

Reg Lang (not p. lemma)

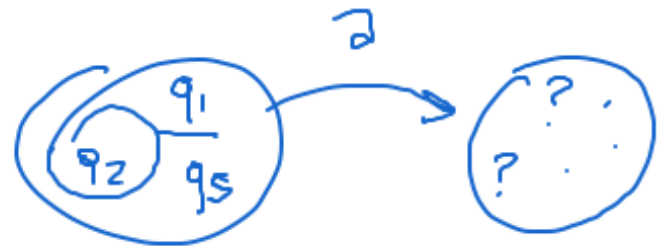
#1 NFA \rightarrow DFA : subset construction

input: NFA

out: DFA

- states of DFA are sets :

- lazy eval.



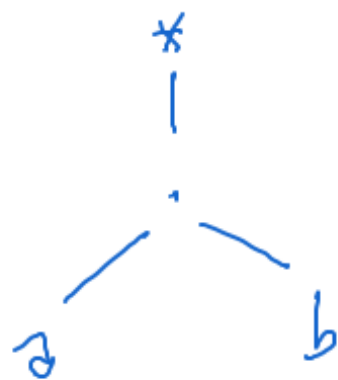
#2 : Mutual Induction :

no such exercise in Sept!

#3 : Structural Induction (RegEx)

$(a \cdot b)^*$

\Rightarrow



$a \cdot b^*$

\Rightarrow



Exercise on $\S.1$: reversal of RegEx

$$\begin{array}{l} E \Rightarrow L(E) \\ \vdots \\ E^R \Rightarrow [L(E)]^R \end{array}$$

base case: $\underline{\lambda}$ ϕ ϵ

ind. case: $E = F \cdot G$

$$F \dashrightarrow F^R$$

$$G \dashrightarrow G^R$$

Π^R :



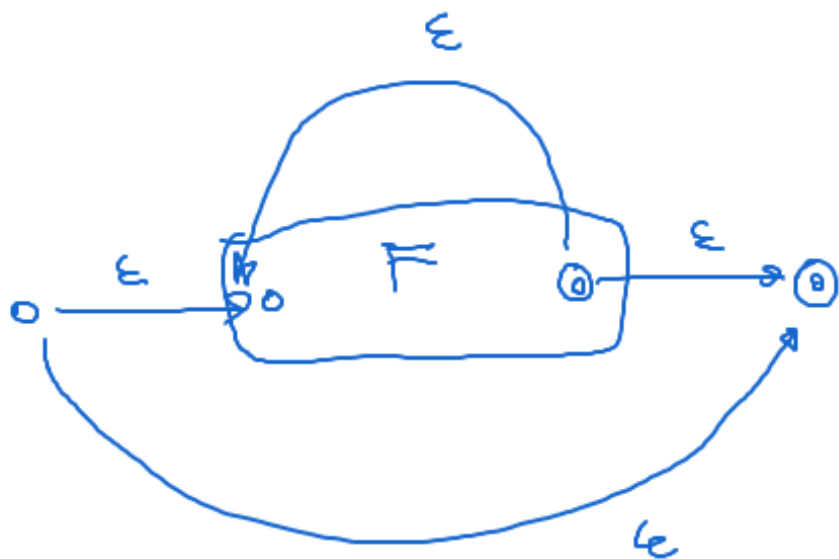
#4 RegEx \rightarrow ϵ -NFA (use of S, J.)

base cases: $\emptyset \rightarrow \text{Start}$ \circ

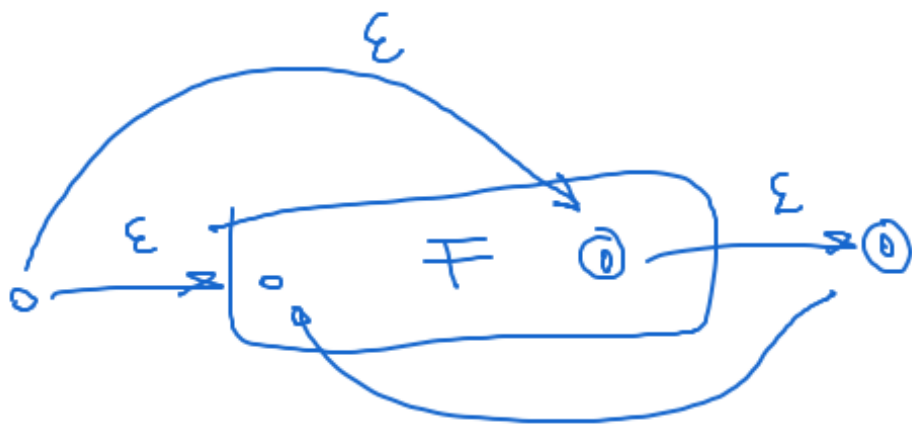
ind cases:

$$E = F^*$$

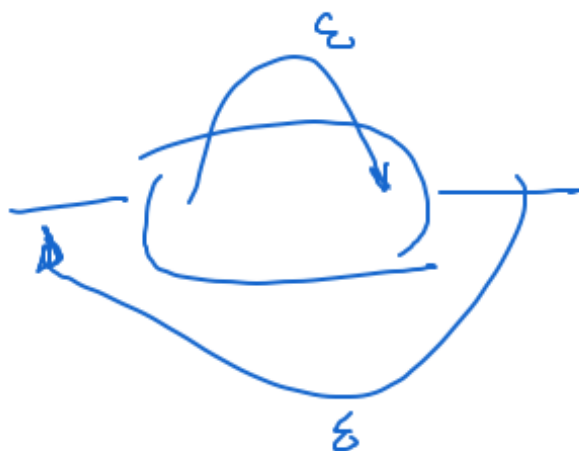
\rightarrow



mistakes!



don't
do this!



