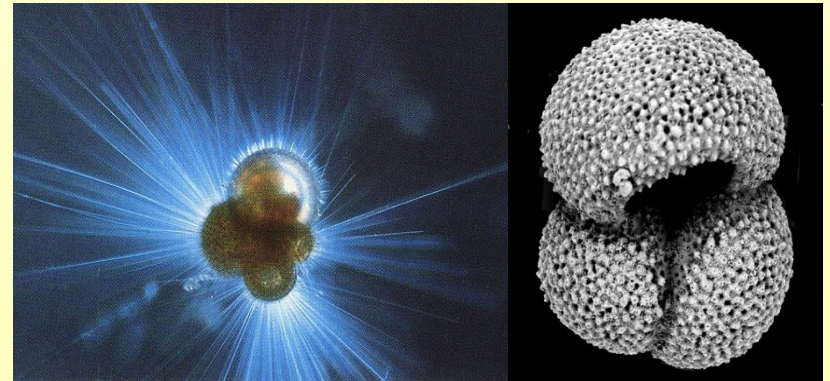


Born in Bologna in 1922, he graduated in Natural Sciences in 1945 with a thesis in Micropaleontology. After working for AGIP, he joined Urey's lab in 1950 to pursue a doctorate, focusing on stable oxygen isotopes in foraminifera, which he had studied in Italy. Later, he moved to the University of Miami and became a pioneer of modern Paleoceanography. He passed away in 1992.



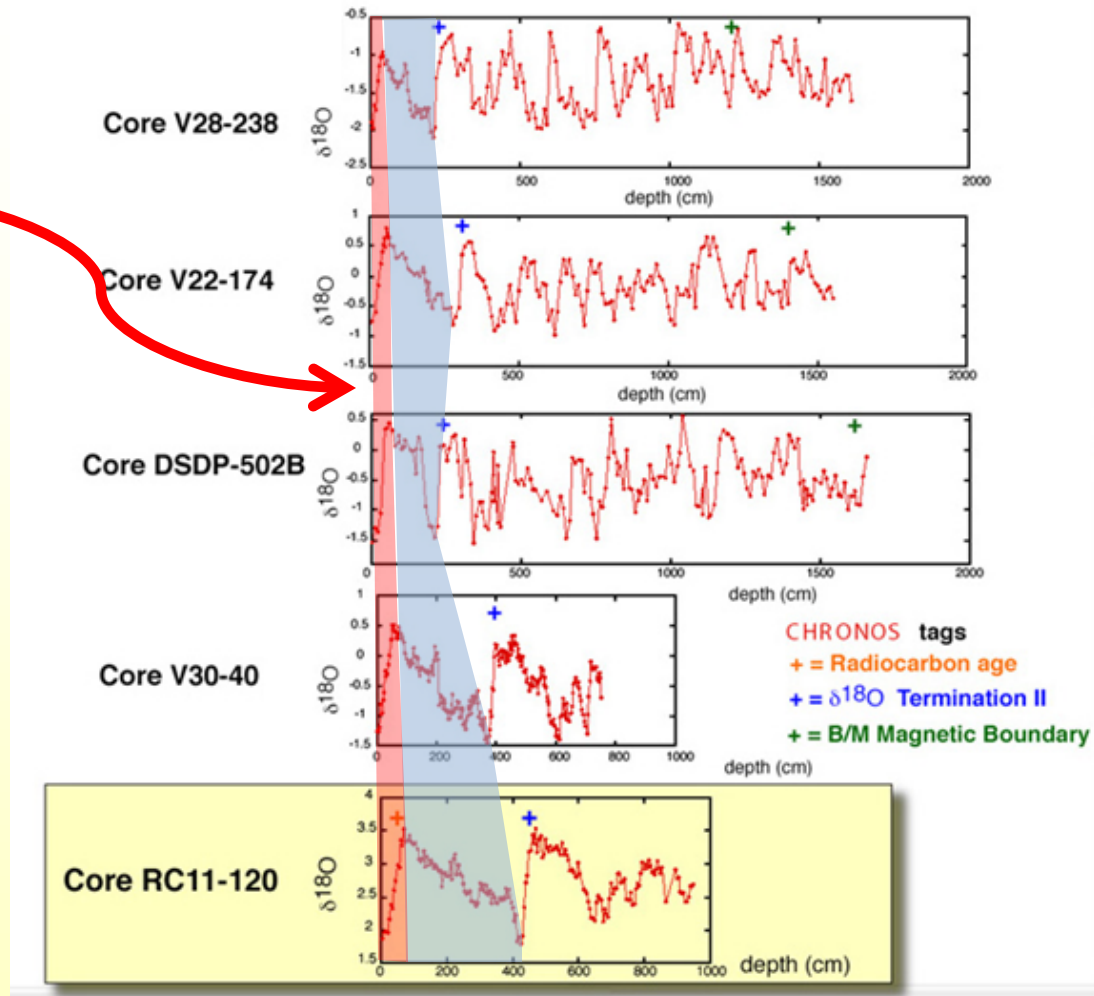
After a few years of work, Emiliani published his first isotopic curves based on planktonic foraminifera from cores collected in the Caribbean and Mediterranean.

These cores spanned from the Holocene to the late Pleistocene and revealed that...



EXAMPLES OF ISOTOPIC $\delta^{18}\text{O}$ CURVES

Holocene



- 1) The $\delta^{18}\text{O}$ varies cyclically
- 2) The Holocene values (hot-red) are "lighter"
- 3) The underlying Pleistocene values (glacial-blue) are "heavier" ($\Delta = \sim 1.5\text{-}2\text{ ‰}$)
- 4) The curves are similar in various areas and perfectly correlated.

$\delta^{18}\text{O}$ CURVES AS A PROXY FOR PAST CLIMATE

The oxygen isotopes reflect the glacial-interglacial climatic cycles that geologists had been studying for over a century on the land, with enormous difficulties in establishing NUMBER and CHRONOLOGY (Alpine chronology).

The enthusiasm was enormous, but discussions began.

The first inconsistencies began to emerge.

Almost all the scientists believed that $\delta^{18}\text{O}$ was a "proxy" of the climate, but **many were skeptical about the value of the direct (and quantitative) correlation between oxygen isotopes and temperature.**

$\delta^{18}\text{O}$: IS IT A PALEOTEMPERATURE PROXY?

Urey and Emiliani speculated that $\delta^{18}\text{O}$ was a paleotemperature proxy, but solving the paleotemperature equation requires knowing two variables: δ_{carb} and δ_{seawater} .

$$T = 17 - 4.52 (\delta_{\text{carb}} - \delta_{\text{seawater}}) + 0.03 (\delta_{\text{carb}} - \delta_{\text{seawater}})^2 \quad \Rightarrow \text{Erex \& Luz (1983)}$$

δ_{carb} measurable in the rocks

δ_{seawater} ?

Initially, it was assumed δ_{seawater} remained constant throughout geological time, but this proved unrealistic.

Assuming constant δ_{seawater} led to inconsistent paleotemperature values, as δ_{carb} variations couldn't be explained by temperature alone without suggesting implausible temperature changes (see next slide).

$\delta^{18}\text{O}$: IS IT A PALEOTEMPERATURE PROXY?

Example:

$$\delta_{\text{seawater}} = 0 \quad \delta_{\text{carb}} = 5$$

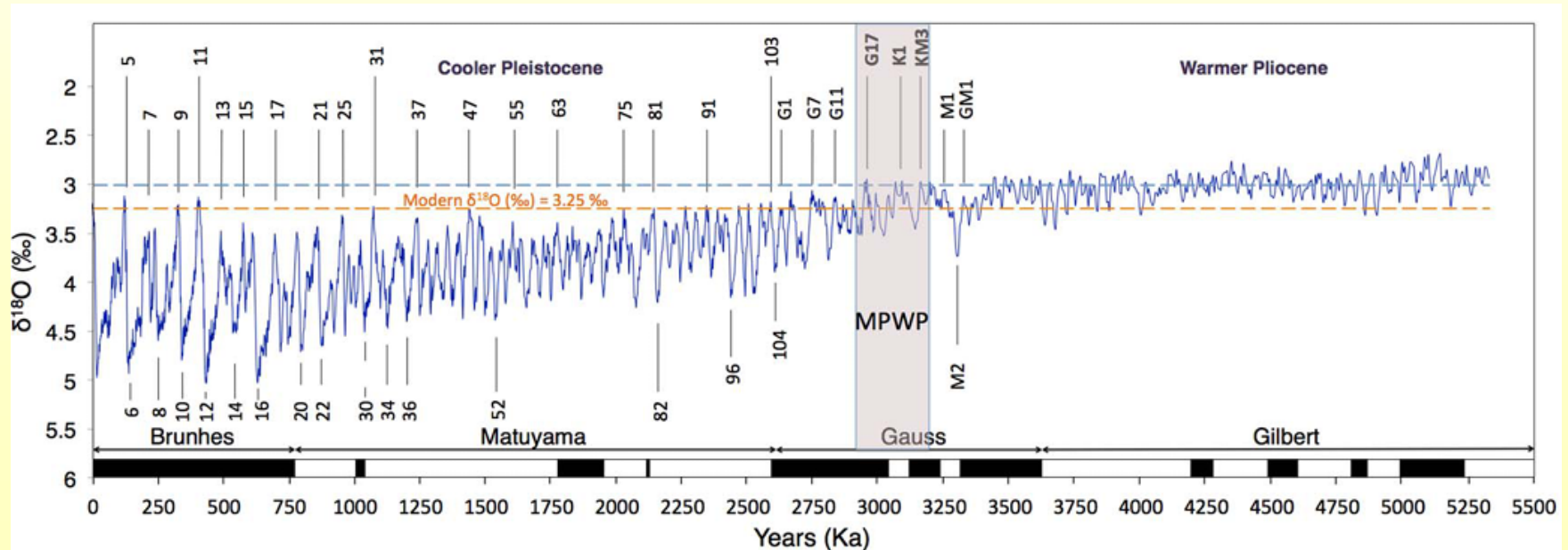
$$T = 17 - 4.52(5 - 0) + 0.03(5 - 0)^2 = 17 - 22.6 + 0.75 = -4.85$$

$$\delta_{\text{seawater}} = 0 \quad \delta_{\text{carb}} = 3$$

$$T = 17 - 4.52(3 - 0) + 0.03(3 - 0)^2 = 17 - 13.9 + 0.27 = 3.37$$

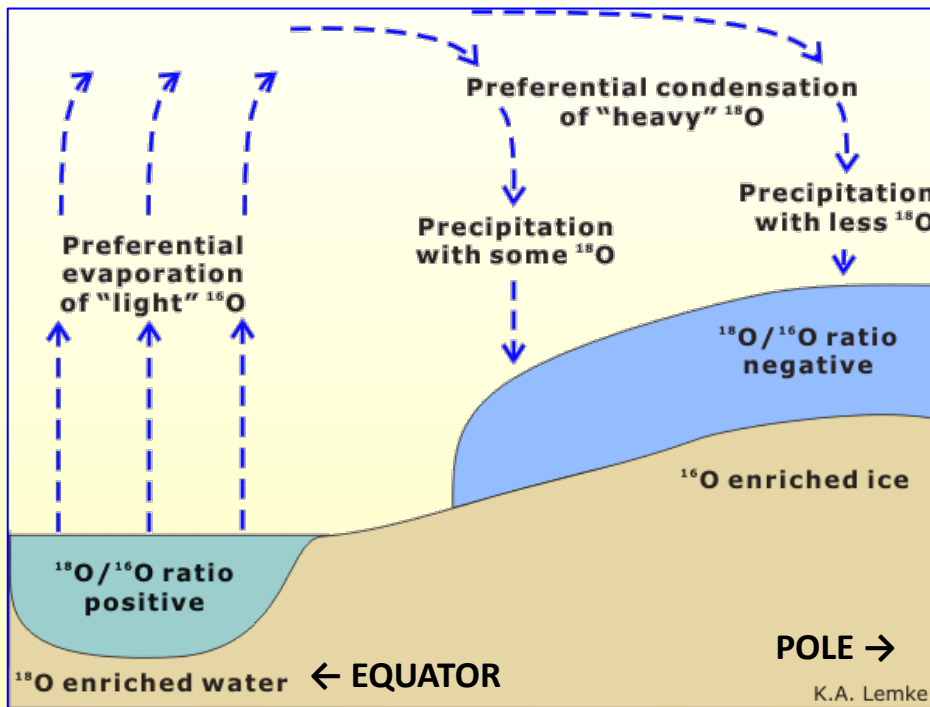
$$\Delta T = 4.7 - (-1.5) = 8.2 \text{ } ^\circ\text{C}$$

Estimated by other proxies ca. 3°C



GLACIAL EFFECT

It was thought that the growth and melting of Pleistocene ice caps (waxing and waning) must have influenced the δ_{seawater} and δ_{carb} .



Isotopic Fractionation of Oxygen Between Equator and Poles during glacial periods

GLACIAL PERIODS

Ice Sheet Growth.

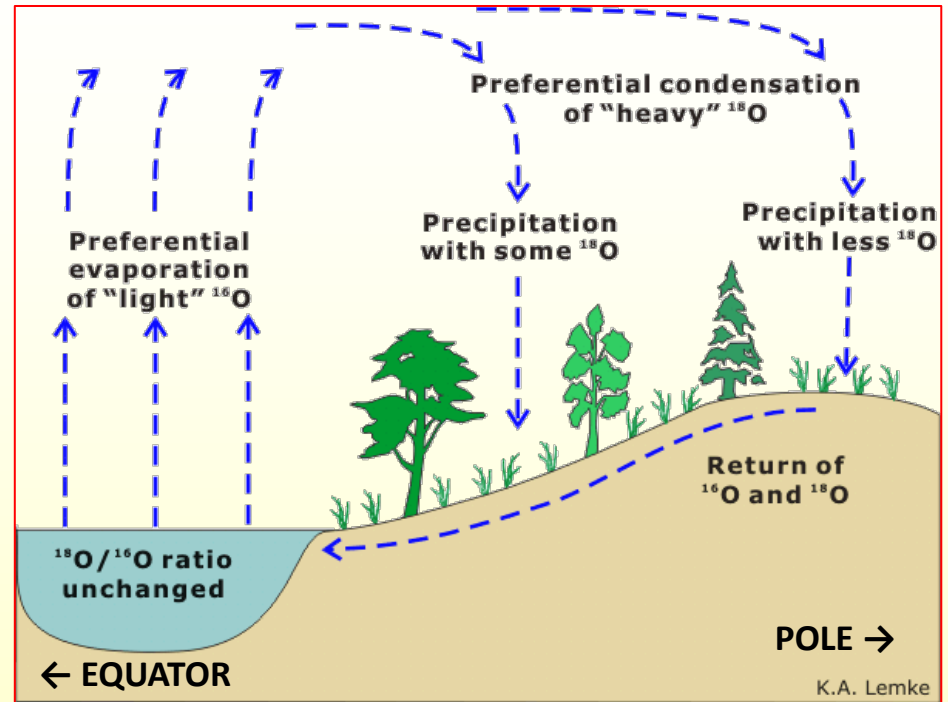
During glaciation, large amounts of water, enriched in the lighter isotope ^{16}O , are trapped in ice sheets. This leaves the ocean relatively enriched in the heavier isotope ^{18}O , increasing the $\delta^{18}\text{O}$ value in seawater (δ_{seawater}). As a result, the calcium carbonate (CaCO_3) formed by foraminifera reflects higher $\delta^{18}\text{O}$ values (δ_{carb}).

GLACIAL EFFECT

DEGLACIATION + INTERGLACIAL PERIODS

Ice Sheet Melting.

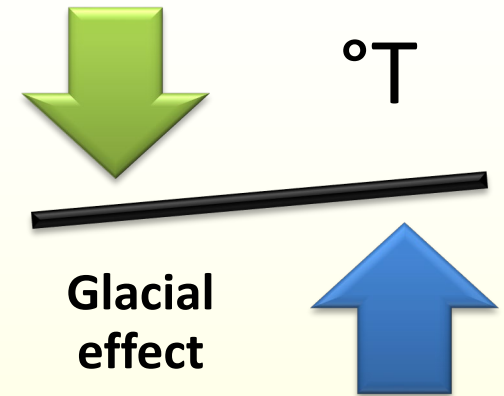
When ice sheets melt, ^{16}O -rich water is released back into the ocean, lowering the $\delta^{18}\text{O}$ value of seawater (δ_{seawater}). Consequently, the $\delta^{18}\text{O}$ values recorded in foraminifera shells decrease, reflecting this change in seawater composition (δ_{carb}). The "light" H_2O , sequestered at the poles in the glacial, will return to the sea, the sea level will rise and the average composition of the δ_{seawater} will "lighten".



Isotopic Fractionation of Oxygen Between Equator and Poles during interglacial periods

HOW TO QUANTIFY THE GLACIAL EFFECT

By the 1960s, the influence of glacial effects on $\delta^{18}\text{O}$ values was undeniable. The challenge was determining whether the glacial effect was more significant than temperature in shaping $\delta^{18}\text{O}$ values.



The $\delta^{18}\text{O}$ of marine carbonates follows these rules:

$\delta^{18}\text{O}$ increases as temperature decreases and ice caps grow.

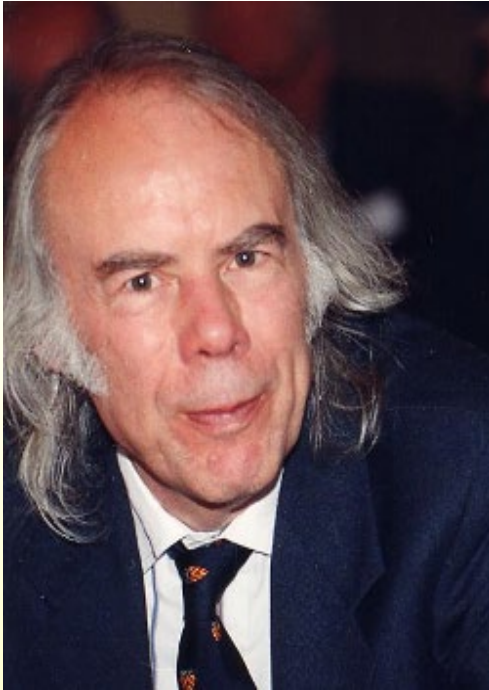
$\delta^{18}\text{O}_{\text{carb}} >$
 \downarrow °T
 \uparrow ICE CAP

$\delta^{18}\text{O}$ decreases as temperature rises and ice caps shrink.

$\delta^{18}\text{O}_{\text{carb}} <$
 \uparrow °T
 \downarrow ICE CAP

During this "impasse," another prominent figure in modern Earth Sciences emerged.

NICK SHACKLETON'S IDEA



At Cambridge University, a young student named Nick Shackleton (1937-2006), with a background in Physics and a family legacy in geology and Antarctic exploration, was not convinced by Urey and Emiliani's interpretations. **He believed that the glacial effect was far more significant than temperature in shaping the $\delta^{18}\text{O}$ of planktonic foraminifera.** Shackleton made fundamental contributions to many topics in this field. He was knighted by the Queen of England, awarded the Crafoord Prize in 1995, and received an the PhD honorary degree in Geology from the University of Padua.

The simple and brilliant idea:

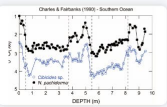
Study the isotopic composition of benthic foraminifera, which live on the ocean floor where temperatures remain nearly constant during glacial and interglacial periods.

Let's compare the results!

The graph shows $\delta^{18}\text{O}$ values for planktonic foraminifera (*N. pachyderma*) and benthic foraminifera (*Cibicides* sp.) from ocean sediment cores in the Southern Ocean (Charles & Fairbanks, 1990). Which of the following statements best explains the primary driver of the observed $\delta^{18}\text{O}$ variations in the graph?

Exit

Go to [wooclap.com](https://www.wooclap.com) and use the code **PCCM24**



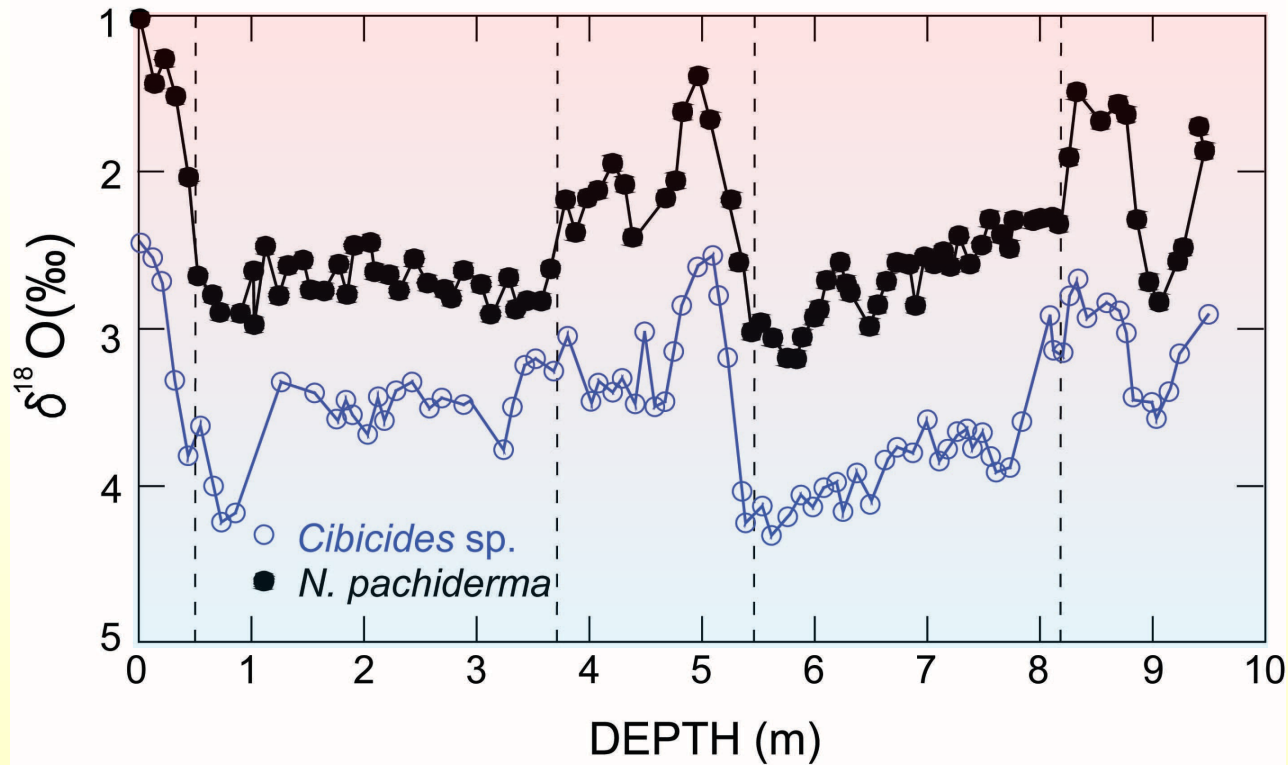
The graph shows $\delta^{18}\text{O}$ values for planktonic foraminifera (*N. pachyderma*) and benthic foraminifera (*Cibicides* sp.) from ocean sediment cores in the Southern Ocean (Charles & Fairbanks, 1990)....

- 1 The $\delta^{18}\text{O}$ variations primarily reflect changes in ice sheets and lower sea levels. 0% 0
- 2 The $\delta^{18}\text{O}$ variations primarily reflect changes in warmer ocean conditions. 0% 0
- 3 The $\delta^{18}\text{O}$ variations are driven equally by temperature and ice volume. 0% 0
- 4 The $\delta^{18}\text{O}$ values only reflect local environmental conditions like volume or temperature. 0% 0



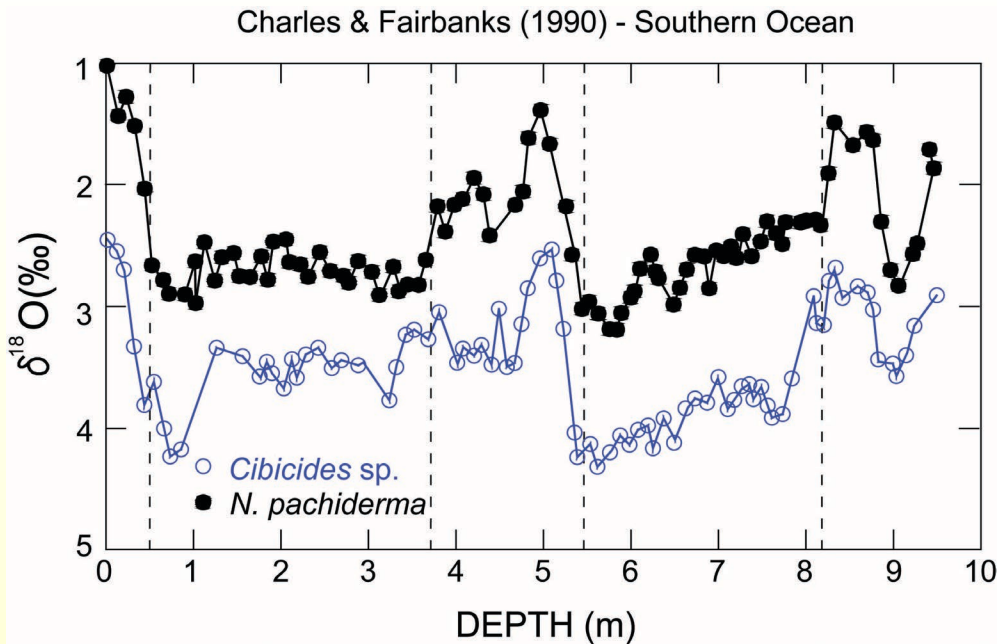
DEEP BENTHIC FORAMINIFERA ISOTOPES - 1

Charles & Fairbanks (1990) - Southern Ocean

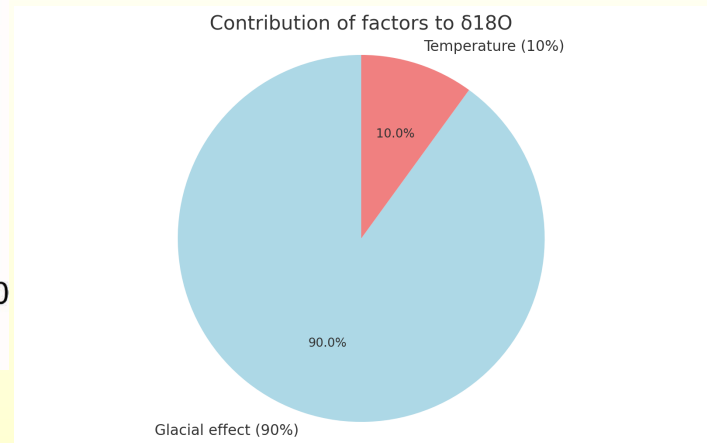


- 1) The isotopic values of planktonic and benthic foraminifera come from the same sample (direct correlation).
- 2) The values covary perfectly, likely reflecting the same global phenomenon.
- 3) Benthic $\delta^{18}\text{O}$ values are systematically "heavier" than those of planktonic.
- 4) The curve shows a cyclical trend of interglacial and glacial cycles.

DEEP BENTHIC FORAMINIFERA ISOTOPES - 2



Values of stable oxygen isotopes in the calcite of an epifaunal benthic foraminifer (○) and of a planktonic foraminifer (●) in the V22-108 core of the Southern Ocean (40 °S).



Benthic foraminifera, living in near-constant temperatures, **show the same $\delta^{18}\text{O}$ variations as planktonic foraminifera**, which experience large surface temperature changes during glacial-interglacial cycles.

The understanding that **temperature contributes about 10% and the glacial effect accounts for 90% of the $\delta^{18}\text{O}$ signal** was achieved through a combination of paleoclimatic studies, mathematical models, and analyses of climate proxies.

...ANOTHER IDEA...shifting the perspective

Variations in $\delta^{18}\text{O}$ of benthic foraminifera provide a window into the history of ice caps.

Instead of focusing on temperature, which we assume remained stable near zero on the ocean floor, we solve the paleotemperature equation by focusing on δ_{seawater}

This shift allows us to directly trace the changes in $\delta^{18}\text{O}_{\text{seawater}}$ and, in turn, the fluctuations in ice volume.

$$T = 17 - 4,52 (\delta_{\text{carb}} - \delta_{\text{seawater}}) + 0,03 (\delta_{\text{carb}} - \delta_{\text{seawater}})^2$$



1‰ $\delta^{18}\text{O}$
~100m sea-level
~4°C temperature

HOW TO ESTIMATE THE CHANGE IN ICE VOLUME AND SEA LEVEL FROM A VARIATION IN $\delta^{18}\text{O}$?

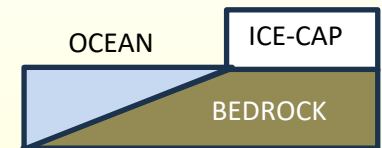
1. Empirical relationship between $\delta^{18}\text{O}$ and ice volume:

This relationship has been established by **studying marine sediment cores and comparing $\delta^{18}\text{O}$ records with independent data on past sea levels** (from ancient shorelines, coral terraces, and other geological markers).

In practice:

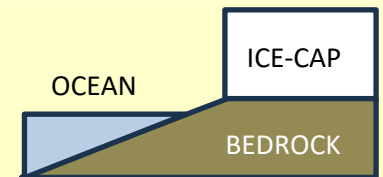
- An **increase of about 1‰ in $\delta^{18}\text{O}$** in marine sediments corresponds to a **sea level drop of about 120 meters** and a **significant increase in the size of ice sheets**.
- This ratio has been determined by comparing glacial and interglacial cycles documented **through isotopic composition and sea level changes**.

INTERGLACIAL



1‰ in $\delta^{18}\text{O} \approx 120\text{m}$

GLACIAL



HOW TO ESTIMATE THE CHANGE IN ICE VOLUME AND SEA LEVEL FROM A VARIATION IN $\delta^{18}\text{O}$?

2. Separating the temperature effect:

To accurately use $\delta^{18}\text{O}$ changes to estimate ice volume/sea level, the temperature effect must be separated. $\delta^{18}\text{O}$ is influenced by:

- **Ocean temperature:** A change of 1°C results in a change of about **0.22‰** in $\delta^{18}\text{O}$.
- **Ice volume/sea level:** The remaining change in $\delta^{18}\text{O}$ is due to the growth or melting of ice sheets.

When a $\delta^{18}\text{O}$ variation is observed, the temperature component (often determined through independent proxies) needs to be subtracted to isolate the ice volume effect.

3. Converting $\delta^{18}\text{O}$ into ice volume:

Once the glacial effect in $\delta^{18}\text{O}$ is isolated, you can estimate the change in ice volume as follows:

- For every **1‰ increase in $\delta^{18}\text{O}$** due to ice volume, the sea level drops by approximately **120 meters**.

Practical example:

Given data:

- Observed $\delta^{18}\text{O} = -1\text{‰}$
- $\delta^{18}\text{O}$ variation due to temperature = -0.2‰ (from independent proxies)
- The goal is to calculate the change in sea level.

Step 1: Isolate the glacial component of $\delta^{18}\text{O}$. The observed $\delta^{18}\text{O}$ reflects both the ice volume (glacial) component and the temperature component. To estimate the glacial effect, we subtract the temperature component from the total observed value.

$$\delta^{18}\text{O}_{\text{glacial}} = \delta^{18}\text{O}_{\text{measured}} - \delta^{18}\text{O}_{\text{temperature}}$$
$$\delta^{18}\text{O}_{\text{glacial}} = -1\text{‰} - (-0.2\text{‰}) = -1\text{‰} + 0.2\text{‰} = -0.8\text{‰}$$

Step 2: Use the empirical relationship between $\delta^{18}\text{O}$ and sea level

We know that **1‰** variation in glacial $\delta^{18}\text{O}$ corresponds to a sea level change of **120 meters**. So, we can calculate the sea level change using the proportion:

$$\text{Sea level change} = 120 \times \delta^{18}\text{O}_{\text{glacial}}$$
$$\text{Sea level change} = 120 \times (0.8) = 96 \text{ meters}$$

SUMMARY: $\delta^{18}\text{O}$ IN FORAMS

The isotopic composition of foraminifera calcite (δ_{carb}), both planktonic and benthic, depends on temperature (T) and the isotopic content of the surrounding marine water (δ_{seawater}).

$$T = 17 - 4,52 (\delta_{\text{carb}} - \delta_{\text{seawater}}) + 0,03 (\delta_{\text{carb}} - \delta_{\text{seawater}})^2$$

The isotopic composition of ocean waters varies regionally based on evaporation-precipitation conditions and freshwater inputs from runoff and distillation.

The isotopic composition of marine waters changes over geological time, with the glacial effect being a key factor.

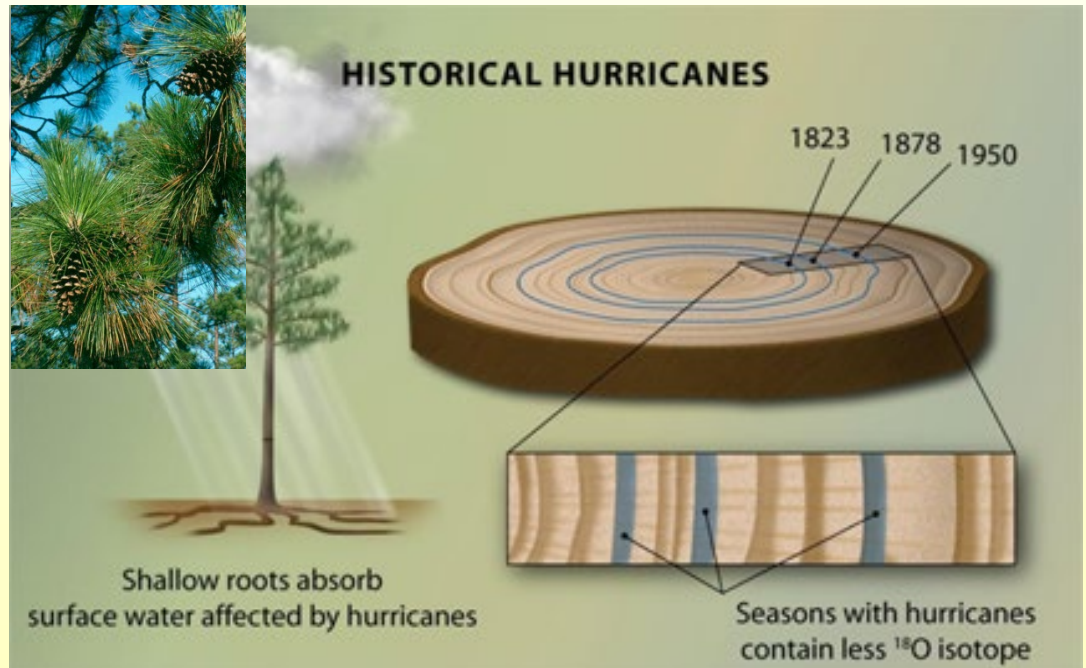
Foraminifera are crucial because their $^{18}\text{O}/^{16}\text{O}$ ratio reflects both temperature and the isotopic composition of their habitat water (accounting for a minor offset), making them excellent archives of paleoenvironmental data.

NON ONLY FORAMS...

In fossils with CaCO_3 skeletons, **corals** and Mesozoic **belemnites** are widely used. **Calcareous nannofossils**, though, are less common due to their small size and deviation from Urey's equation. Siliceous shells, like **diatoms**, are sometimes used. Oxygen analysis is also possible in **organic matter**, like plant tissues, and in **ice**.

$\delta^{18}\text{O}$ IN TREES

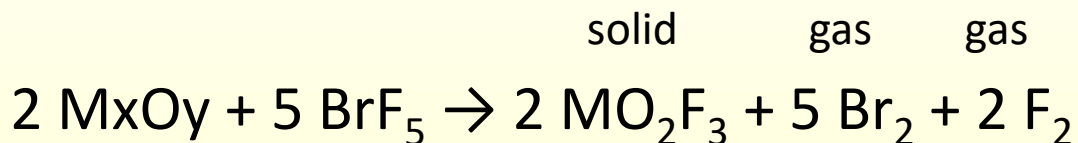
Longleaf pine roots absorb surface water influenced by precipitation. Hurricanes produce rainfall with lighter oxygen isotopes compared to smaller storms. Tree rings with lighter isotopes provide a record of past hurricanes.



Rationale: Under normal conditions, evapotranspiration enriches the soil with ^{18}O . During hurricanes, the soil shows a relative depletion of ^{18}O .

Oxygen Isotopes in Si₂O

Here is the chemical reaction for the quantitative liberation of oxygen from oxides and silicates using **bromine pentafluoride** (BrF₅):



Where M represents the metal present in the oxide or silicate.

This reaction allows the conversion of oxygen-containing compounds into fluorides that can be easily separated for quantitative analysis.

MASTER ARCHIVES

The main archives for oxygen isotope research are:

- **Ice cores** (e.g., GRIP, GISP2, VOSTOK, EPICA), providing exceptional data from the past 7-800,000 years.
- **Ocean sediments** (e.g., DSDP , ODP, IODP, and land sections), which have transformed our understanding but offer lower resolution data.

POSSIBLE ISSUES

$\delta^{18}\text{O}$: THE VITAL EFFECT

$$T = 17 - 4,52 (\delta_{\text{carb}} - \delta_{\text{seawater}}) + 0,03 (\delta_{\text{carb}} - \delta_{\text{seawater}})^2$$

The paleotemperature equation **for inorganic calcite precipitation** works well, as isotope fractionation linked to temperature is assumed to occur in equilibrium.

VITAL EFFECT: Calcite used in paleoenvironmental reconstructions is formed within living organisms through processes (biomineralization) that are not fully understood.

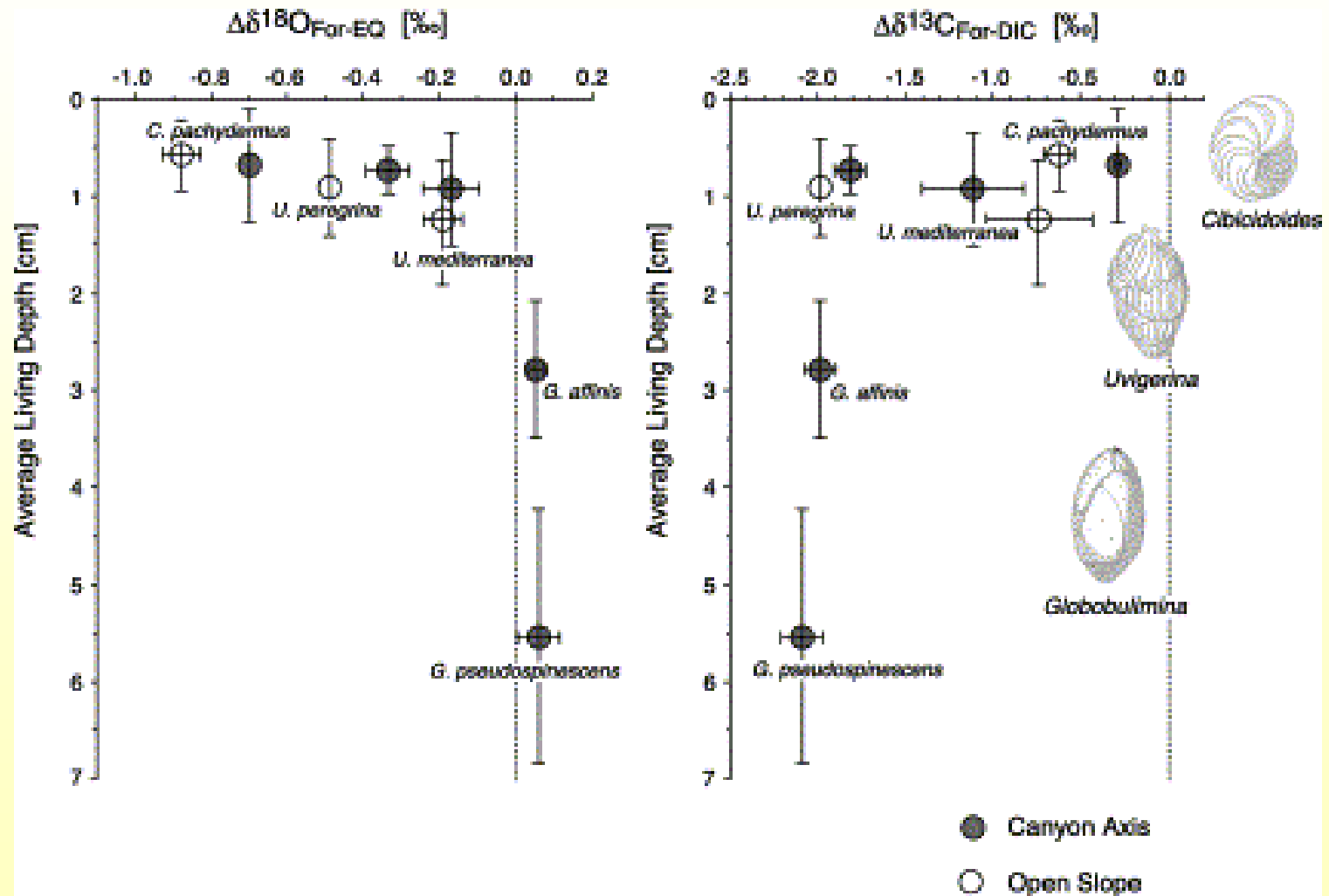
Some organisms produce calcite in isotopic equilibrium, while others, like certain coccoliths and echinids, show unpredictable imbalances.

Experimental data shows that many planktonic foraminifera form calcite in equilibrium or with a consistent deviation that can be corrected. Therefore, individuals of the same species and size are analyzed.

Experimental data indicates that numerous planktonic foraminifera produce the calcite for their shells **either in equilibrium or with a consistent deviation that can be adjusted for.**

→ **individuals of the same species and of the same size are analyzed.**

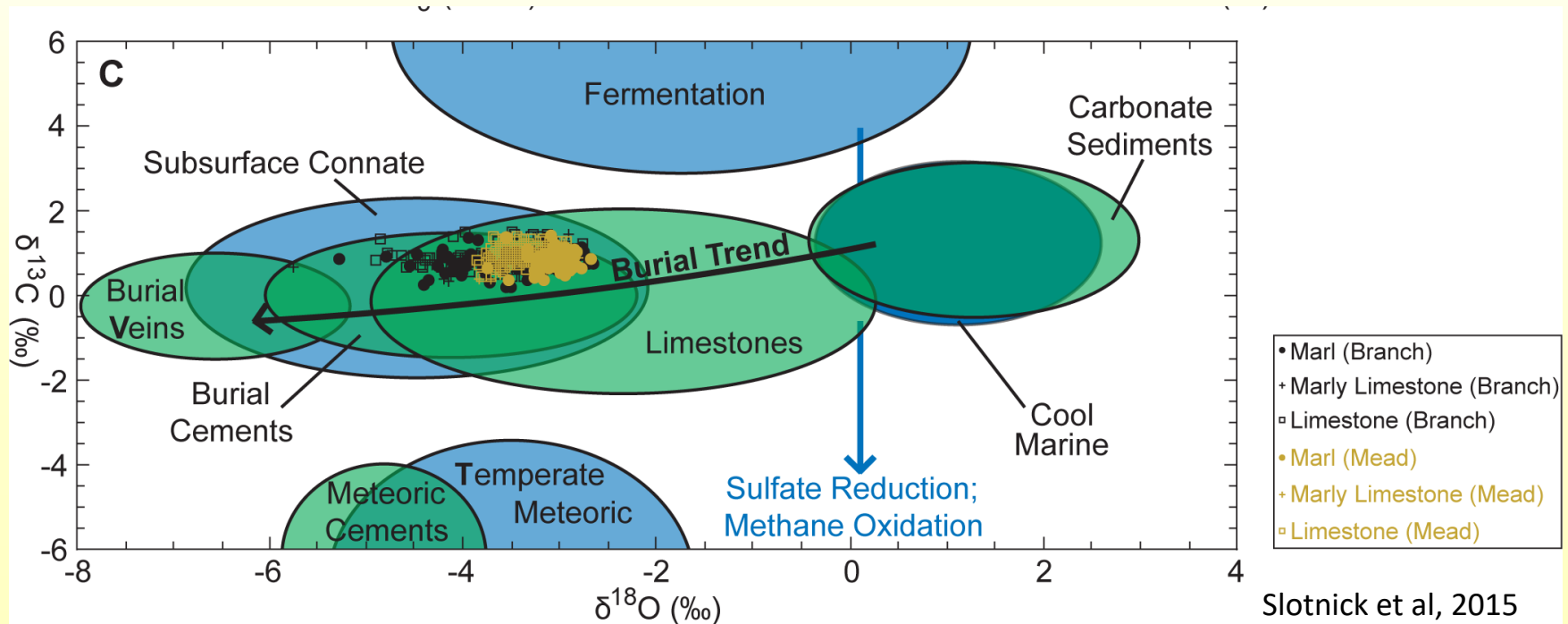
$\delta^{18}\text{O}$: THE VITAL EFFECT



$\delta^{18}\text{O}$: DIAGENESIS

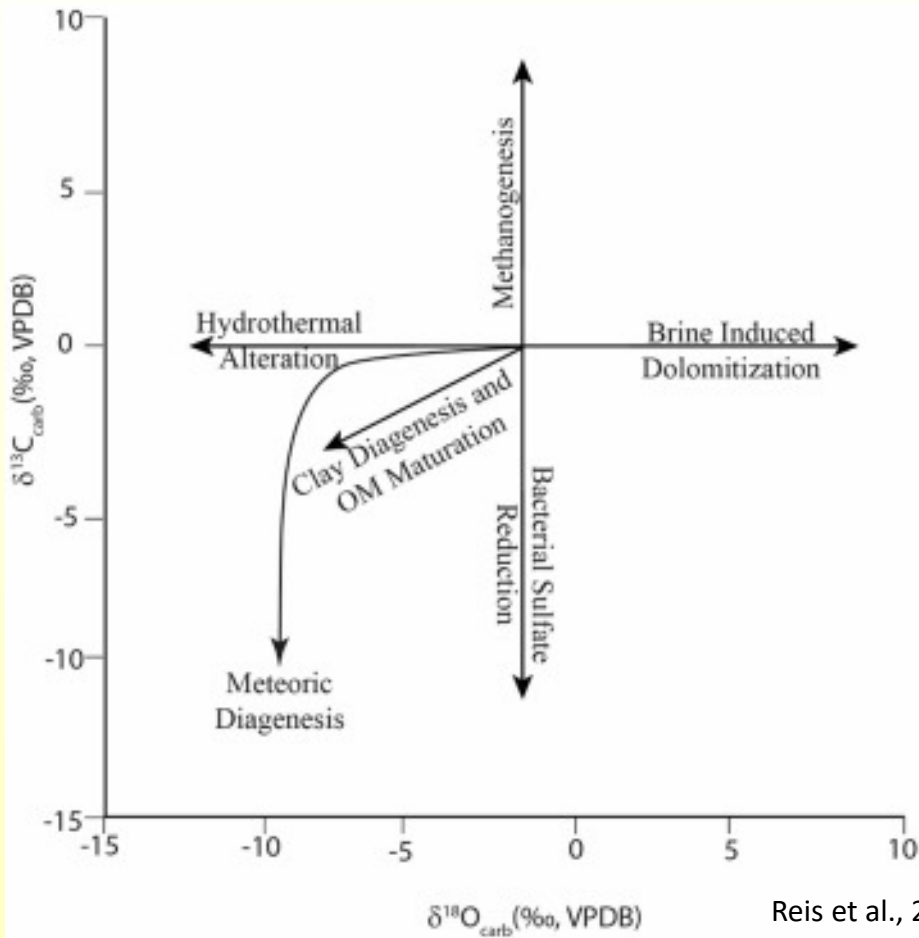
$$T = 17 - 4,52 (\delta_{\text{carb}} - \delta_{\text{seawater}}) + 0,03 (\delta_{\text{carb}} - \delta_{\text{seawater}})^2$$

Isotope geochemistry, particularly with oxygen isotopes, faces several challenges. **A major concern is diagenesis**, which can alter the original $\delta^{18}\text{O}_{\text{carb}}$ values. To ensure accuracy, samples must be exceptionally well-preserved to avoid diagenetic changes.



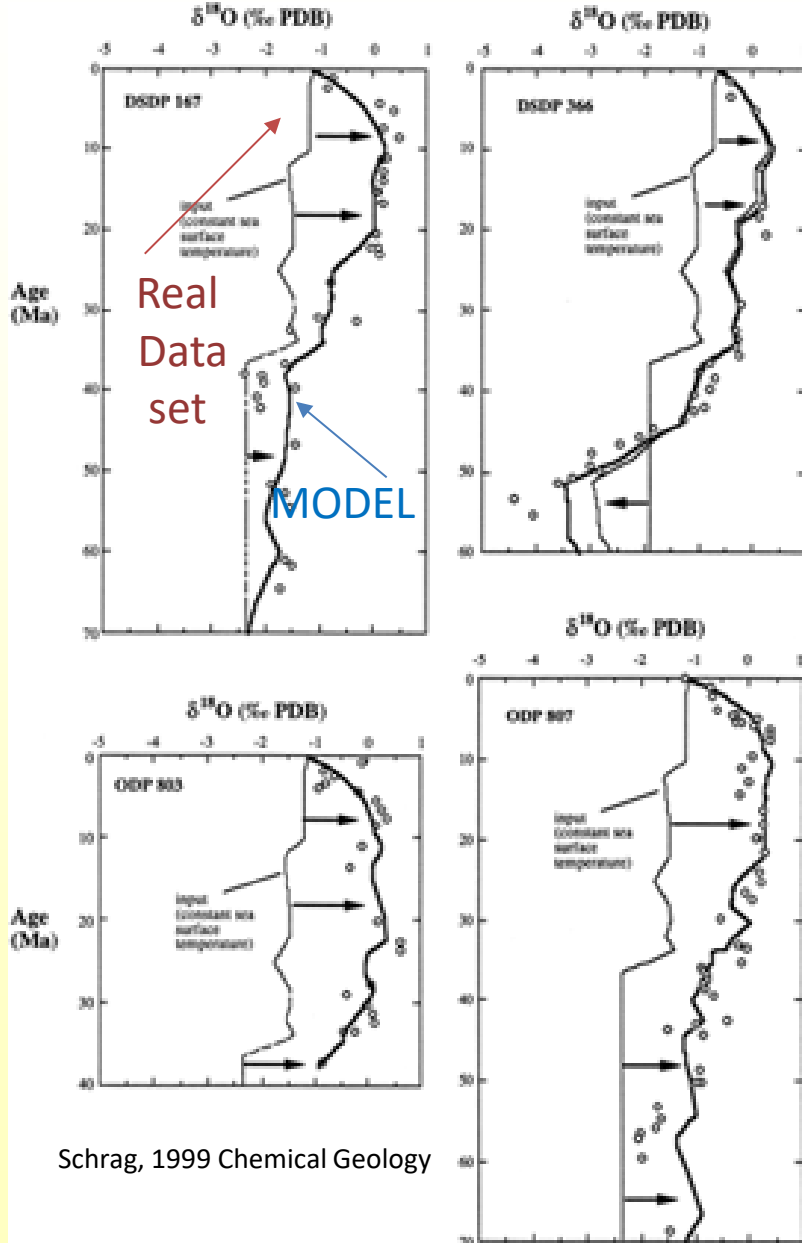
Note also the significant depletion in ^{18}O relative to typical carbonate in unlithified marine sediment. The stable isotope compositions are consistent with significant local dissolution and reprecipitation of carbonate during burial. Fields of carbonate stable isotope composition are from [Hudson \(1977\)](#) and [Nelson and Campbell \(1996\)](#).

$\delta^{18}\text{O}$: DIAGENESIS



Schematic of the effects of diagenesis on carbonate sediments. These processes can impact carbonate sediments individually or as a series of events during deposition, burial and exhumation. Generalized trends from Irwin and Curtis (1977); Machel (2004); Swart (2015).

$\delta^{18}\text{O}$: DIAGENESIS



Comparison between values of $\delta^{18}\text{O}$ measured and values obtained from a model assuming that the surface temperatures have remained constant over time (Sites 167, 366, 803 and 807).

ISOTOPES AS A STRATIGRAPHIC TOOL: CHEMOSTRATIGRAPHY

CHEMOSTRATIGRAPHY

So far, we have focused on interpreting $\delta^{18}\text{O}$ in paleoclimatology and paleoceanography. However, $\delta^{18}\text{O}$ is also a valuable stratigraphic tool.

Chemostratigraphy allows for the **correlation of individual events** while also enabling **tuning of stratigraphic sequences through the use of stack isotope curves**, helping to synchronize records across different locations.

A stack isotopic curve is a composite record created by averaging multiple individual isotope records (typically $\delta^{18}\text{O}$ or $\delta^{13}\text{C}$) from different sediment cores or other geological samples.

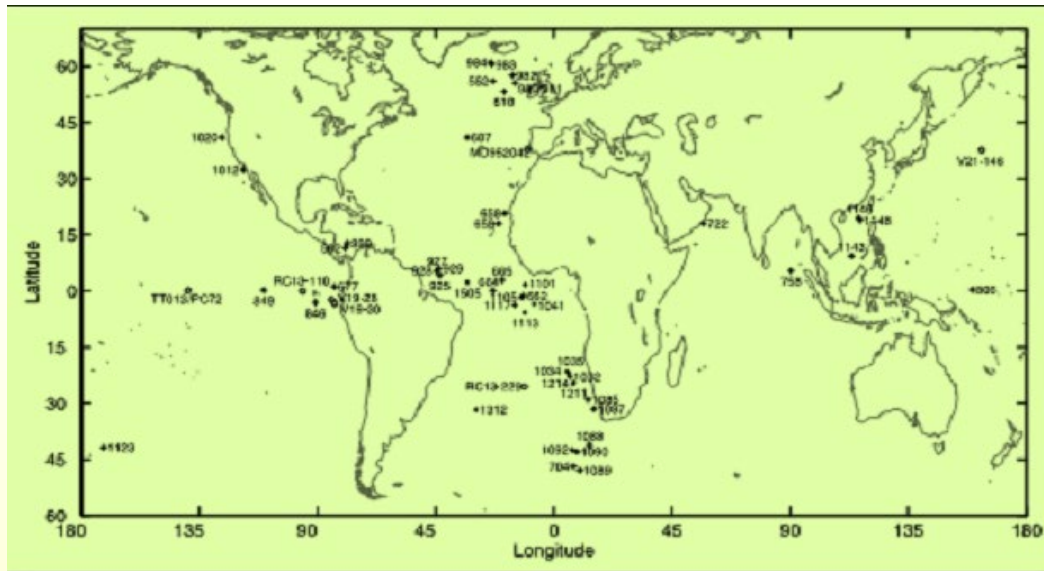
This technique helps to reduce local variations and noise, providing a more reliable and globally representative signal of past climate or environmental changes.

Stack isotopic curves are commonly used in paleoclimatology and stratigraphy to track global trends, such as glacial-interglacial cycles, and serve as reference curves for comparing regional or local data.

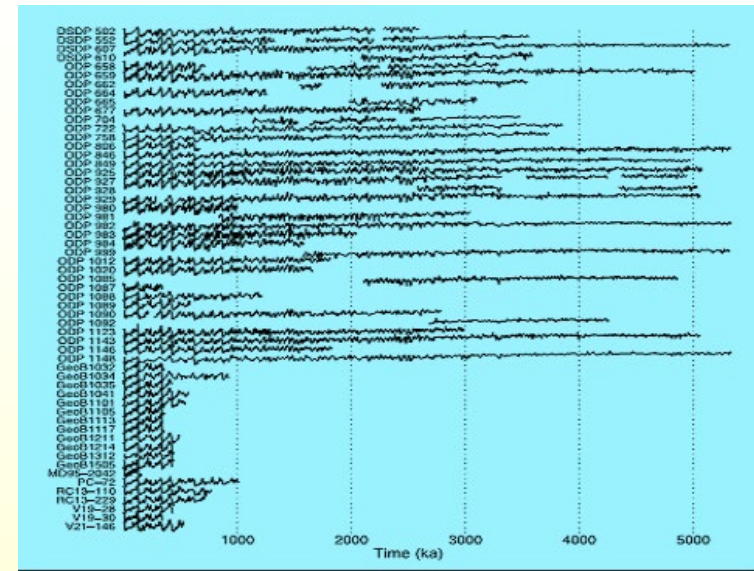
One famous example is **the LR04 benthic $\delta^{18}\text{O}$ stack**, which provides a detailed record of global ice volume changes over the last 5 million years.

CREATION OF A STACK ISOTOPIC CURVE

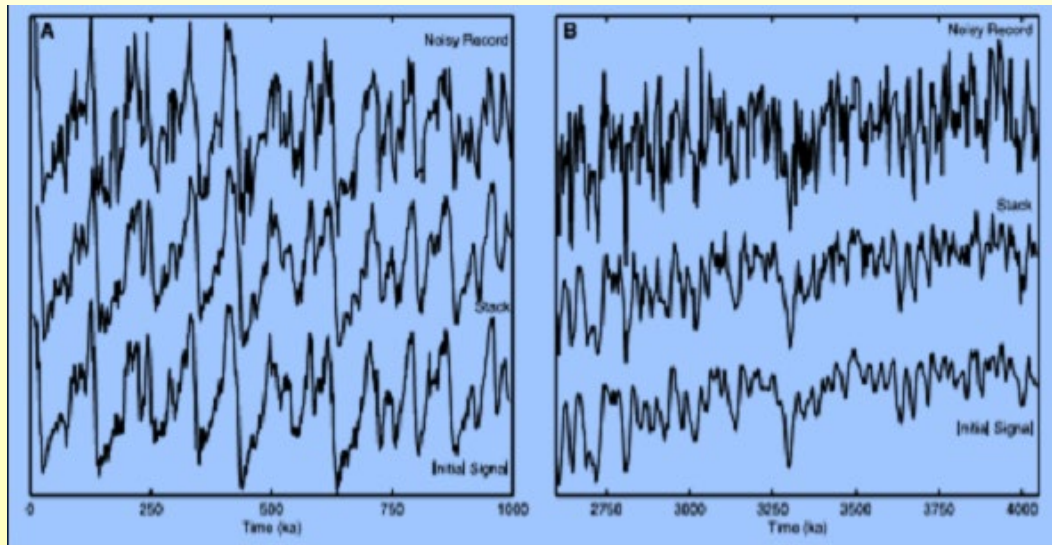
Data collection



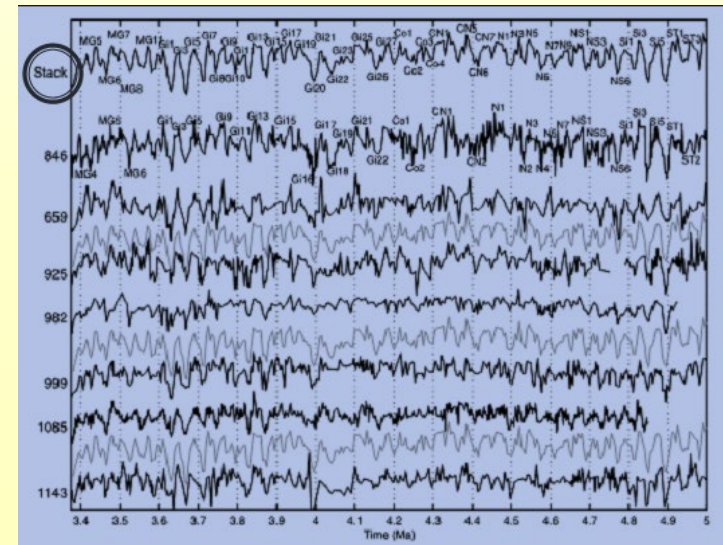
Overlapping



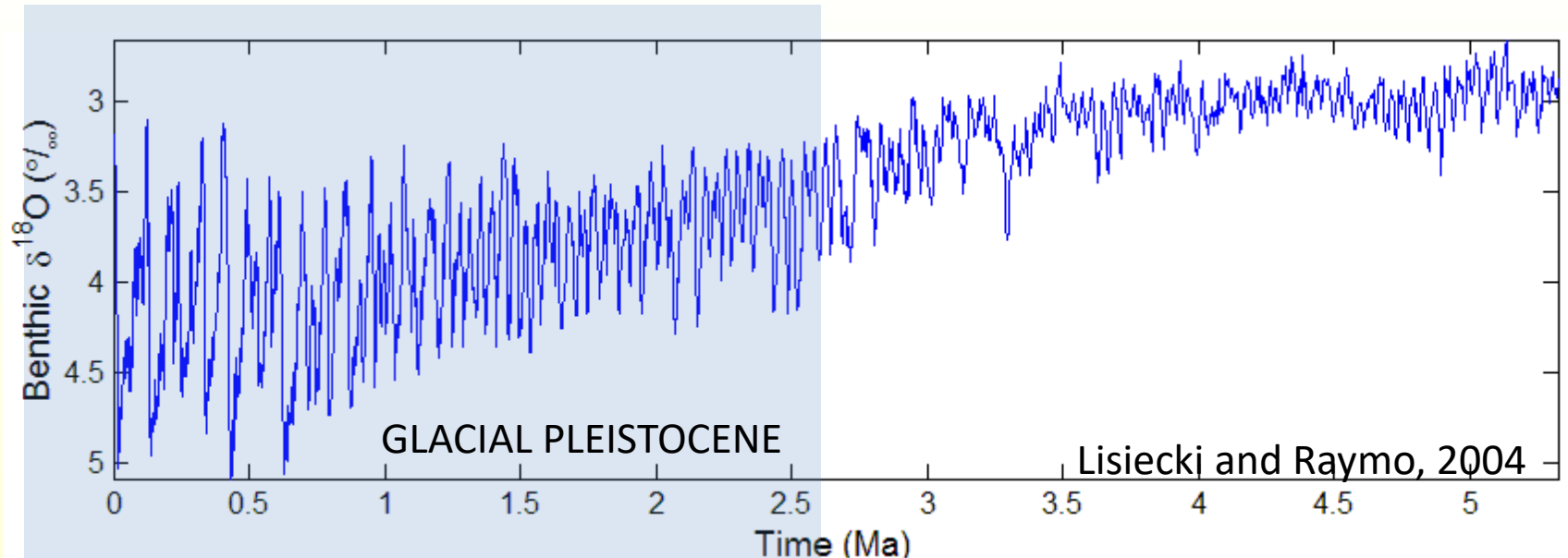
Testing



Results



LR04 stack

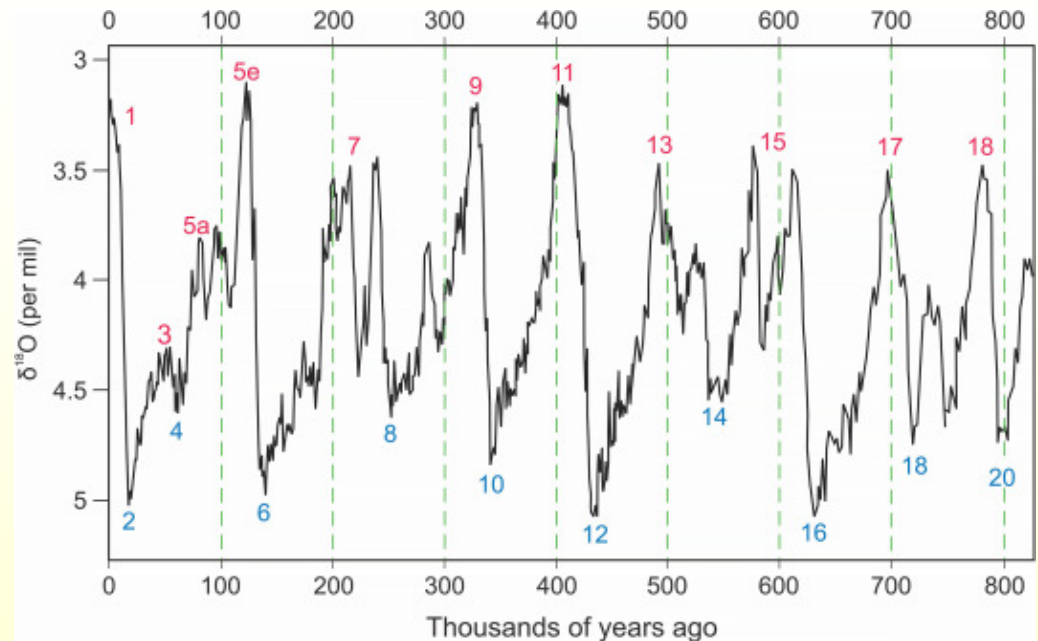


The LR04 stack (Lisiecki and Raymo, 2004) covers 5.3 million years and is an average of 57 globally distributed benthic $\delta^{18}\text{O}$ records, which reflect global ice volume and deep ocean temperature.

These records were aligned on a common age model using a graphic correlation technique (Lisiecki and Lisiecki, 2002). Additionally, a new age model for the stack was developed using orbital tuning, combined with constraints from the average sedimentation rates of the 57 records.

NOMENCLATURE OF GLACIAL PLEISTOCENE

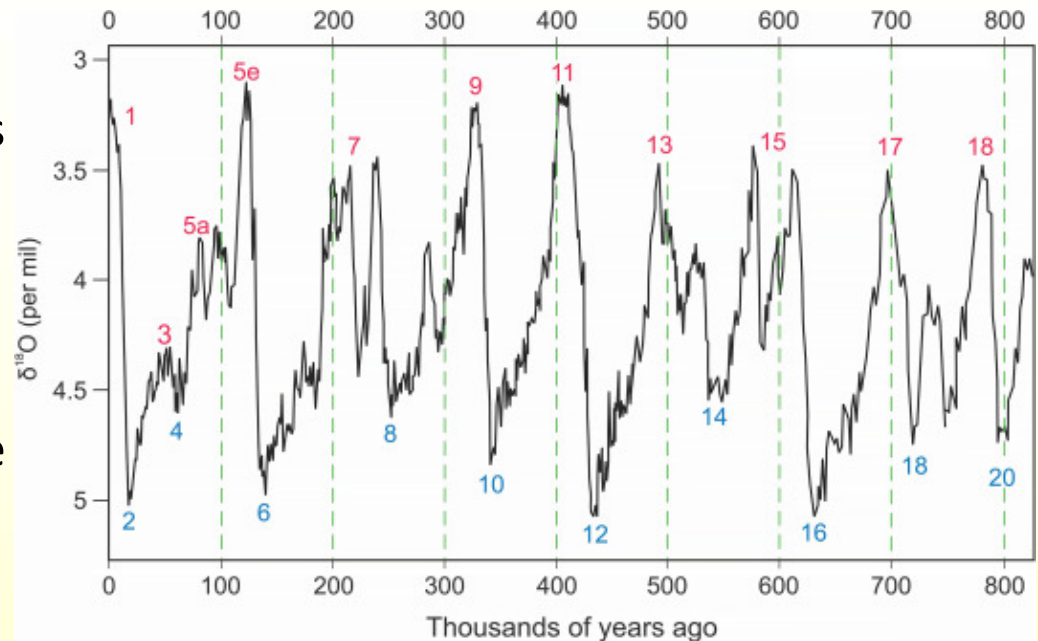
The **Marine Isotope Stages (MIS)** are alternating warm and cold periods in Earth's paleoclimate, derived from oxygen isotope data collected from deep-sea sediment cores. These stages are identified by variations in the ratio of oxygen isotopes, specifically $\delta^{18}\text{O}$, in foraminifera shells, which reflect changes in global ice volume and ocean temperatures over time.



- **Odd-numbered MIS** (e.g., MIS 1, MIS 5) represent **interglacial** periods, which are warmer phases with less ice volume.
 - **Even-numbered MIS** (e.g., MIS 2, MIS 6) represent **glacial** periods, which are colder phases with larger ice sheets.
- MIS stages provide a globally recognized framework for correlating climatic events across different regions and are often used in stratigraphy to study glacial-interglacial cycles.

NOMENCLATURE OF GLACIAL PLEISTOCENE

The nomenclature of the glacial-interglacial regime refers to the cycles of ice sheet expansion and contraction that occurred during the Quaternary, particularly in the Pleistocene and Holocene. Here are the key terms used to describe these cycles:



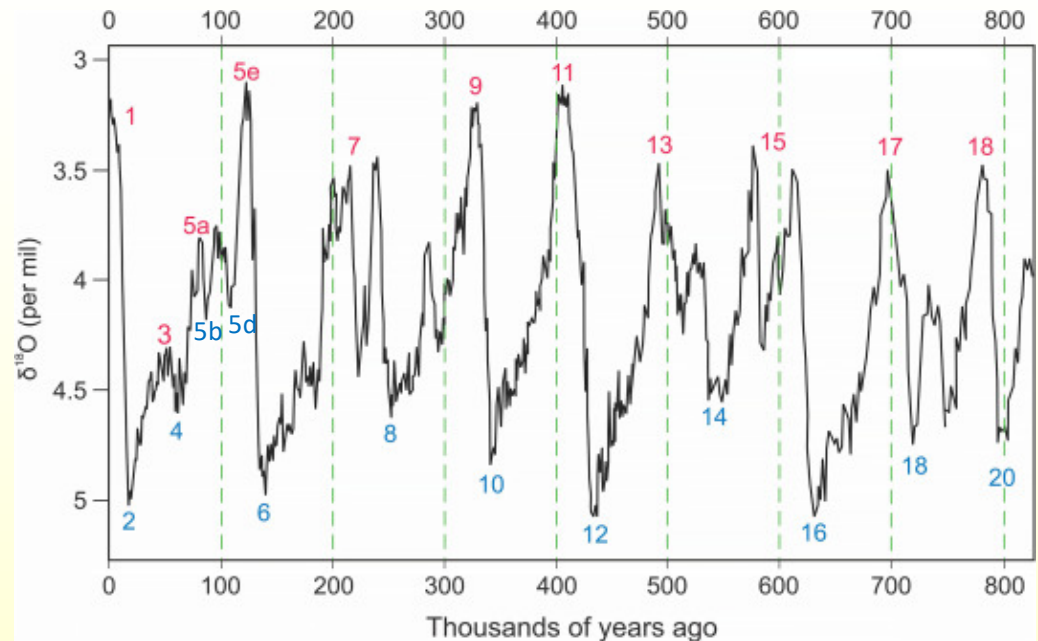
1. Glacial period: A phase of cold climate during which ice sheets expand, covering large continental areas. Sea levels drop, and global temperatures are significantly lower than during interglacial periods.

2. Interglacial period: A warm interval between glacial cycles, where ice sheets retreat, sea levels rise, and global temperatures are higher. The Holocene, the current geological period, is an example of an interglacial.

NOMENCLATURE OF GLACIAL PLEISTOCENE

Stadials and interstadials:

Within glacial and interglacial periods, there are shorter climate oscillations:

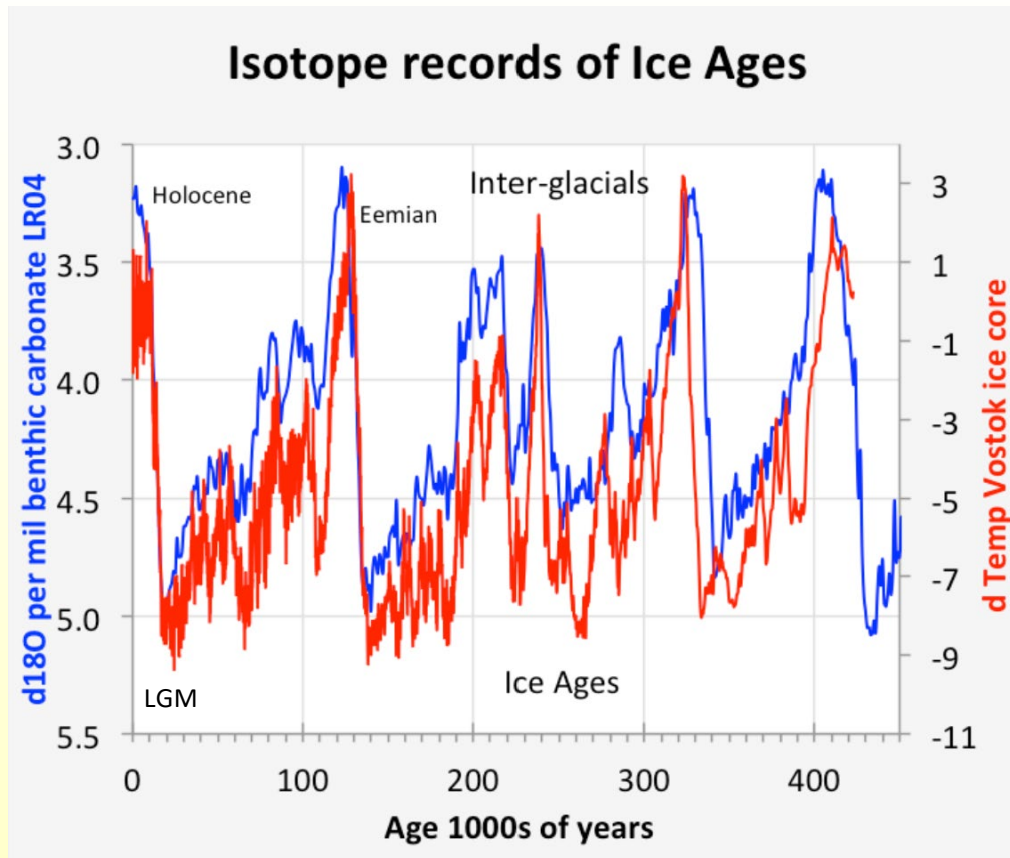


1. **Stadial:** A relatively cold phase within an interglacial period.
2. **Interstadial:** A warmer phase within a glacial period, though not as warm as a full interglacial.

The odd-numbered interstadial MIS 5 contains two stadials (5b, 5d).

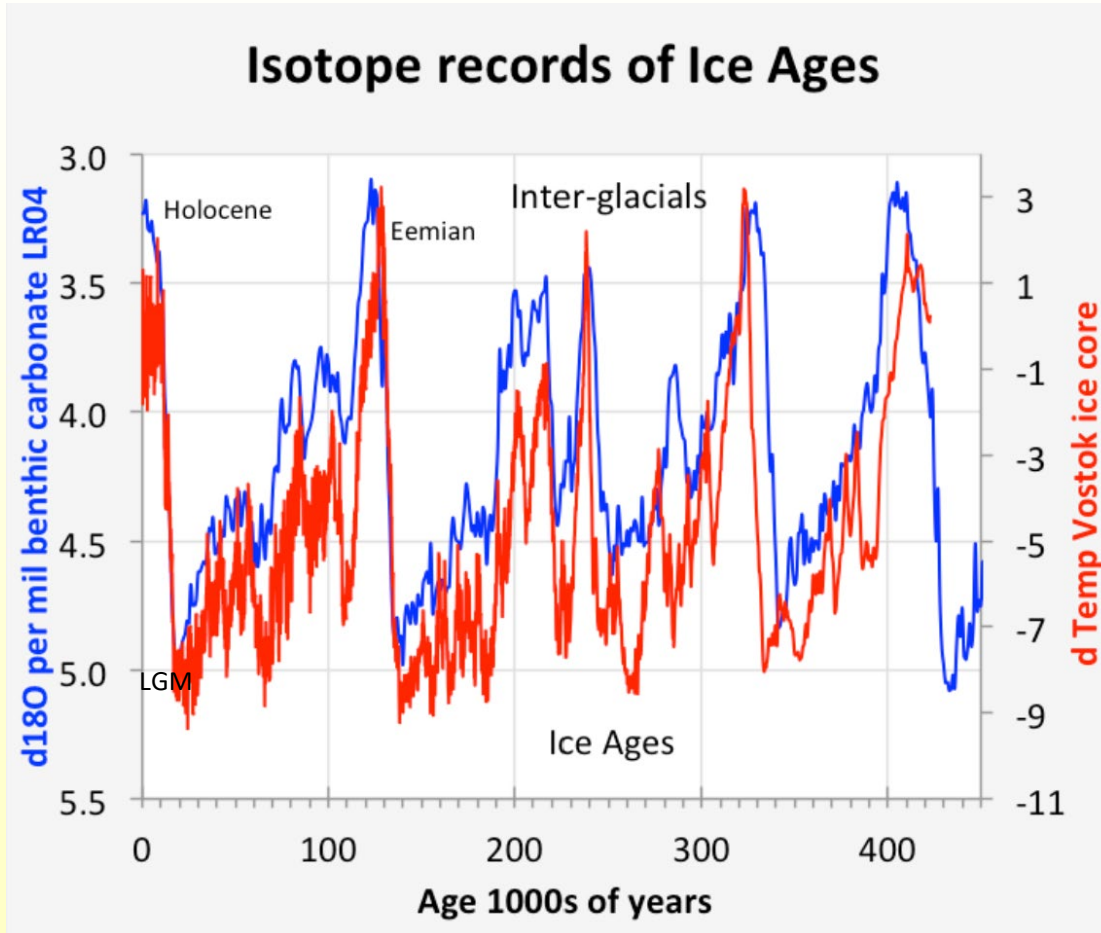
Milankovitch cycles: These describe long-term climate oscillations (based on Earth's eccentricity, obliquity, and axial precession) that control the alternation between glacial and interglacial periods.

$\delta^{18}\text{O}$ curve: «SAWTOOTH" SHAPE



Over the past million years, oxygen isotope curves show a "sawtooth" pattern: a gradual increase in $\delta^{18}\text{O}$ values toward a glacial maximum, followed by a rapid decline during deglaciation. This reflects the slow ice sheet buildup and quick collapse.

“GLACIAL TERMINATIONS”



The distinctive isotopic pattern was first identified by **Broecker and Van Donk in 1970**, who coined "**TERMINATION**" to describe the rapid shift from glacial maximum to interglacial conditions. There are 5 true terminations, covering the last 400 Kyr and lasting 80-120 Kyr each.

Terminations are labeled with Roman numerals in reverse order: the most recent deglaciation (20-10 kyr ago) is T I, the second-to-last is T II, and so on.

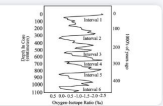
What are two of the key concepts introduced by Broecker and Van Donk (1970) regarding glaciations and Pleistocene climatic cycles?

In responding to this question, always keep in mind that $\delta^{18}\text{O}$ is primarily a proxy for the evolution of the ice cap and, secondarily, temperature.



← Exit

Go to **wooclap.com** and use the code **PCCM24**



What are two of the key concepts introduced by Broecker and Van Donk (1970) regarding glaciations and Pleistocene climatic cycles?...



1 Glaciations occur gradually and end gradually. 0% 0

5 Slow glacier growth is due to increased winter ... 0% 0

2 The duration of the great climatic cycles of the ... 0% 0

6 Slow glacier growth is attributed to the specific ... 0% 0

3 The most brutal climate change occurs during glacie... 0% 0

7 Rapid deglaciation is linked to physical destabilizati... 0% 0

4 Louis Agassiz's hypothesis about the "Ice Ages" is ... 0% 0



GLACIAL DYNAMICS

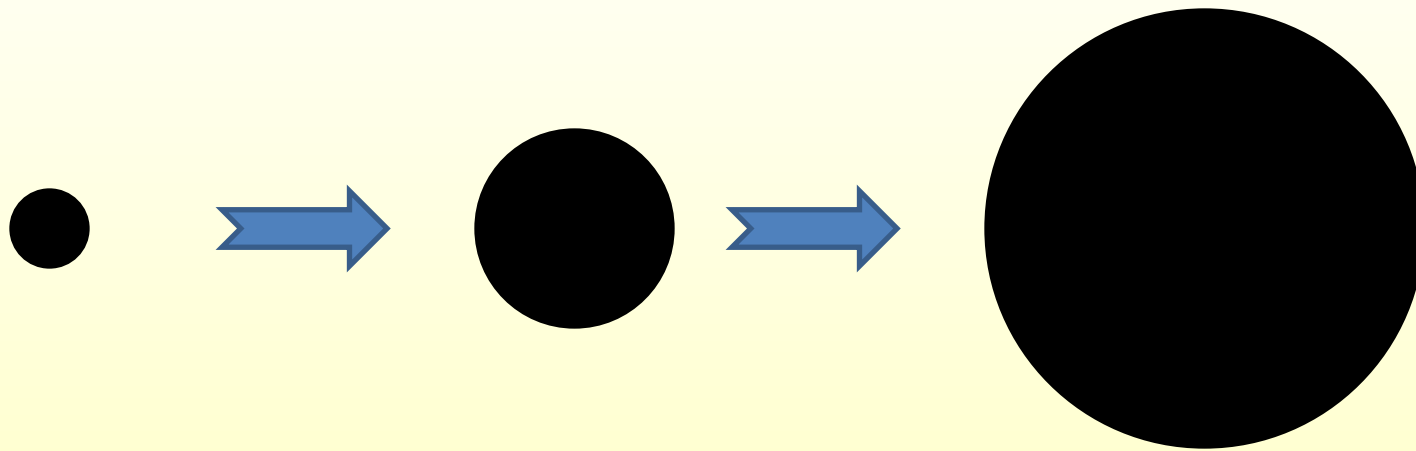
Broecker and Van Donk (1970) introduced two key concepts:

1. Glaciations show a **gradual growth followed by an abrupt end (deglaciation)**, forming a "sawtooth" pattern in the isotopic curve.

2. Pleistocene climatic cycles last around 80-120 kyr, with the most significant changes occurring during deglaciation, challenging earlier views like those of Louis Agassiz.

The slow glacier growth is linked to cooler-than-average summers, reducing snowmelt, expanding snow cover, and increasing albedo (positive feedback).

In contrast, rapid deglaciation is likely caused by ice cap destabilization and intense calving events.



**THE ISOTOPIC RECORD IN THE
GEOLOGICAL DOCUMENTATION OF THE
CENOZOIC**

SHORT- AND LONG-TERM CLIMATE EVOLUTION IN THE CENOZOIC

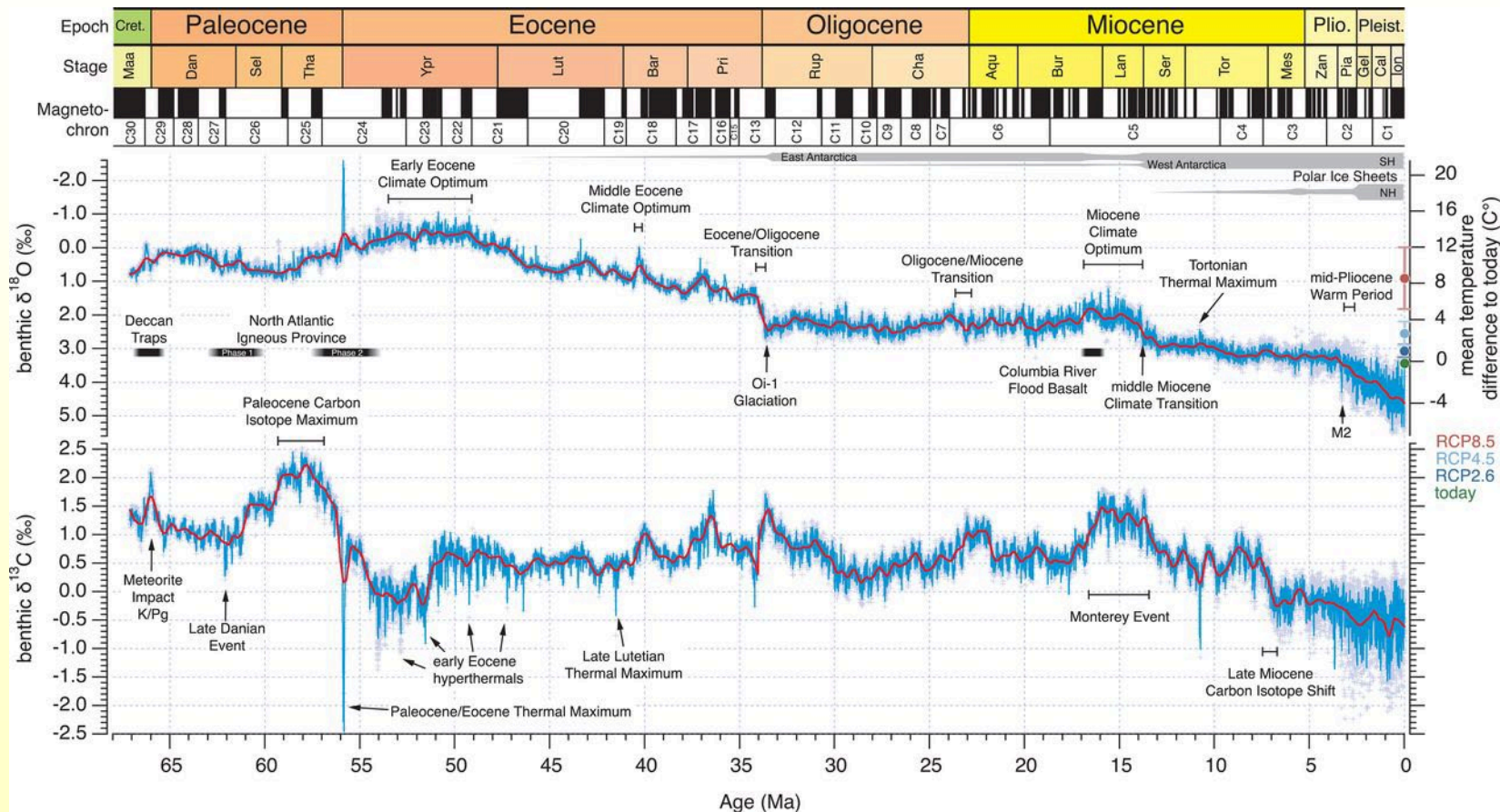
Eon/therm / Eon Erathem / Era System / Period		Series / Epoch	Stage / Age	GSSP	numerical age (Ma)	
Phanerozoic	Cenozoic	Quaternary	Holocene	UL	Meghalayan	present
				M	Northgipolan	0.0042
				L/E	Greenlandian	0.0082
		Pleistocene	Upper	UL	Upper	0.0117
				M	Chibanian	0.129
				M	Chibanian	0.774
				L/E	Calabrian	1.80
				L/E	Gelasian	2.58
				L/E	Gelasian	2.58
		Pliocene	Zanclean	UL	Piacenzian	3.600
				L/E	Zanclean	5.333
		Miocene	Messinian	UL	Messinian	7.246
				UL	Tortonian	11.63
				M	Serravallian	13.82
				M	Langhian	15.98
				L/E	Burdigalian	20.44
				L/E	Aquitanian	23.03
		Oligocene	Chattian	L/E	Chattian	27.82
				L/E	Rupelian	33.9
				L/E	Rupelian	33.9
				L/E	Rupelian	33.9
		Eocene	Priabonian	L/E	Priabonian	37.71
				L/E	Bartonian	41.2
L/E	Lutetian			47.8		
L/E	Ypresian			47.8		
L/E	Ypresian			47.8		
Paleocene	Thanetian	L/E	Thanetian	58.0		
		L/E	Selandian	59.2		
		L/E	Selandian	61.6		
		L/E	Danian	66.0		

We will analyze the Cenozoic climate using $\delta^{18}\text{O}$.

Specifically

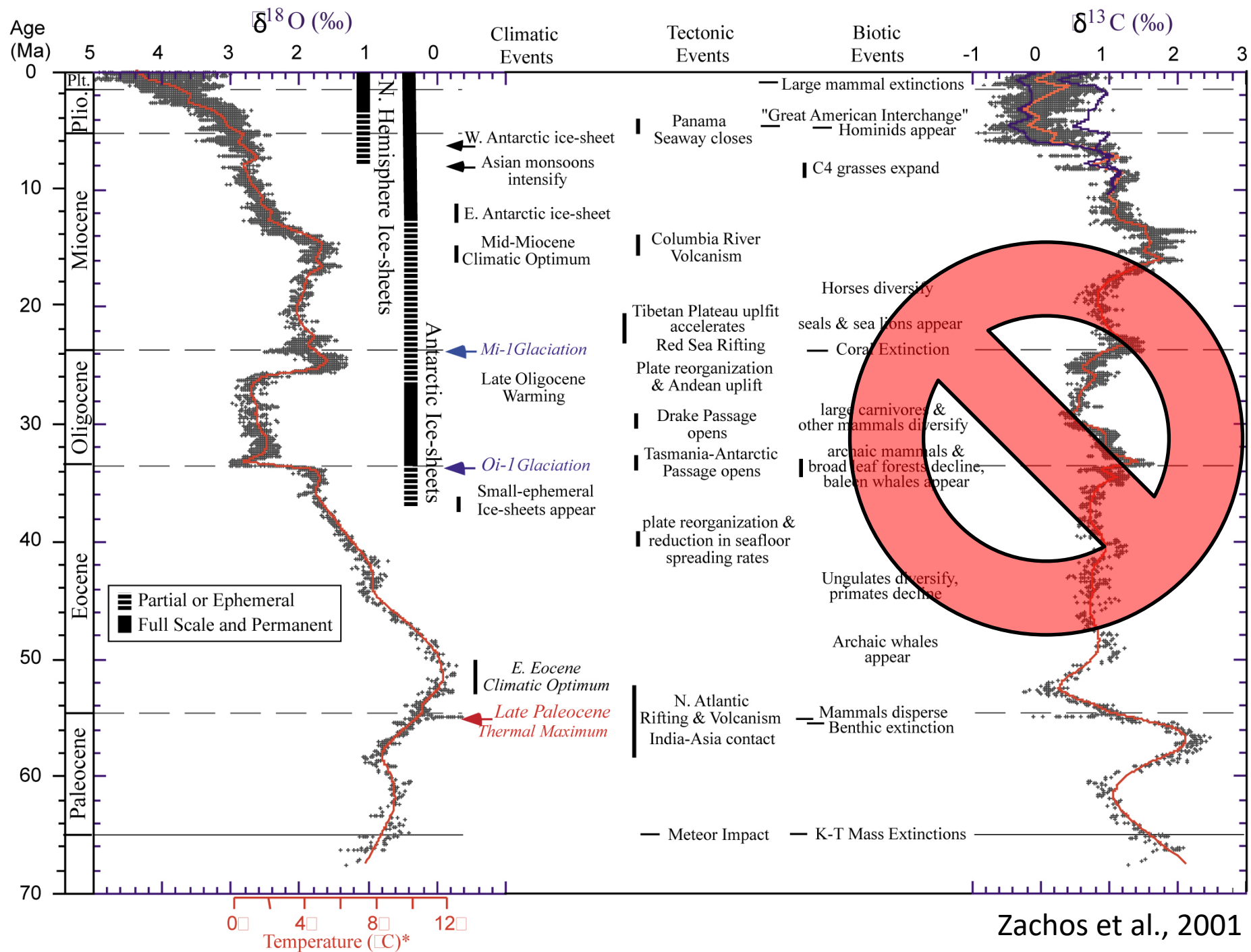
- Paleogene (65.5-23)
- Neogene and Quaternary (23-0).

Fig. 1 Cenozoic Global Reference benthic foraminifer carbon and oxygen Isotope Dataset (CENOGRID) from ocean drilling core sites spanning the past 66 million years.



Thomas Westerhold et al. *Science* 2020;369:1383-1387

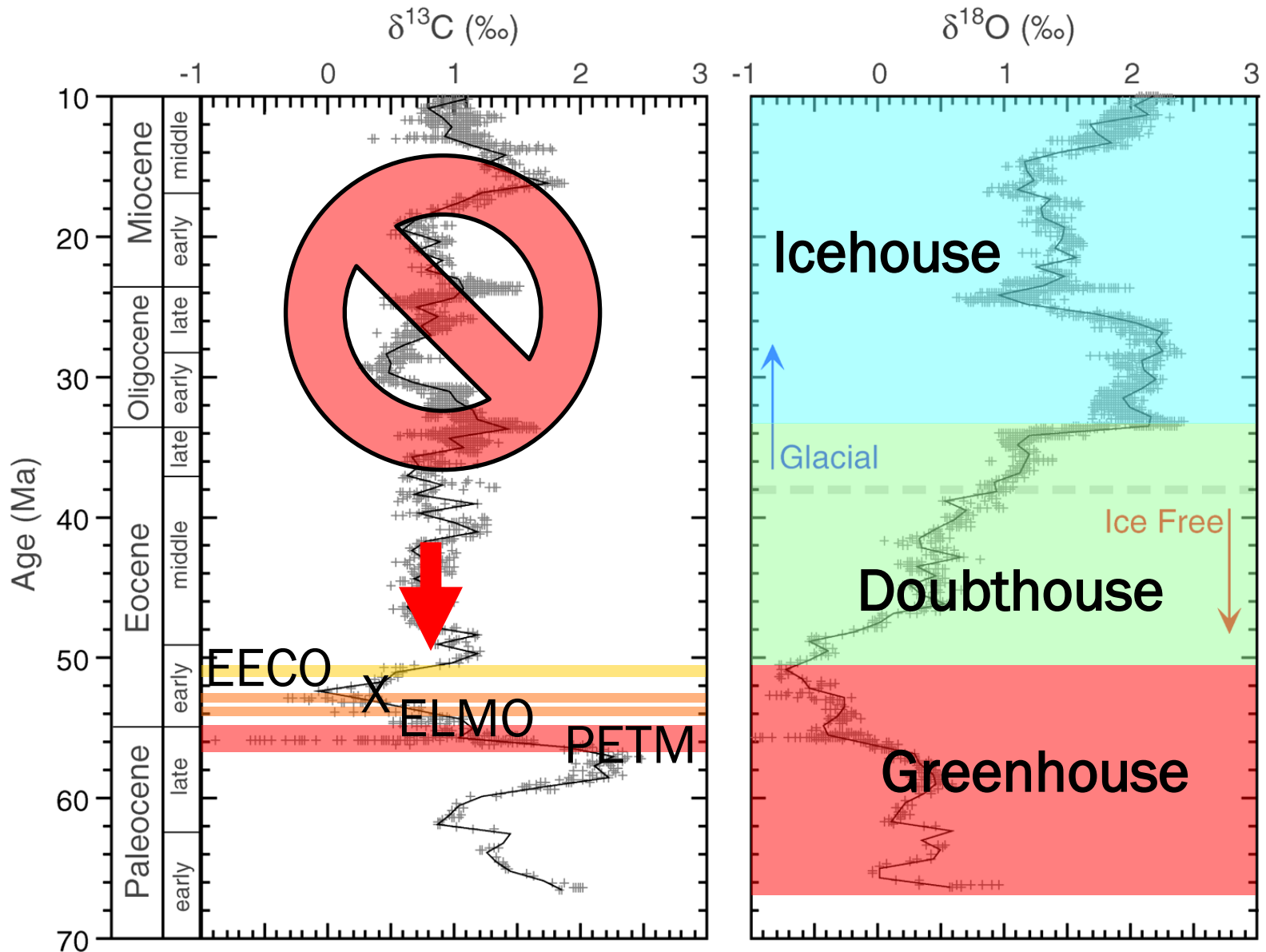


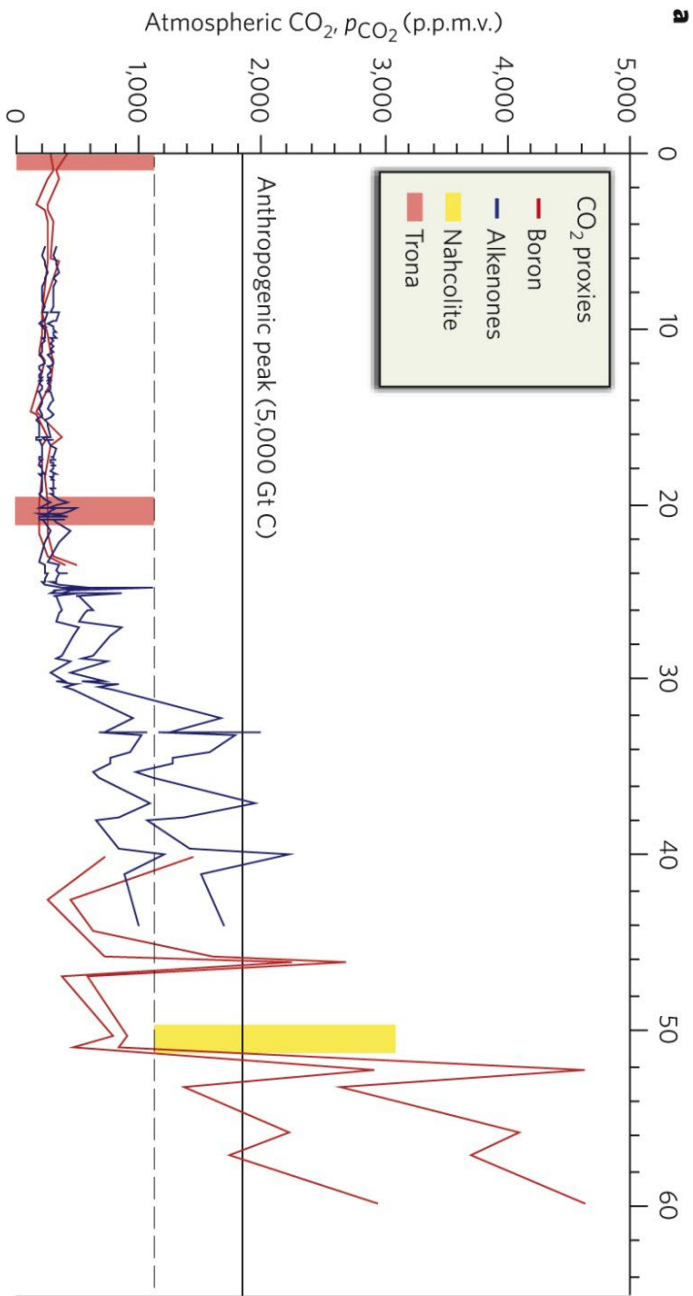


Zachos et al., 2001

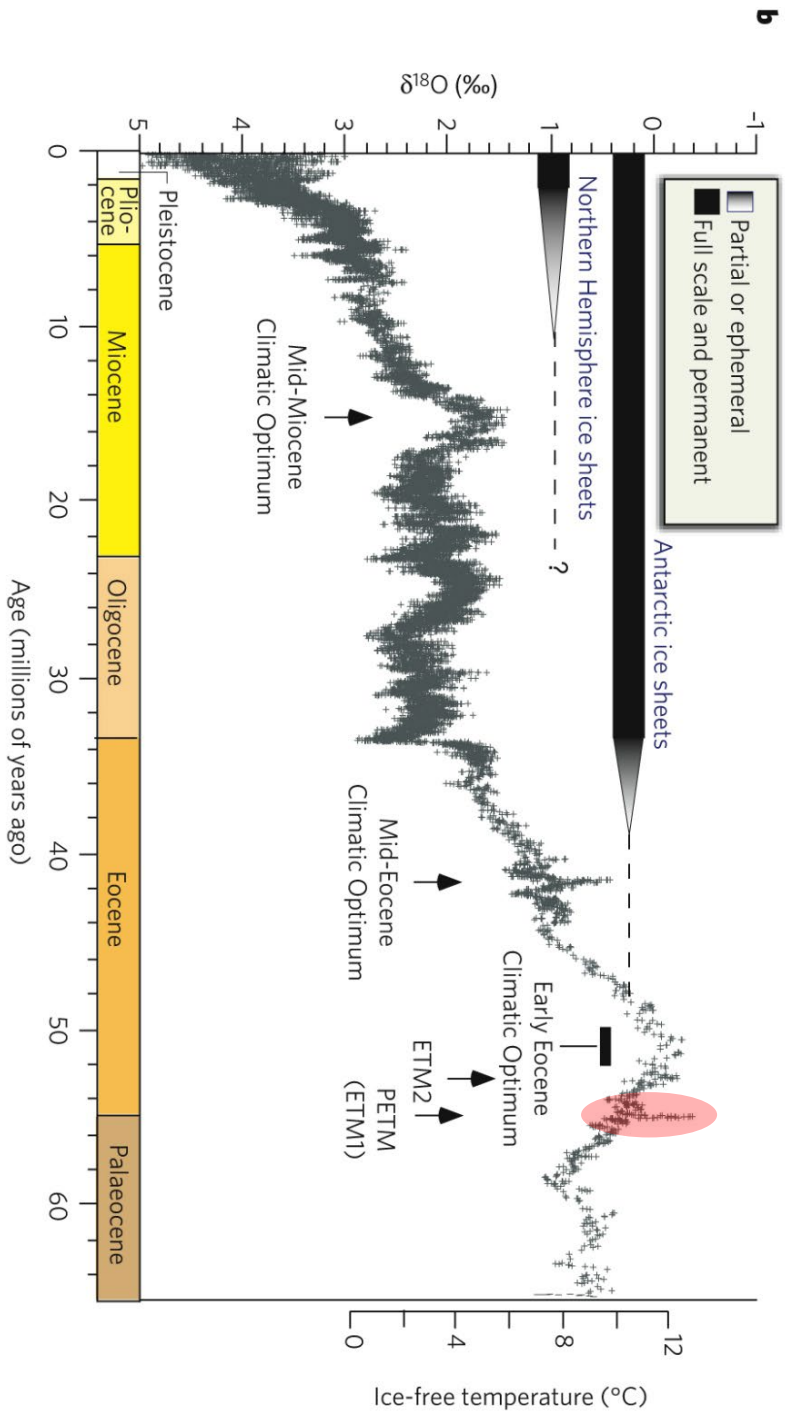
EARLY PALEOGENE CLIMATIC EVOLUTION

from **GREENHOUSE** to **ICEHOUSE** via **DOUBTHOUSE**



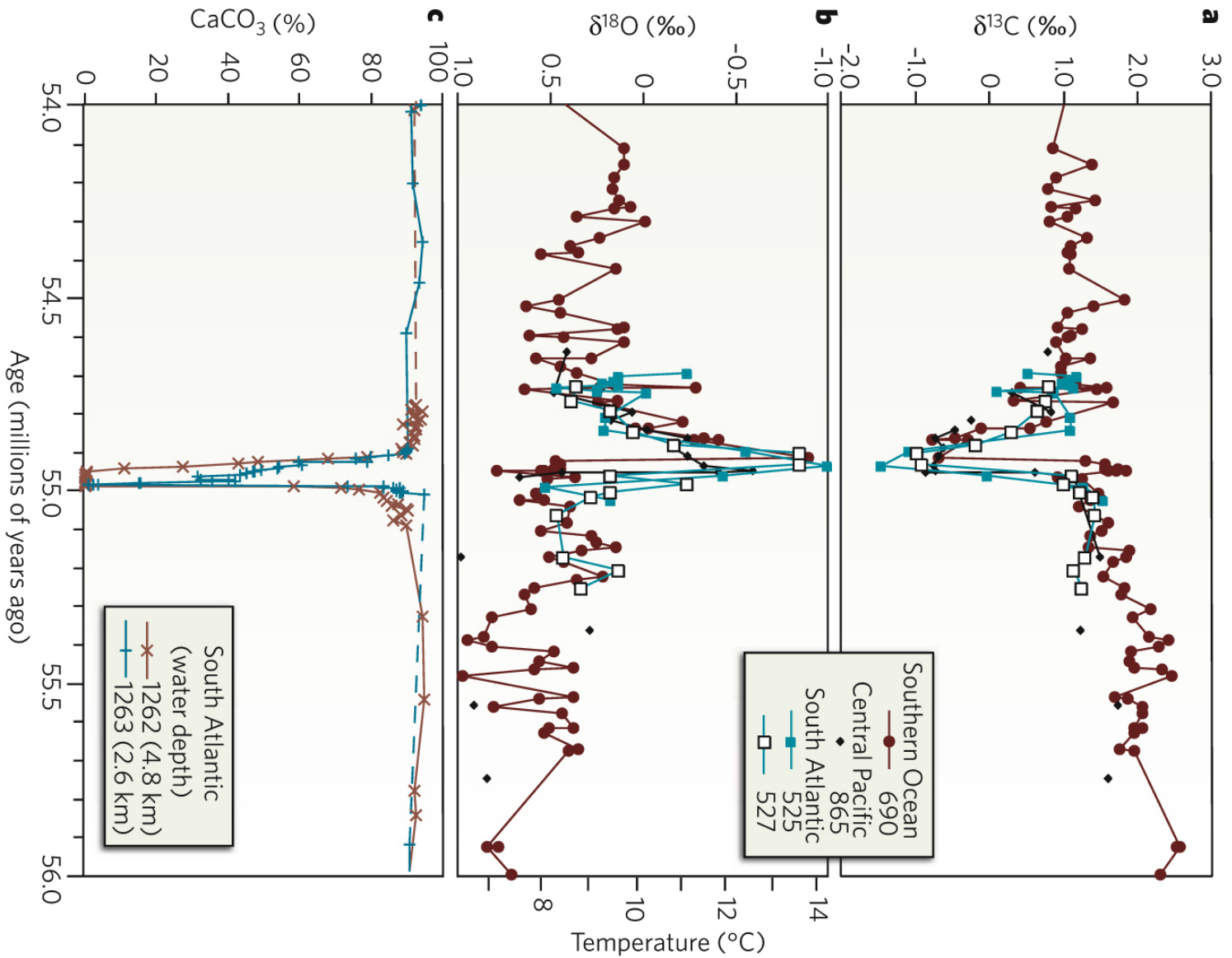


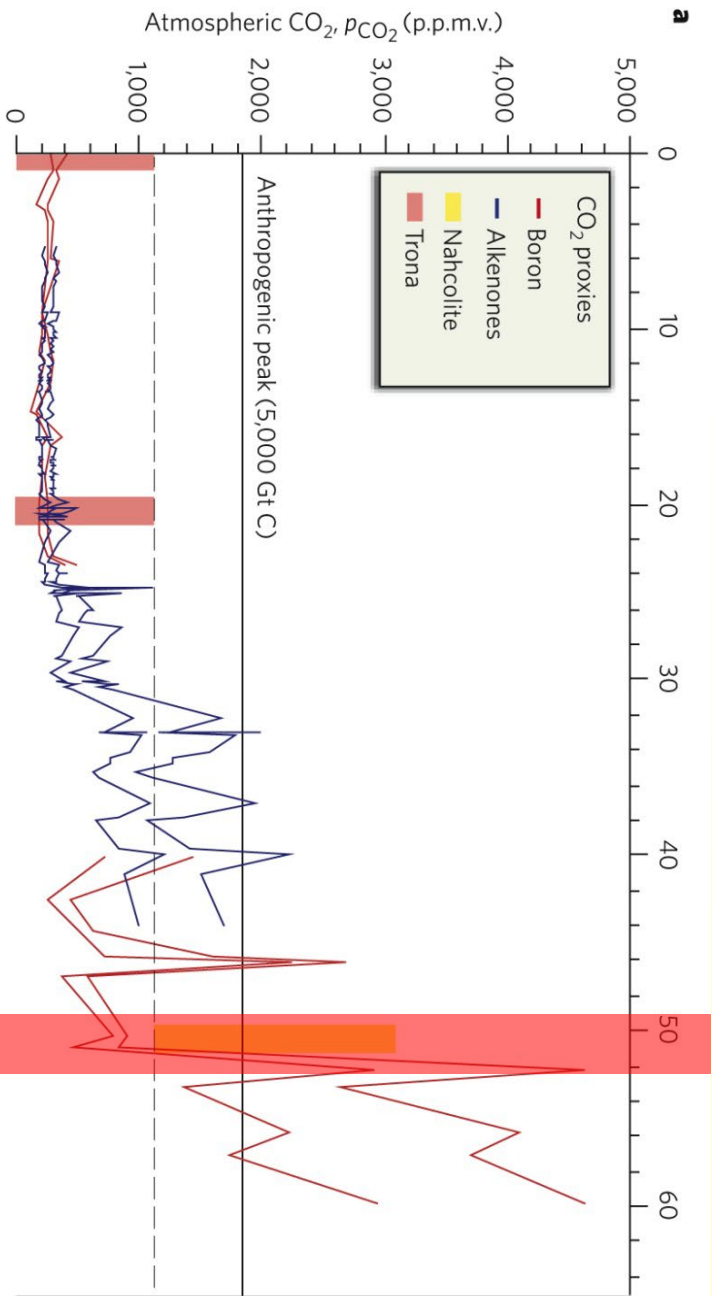
Zachos et al., 2008



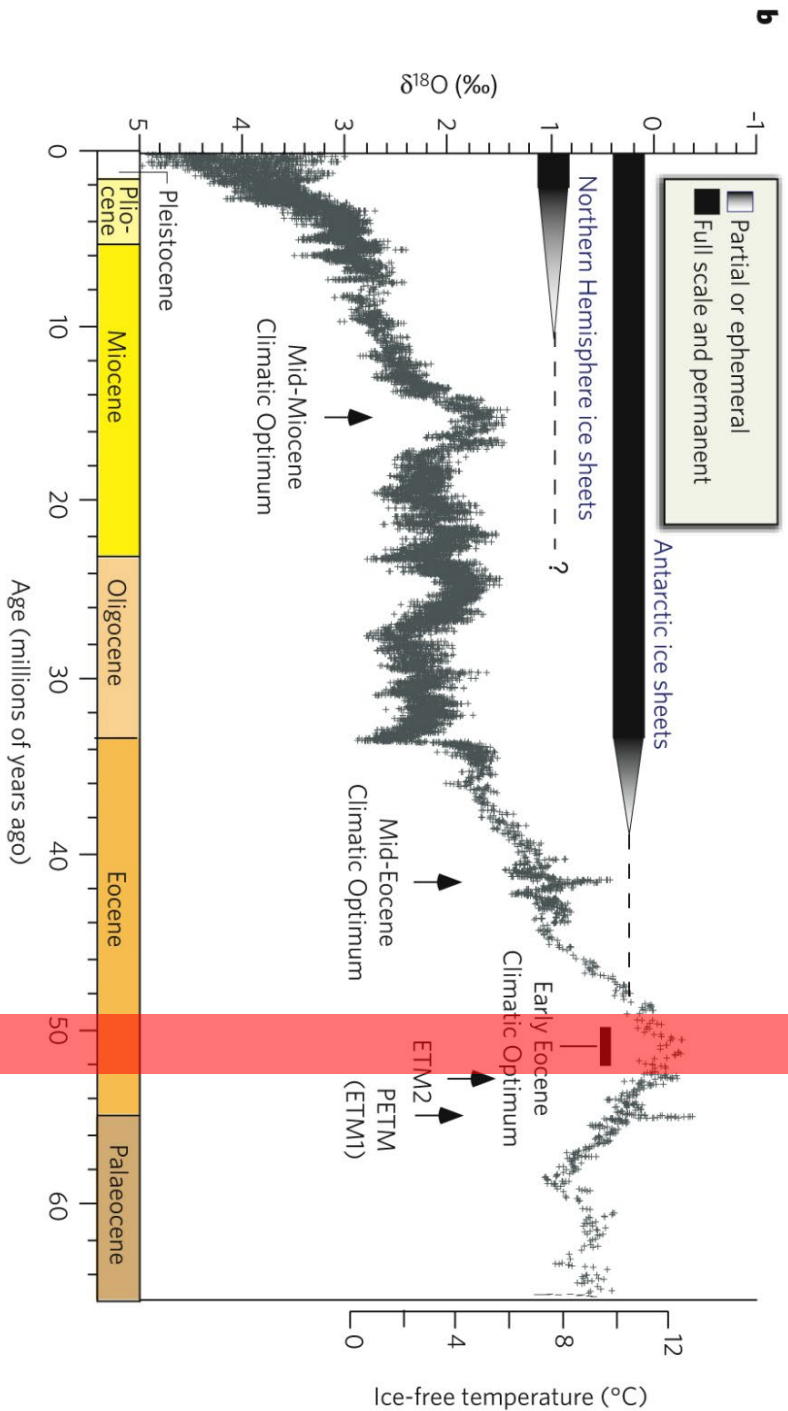
MLED

IL PALEOCENE EOCENE THERMAL MAXIMUM

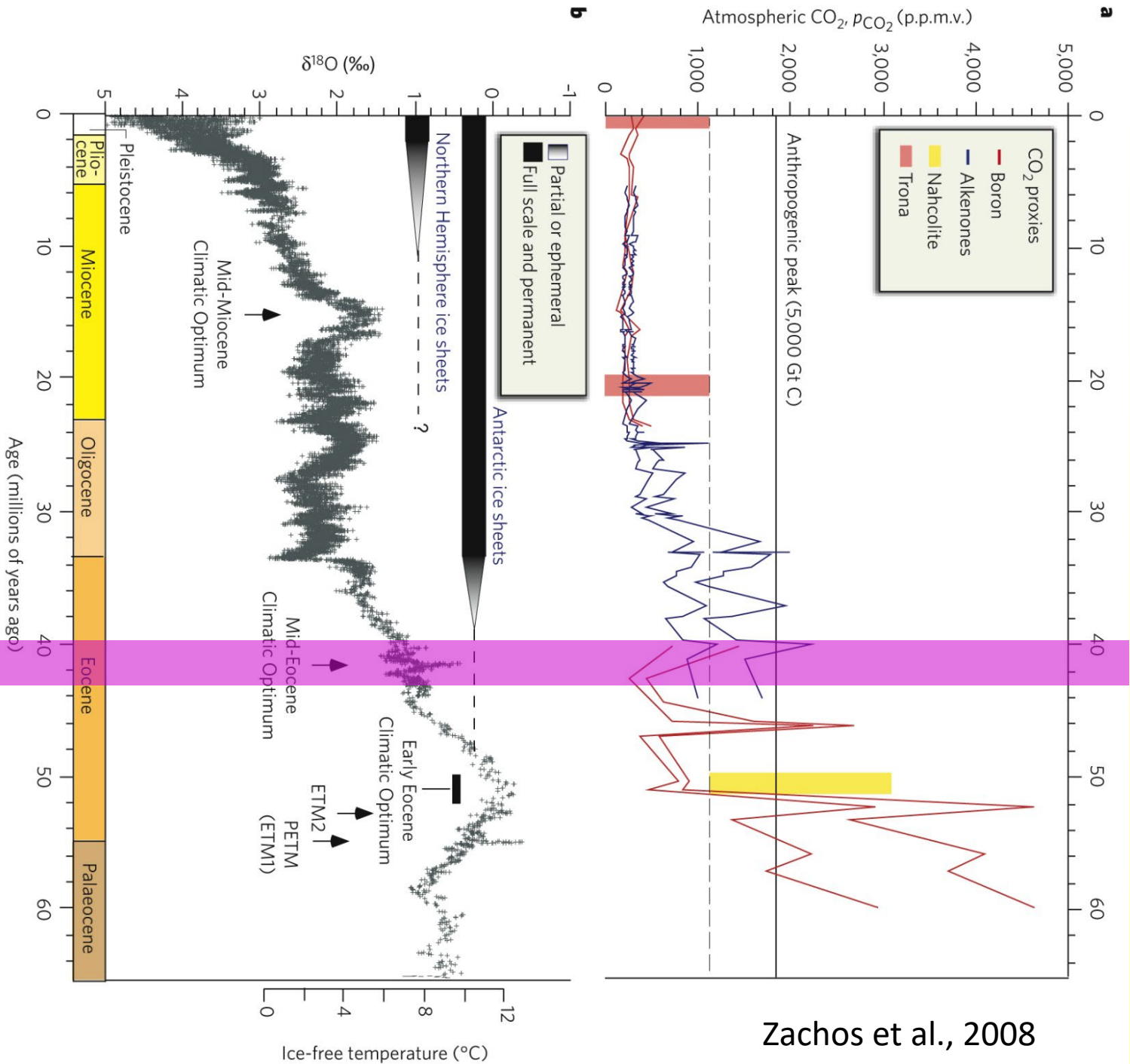




Zachos et al., 2008



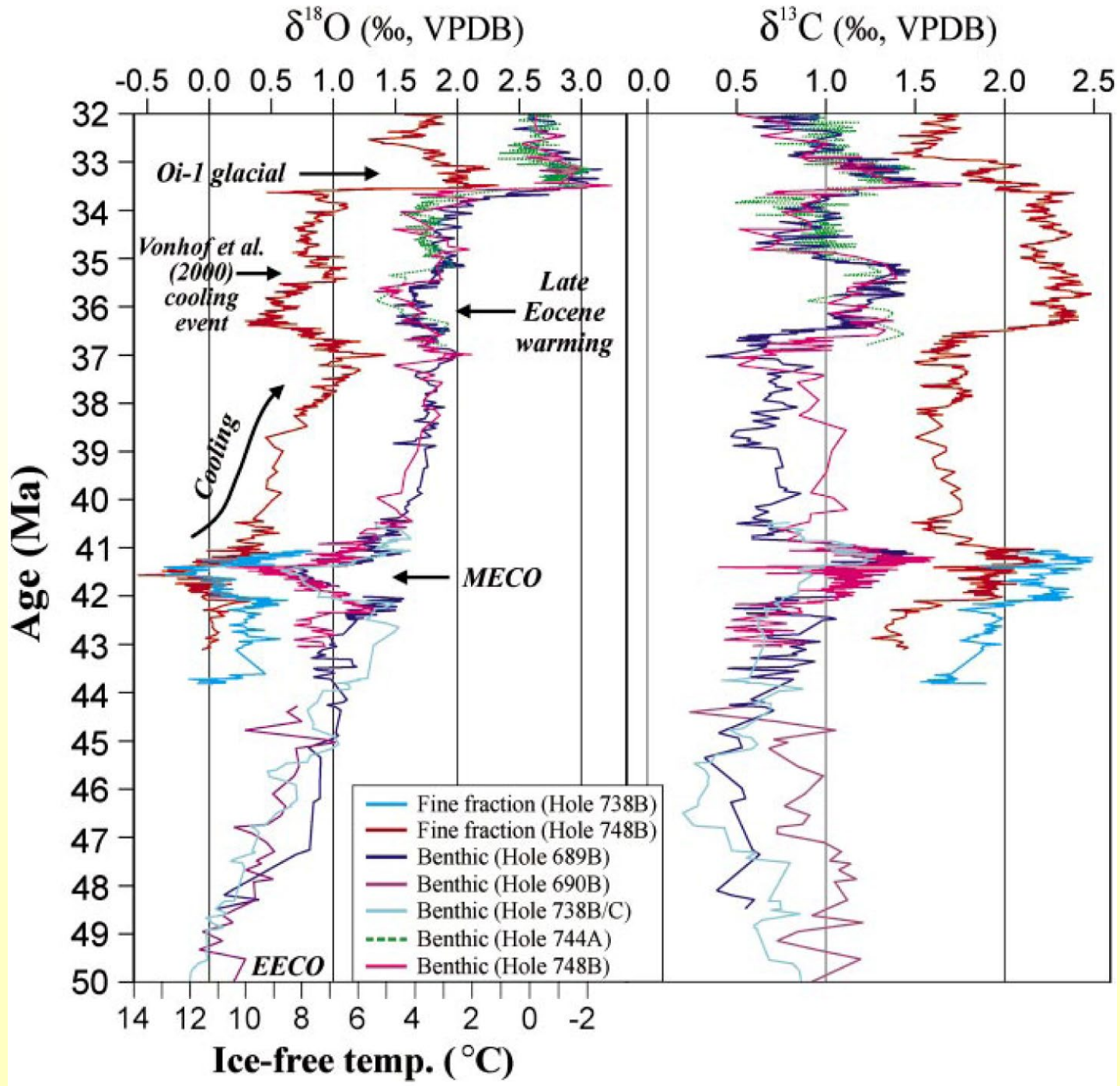
CO₂

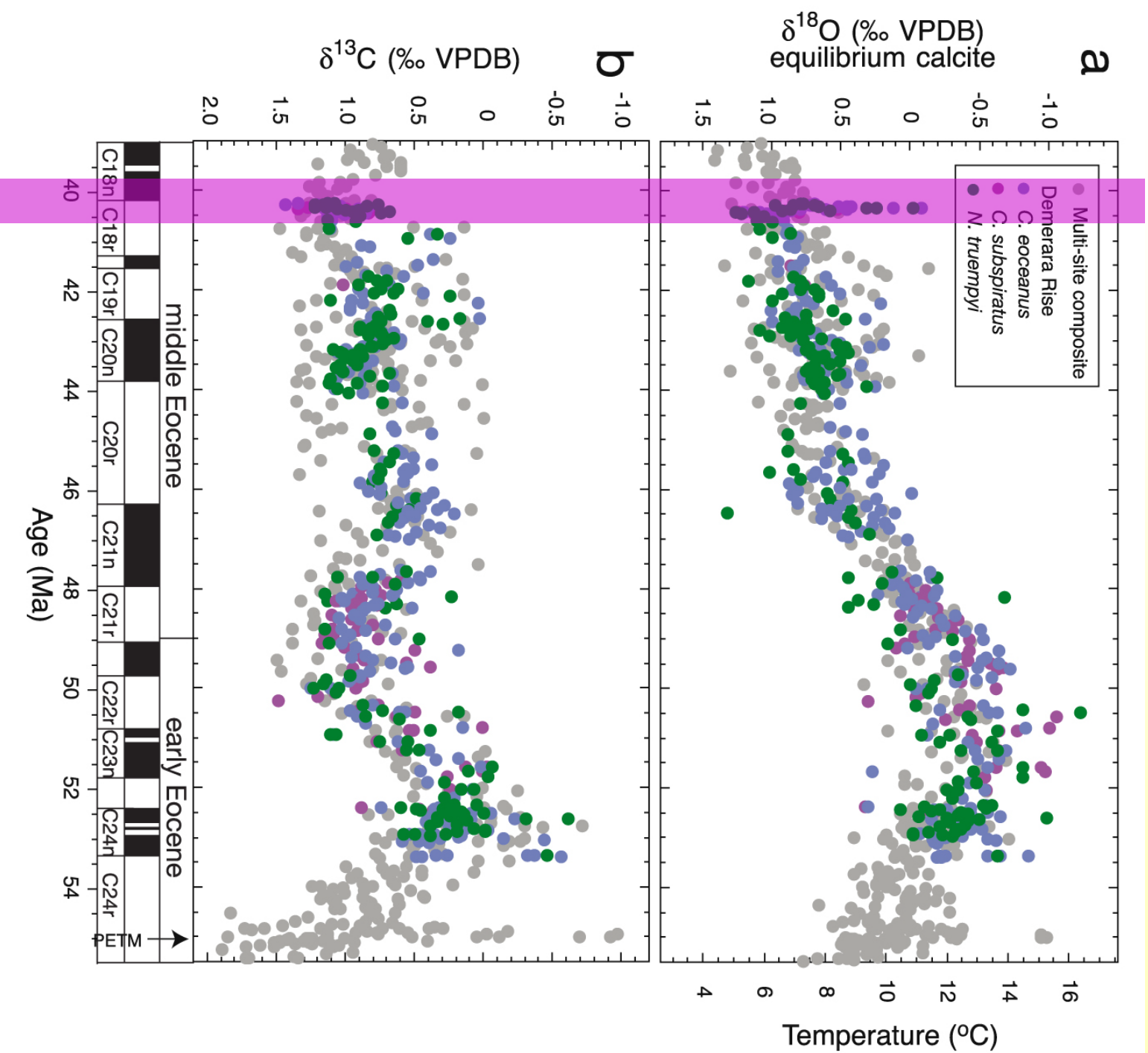


Zachos et al., 2008

OC3M

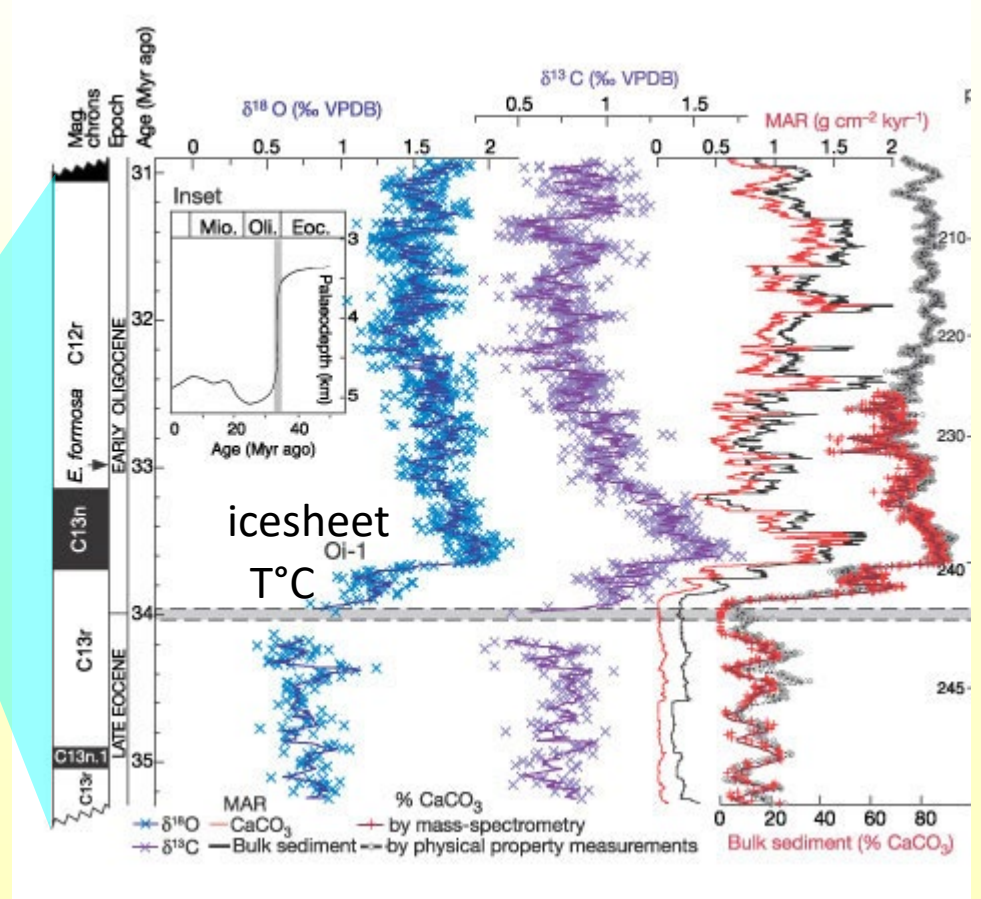
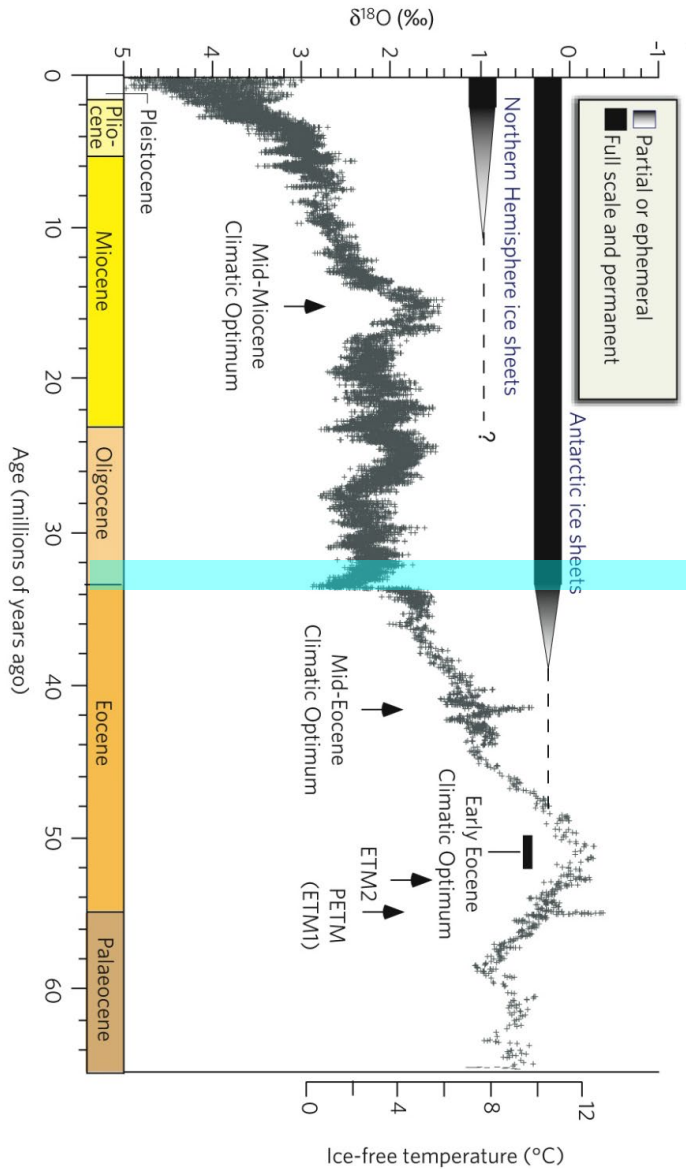
MECO



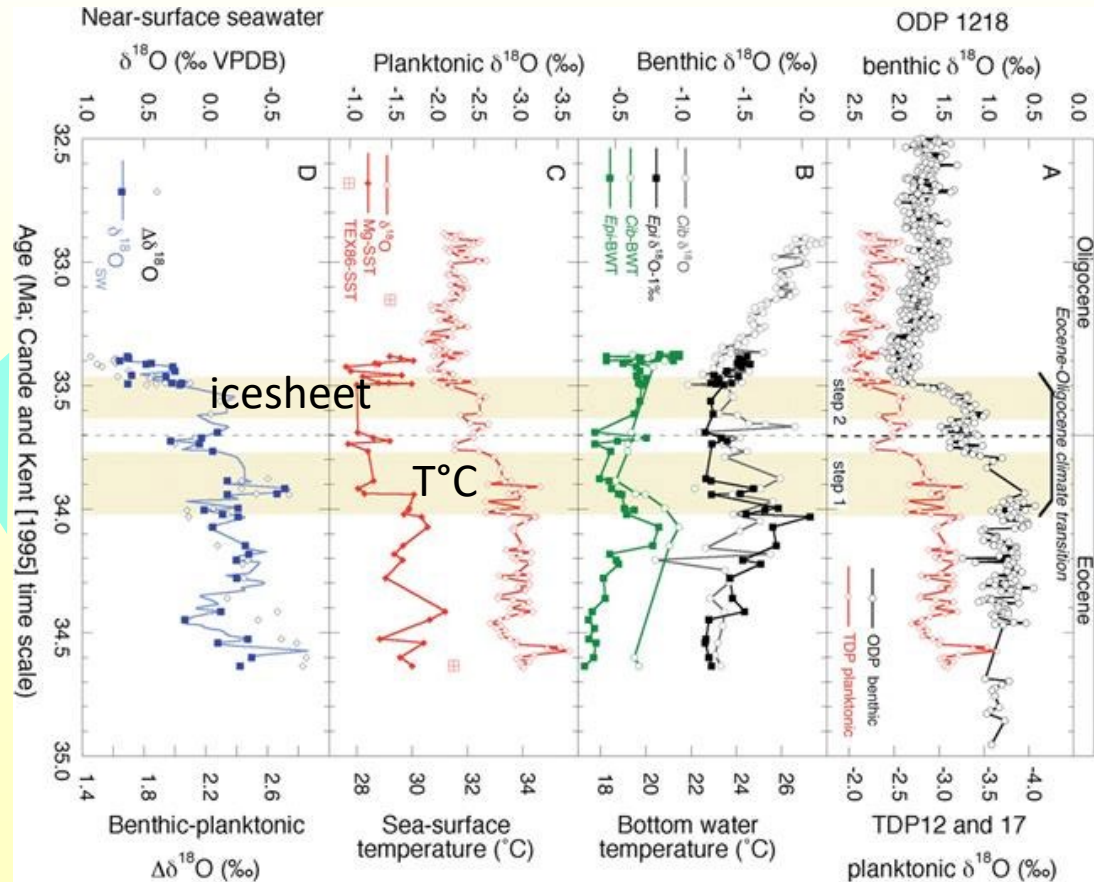
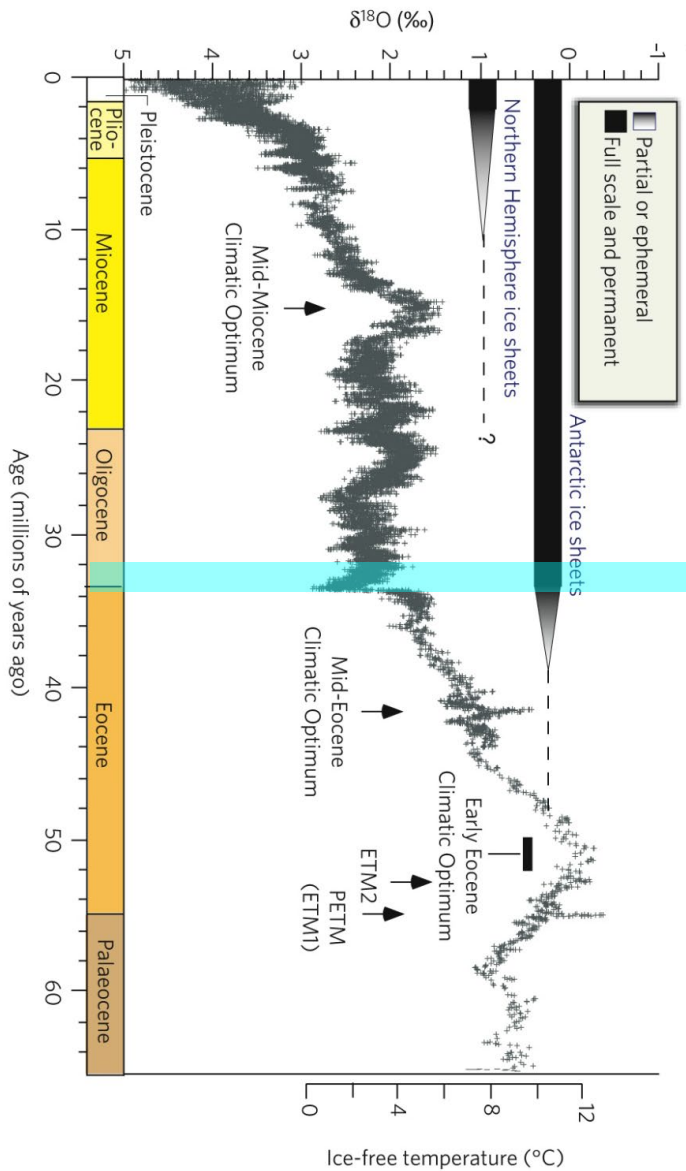


OC3M

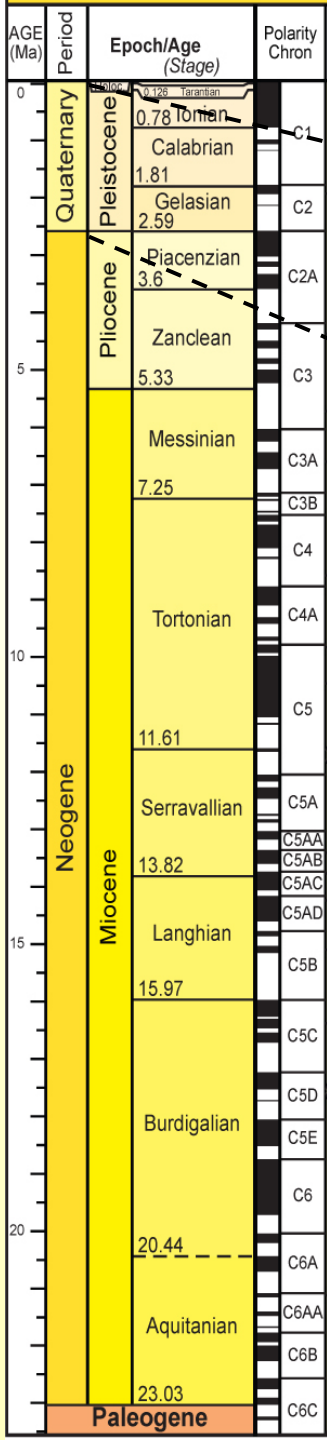
Eocene Oligocene Boundary



Eocene Oligocene Boundary



Lear et al., 2008



Eonothem / Eon
 Erathem / Era
 System / Period

Phanerozoic
 Cenozoic
 Quaternary

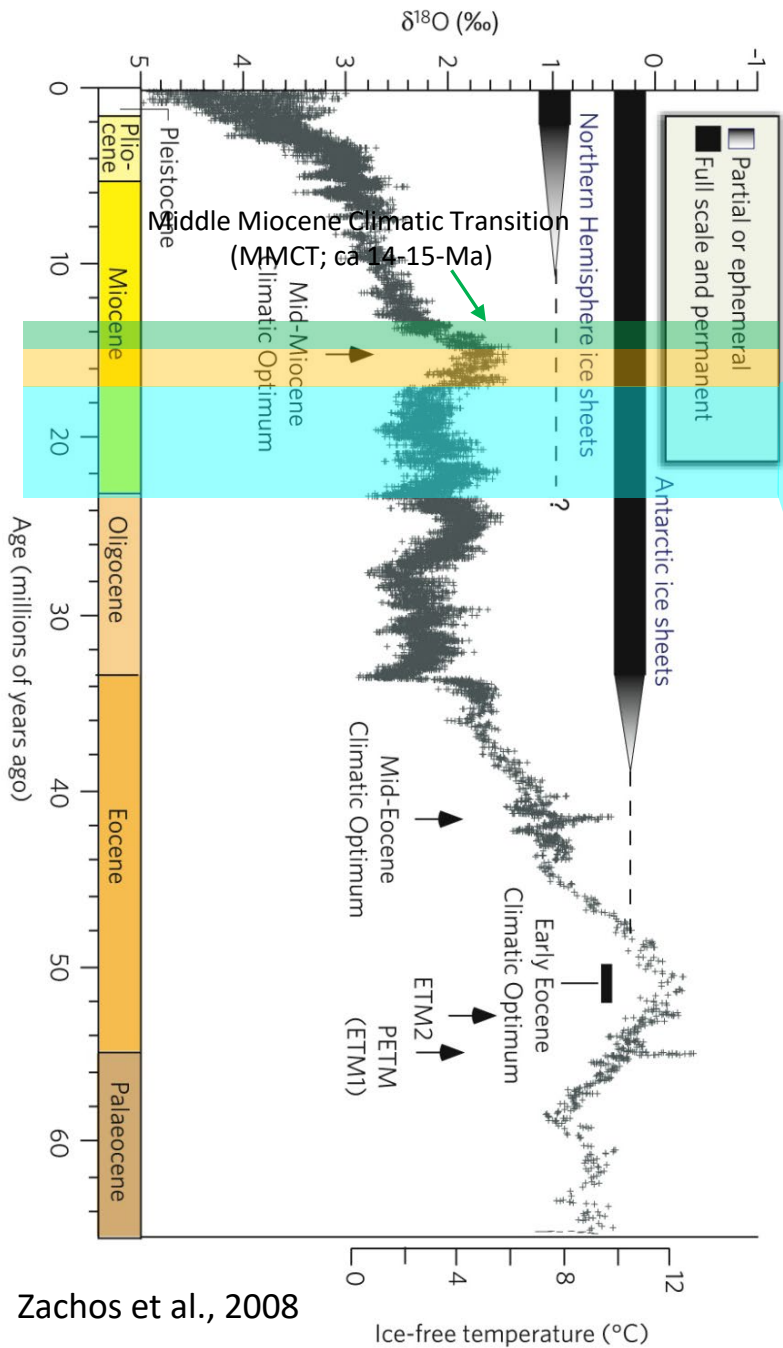
Series / Epoch	Stage / Age	GSSP
Holocene	Meghalayan (U/L)	⚡
	Northgrippian (M)	⚡
	Greenlandian (L/E)	⚡
Pleistocene	Upper (U/L)	
	Chibanian (M)	⚡
	Calabrian (L/E)	⚡
	Gelasian (L/E)	⚡

numerical age (Ma)
present
0.0042
0.0082
0.0117
0.129
0.774
1.80
2.58

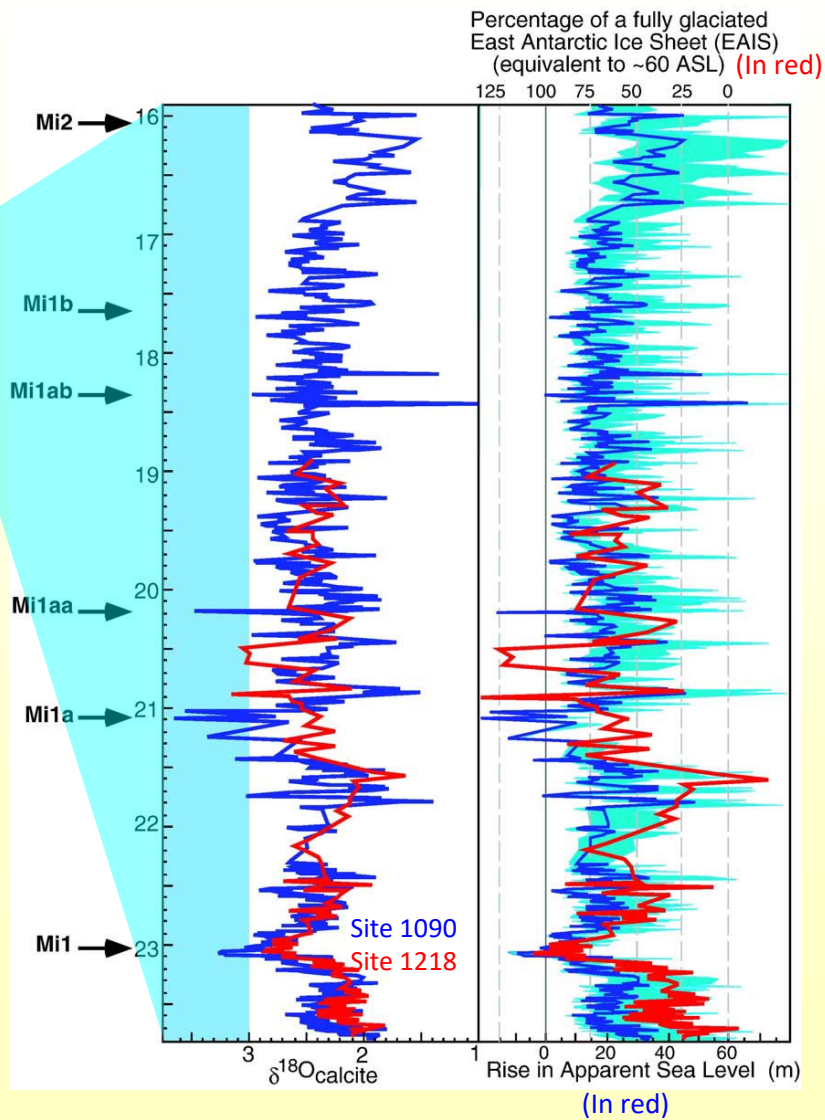
NEOGENE and QUATERNARY

23-0 Ma

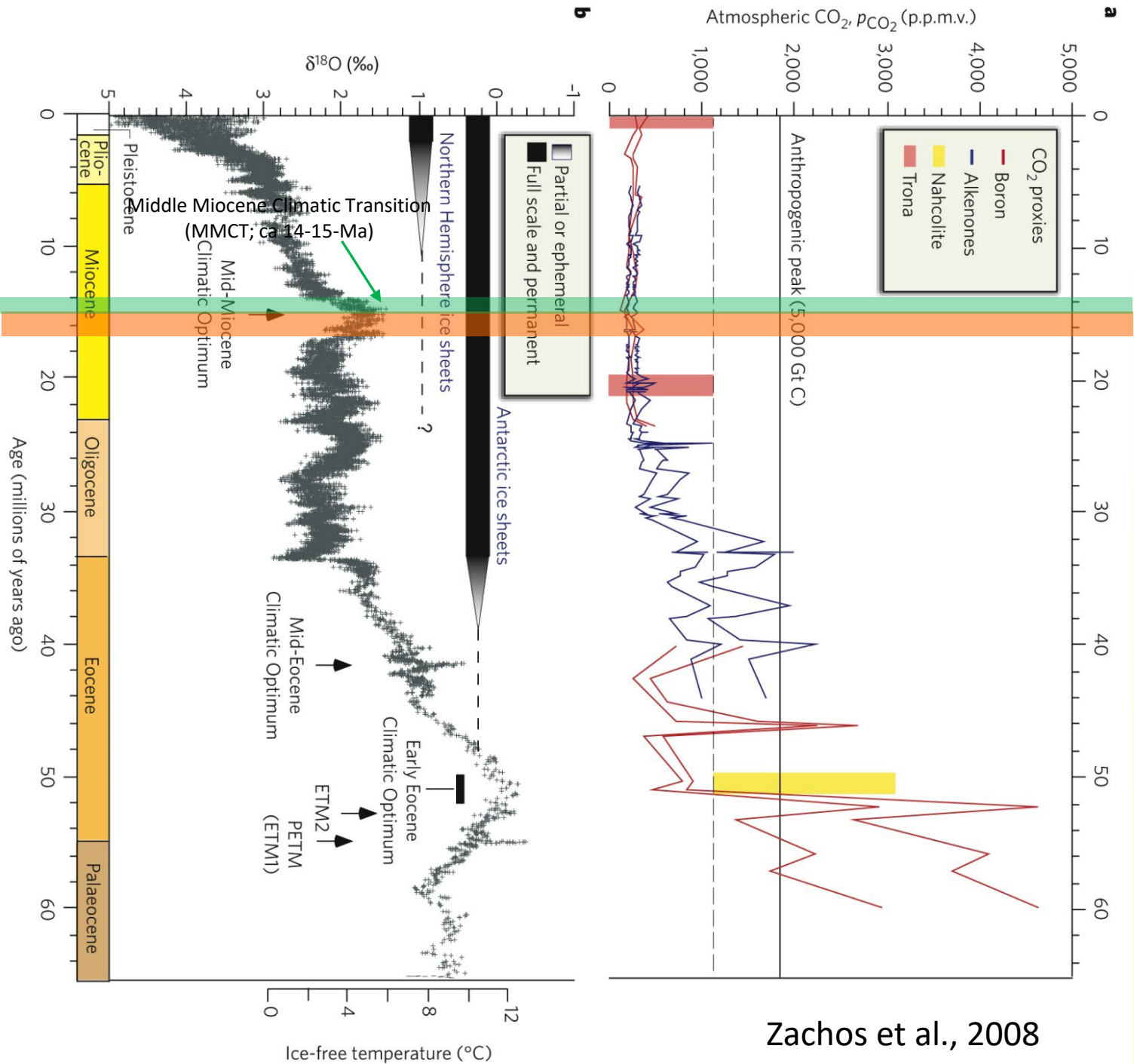
Mi-events



East Antarctic Ice sheet (EAIS)

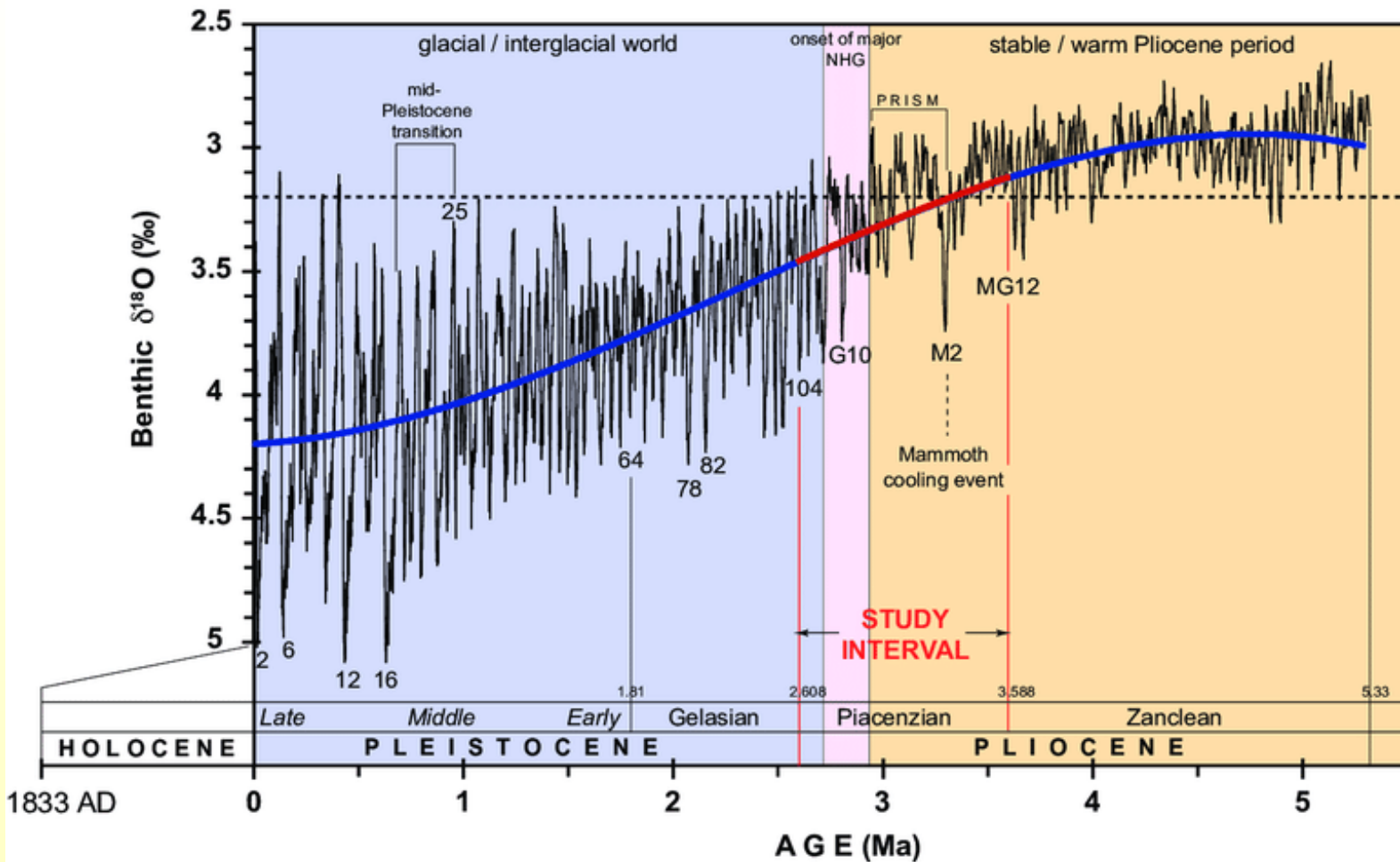


Mid-Miocene Climatic Optimum



Zachos et al., 2008

WARM PLIOCENE" (5.3 – 3.2 Ma)



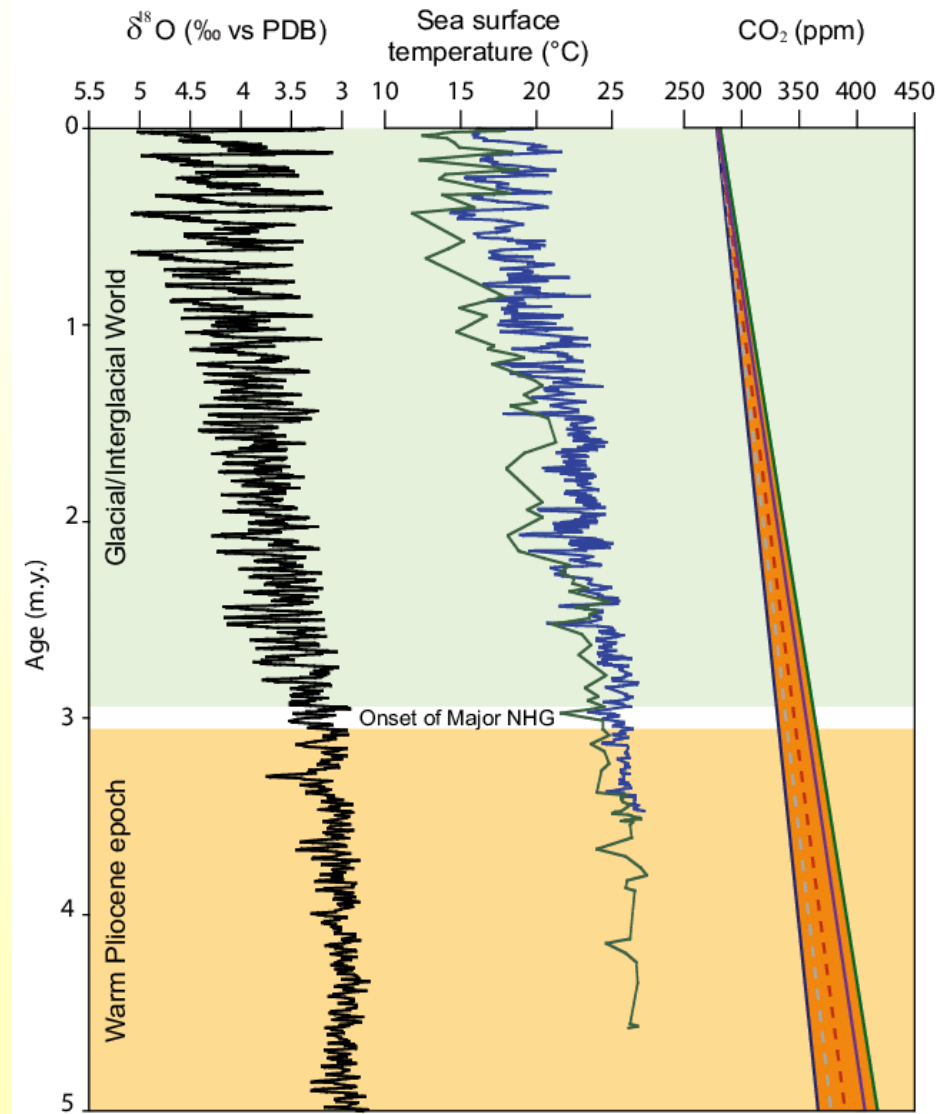
The interval between 5 and 3 million years ago, known as the **"Warm Pliocene Period"** saw SSTs at high latitudes up to 7°C higher than today, no ice cap in Greenland, and sea levels about 30 meters higher than current levels

NORTHERN HEMISPHERE GLACIATION

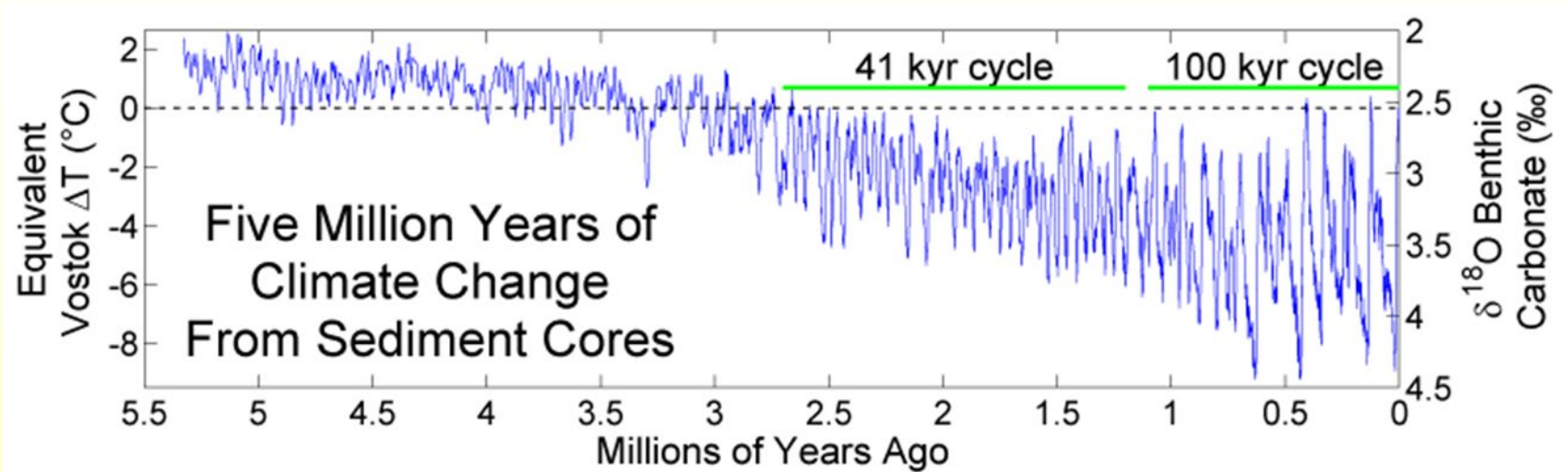
Between 3.2 and 1 Ma, $\delta^{18}\text{O}$ values show a strong and progressive increase.

Did ice caps expand, or did deep ocean temperatures decrease significantly?

Isotopes alone don't fully answer this, but the $\delta^{18}\text{O}$ increase aligns with IRD pulses, indicating that an ice cap was definitively established in the Northern Hemisphere (Greenland) during this time, varying cyclically in size.

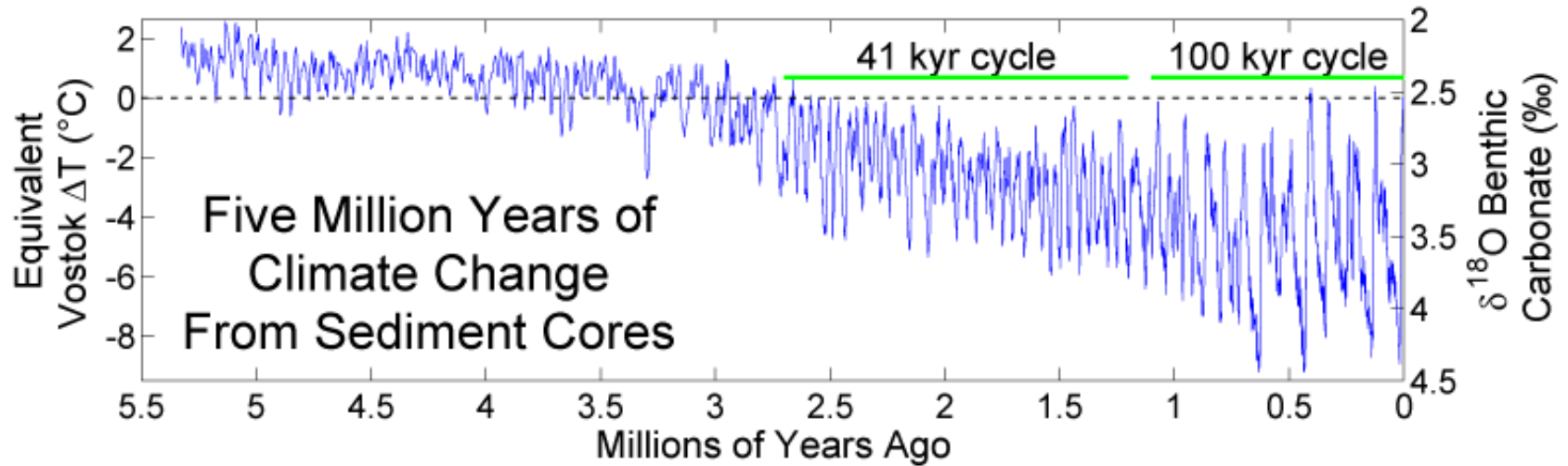


GLACIAL-INTERGLACIAL REGIME: 40-100kyr TRANSITION



Comparing the Early Pleistocene with the most recent part of the record, we observe that **at ca. 1 Ma the amplitude and duration of the cycles in the $\delta^{18}\text{O}$ (glacial-interglacial cycles) change.**

"CATASTROFIST" vs "GRADUALIST"

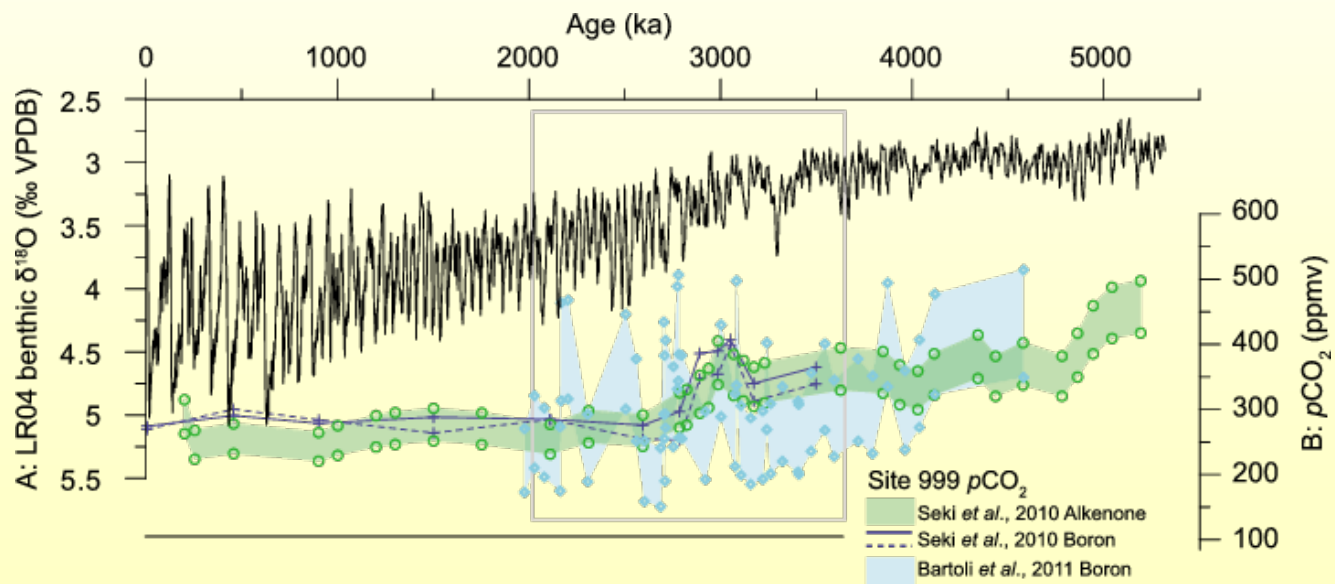


Catastrophist Model:

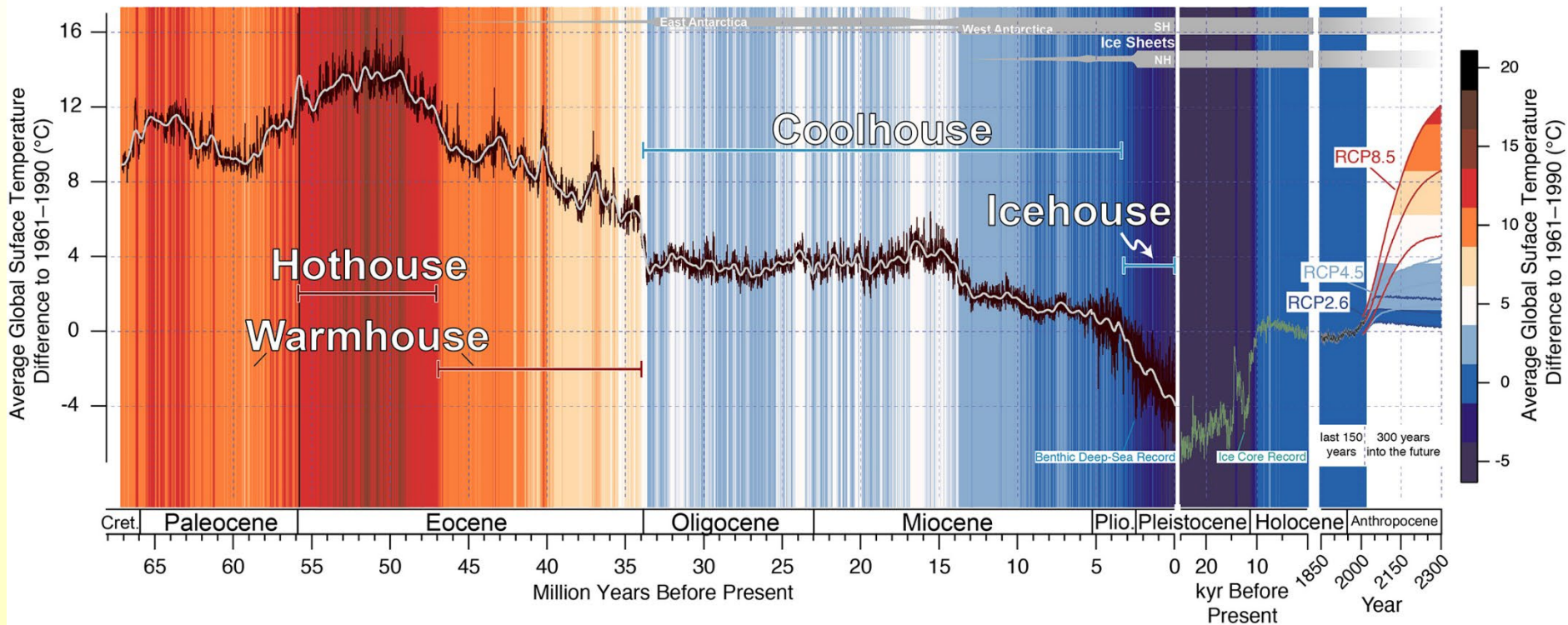
The increase in $\delta^{18}\text{O}$ oscillation amplitude is mostly gradual, but dramatic shifts occur, particularly around MIS24/22 (0.95 Ma), marking the start of the glacial Pleistocene.

Gradualist Model:

The process is gradual, with $\delta^{18}\text{O}$ oscillations around 1.5 ‰ in the Pliocene, increasing to 4 ‰ in the mid-to-late Pleistocene.



An astronomically dated record of Earth's climate and its predictability over the last 66 million years



Westerhold et al., 2020

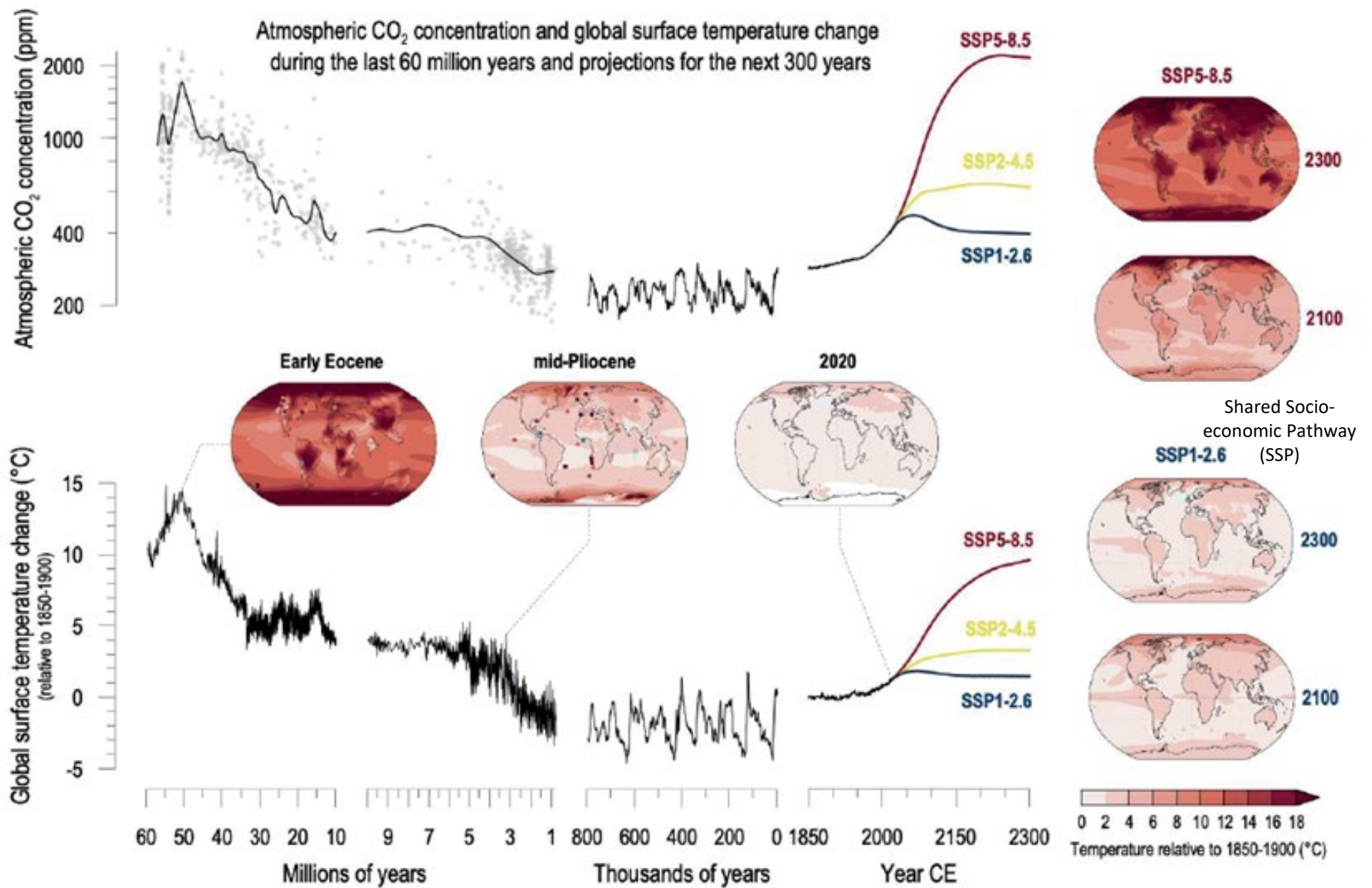


Figure TS.1 | Changes in atmospheric CO₂ and global surface temperature (relative to 1850–1900) from the deep past to the next 300 years. (IPCC AR6 Climate Change 2021: The Physical Science Basis)

Shared Socioeconomic Pathways (SSPs)



Shared Socioeconomic Pathways (SSPs) are climate change scenarios of projected socioeconomic global changes up to 2100. They are used to derive greenhouse gas emissions scenarios with different climate policies

[https://en.wikipedia.org/wiki/Shared_Socioeconomic_Pathways#:~:text=Shared%20Socioeconomic%20Pathways%20\(SSPs\)%20are,scenarios%20with%20different%20climate%20policies](https://en.wikipedia.org/wiki/Shared_Socioeconomic_Pathways#:~:text=Shared%20Socioeconomic%20Pathways%20(SSPs)%20are,scenarios%20with%20different%20climate%20policies)

SSP	Scenario	Estimated warming (2041–2060)	Estimated warming (2081–2100)	Very likely range in °C (2081–2100)
SSP1-1.9	very low GHG emissions: CO ₂ emissions cut to net zero around 2050	1.6 °C	1.4 °C	1.0 – 1.8
SSP1-2.6	low GHG emissions: CO ₂ emissions cut to net zero around 2075	1.7 °C	1.8 °C	1.3 – 2.4
SSP2-4.5	intermediate GHG emissions: CO ₂ emissions around current levels until 2050, then falling but not reaching net zero by 2100	2.0 °C	2.7 °C	2.1 – 3.5
SSP3-7.0	high GHG emissions: CO ₂ emissions double by 2100	2.1 °C	3.6 °C	2.8 – 4.6
SSP5-8.5	very high GHG emissions: CO ₂ emissions triple by 2075	2.4 °C	4.4 °C	3.3 – 5.7

The IPCC Sixth report did not estimate the likelihoods of the scenarios SPM-12 but a 2020 commentary described SSP5–8.5 as highly unlikely, SSP3–7.0 as unlikely, and SSP2–4.5 as likely.

However, a report citing the above commentary shows that RCP8.5 is the best match to the cumulative emissions from 2005 to 2020. [

What controls the $\delta^{18}\text{O}$ signal?

← Exit

Go to **wooclap.com** and use the code **PCCC2023**



What controls the $\delta^{18}\text{O}$ signal?

1 Wind patterns

2 Salinity

3 Galactic cosmic rays

4 Evaporation

5 Temperature



0% 0

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ctuations

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<https://app.wooclap.com/events/PCCC2023/0>