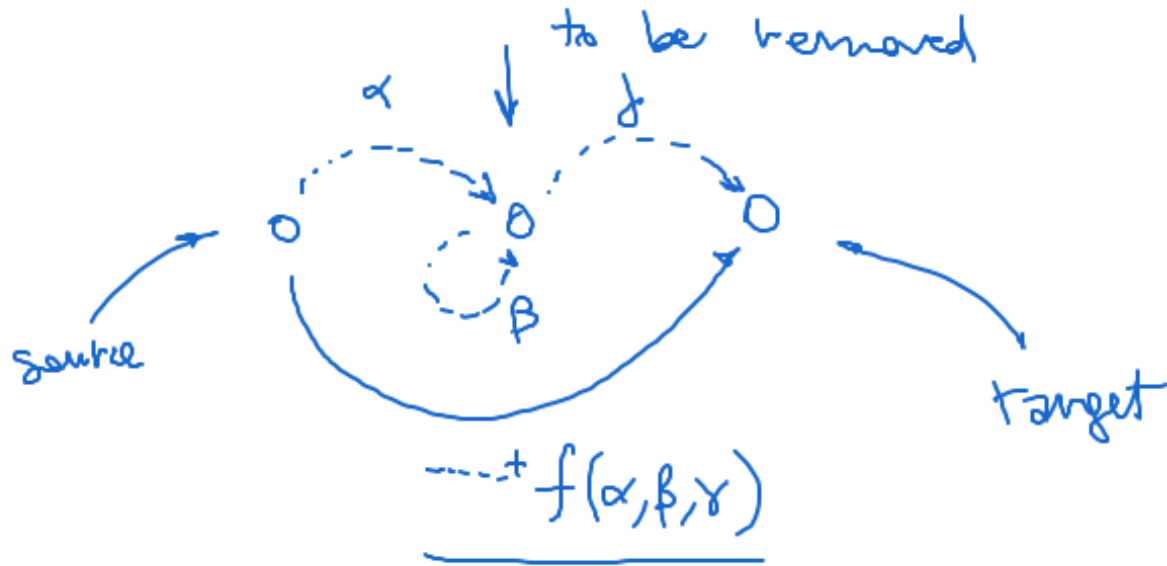
don't !!

#5.

DFA \rightarrow Regex

state elim. construction

Basic



mistake :

inspect DFA and
draw Regex based
on intuition

don't !!

#6.

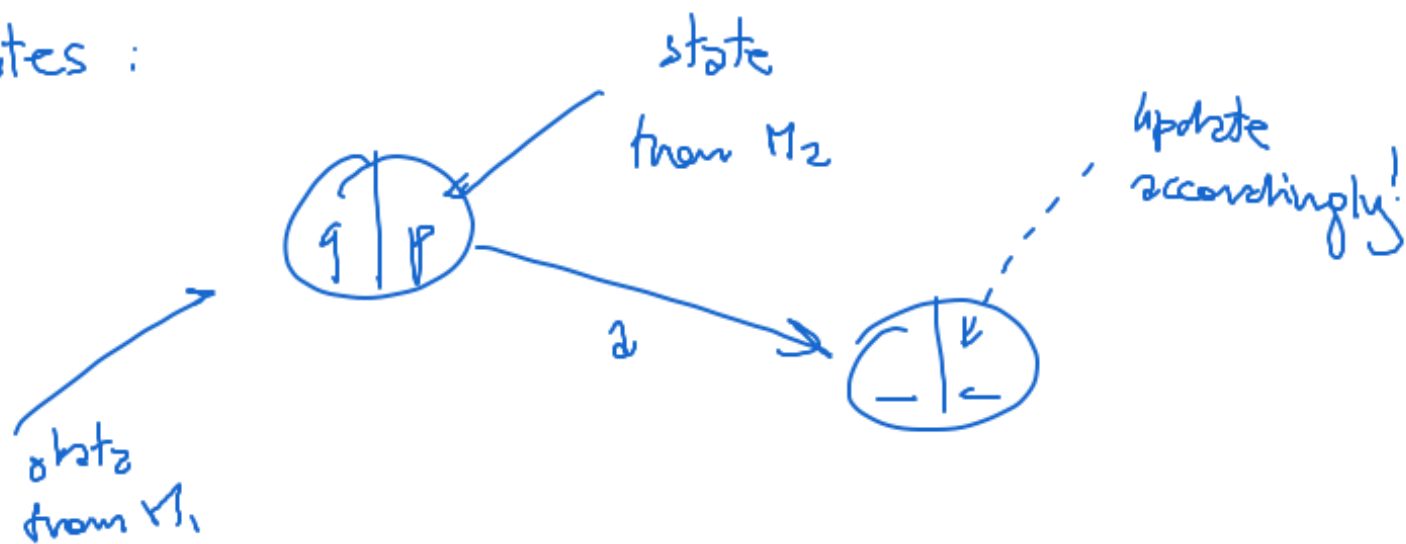
Intersection of two DFA's

input : M_1, M_2 DFA

output : M_{int} DFA

simulates simultaneously
 M_1 and M_2

M_{int} 's states :



#7. Other things:

short yes/no questions

2) it \exists take RegLang L,
and change something,
does it become non Reg

pay attention to the quantifiers (\forall , \exists) in the
text ...

possible solution: find counter-example: