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CHARGE STORAGE EFFECTS IN BUTS AND MOSFETS

CHARGE STOPAGE ETTECTS ARE INTRUSIC TO BOTH BUTS AND MOSFETS THESE EFFECTS ARE THE ORIGIN OF WH O BJT JBE JCB $m, p \in E(m^{\dagger}) \downarrow B(p) (C(m))$ IN THE FORWARD ACTIVE REGION: JR- IS DIRECTLY BIASED Jos IS NURREUS BINSED æ JCR SCR WE HAVE MINORITY OARDIER ACCUMULATION IN THE BASE SANDE GEMERGE REGION REGION THE CHARGE STORED IN THE BASE IS APPROXIMATELY GUEN BY $Q_{B} = i_{C} \cdot C_{F} \qquad z_{F} \in [1 - 100 \text{ ps}]$ CF: AVERAGE LIFETIME OF A MINORITY GUARGE (E IN THIS CASE) INSIDE THE BASE REGION -> TECHNOLOGICAL CONSTANT ic = Iz. exp (NE) WE CAN LINEARLE THE FUNCTION $G_{B} = \left(O_{BE} \right)$ AROUND THE DEVICE OP $C_{diff} \stackrel{a}{=} \frac{\partial Q_{B}(v_{BE})}{\partial v_{BE}} = c_{F} \cdot \frac{I_{C}}{I_{C}} = c_{F} \cdot g_{m}$ CULT IS THE MAIN COMPONENT OF THE CAPACITANOS (SMALL SIGNAL) THAT WE OAN MEASURE AT THE B-E PORT, THAT is CALLED Cre = Calife + CJRE = Calife

NEGLIGIBLE DE TO JE BEING FORWARD BLASED

WE ALSO HAVE A SECOND CHARGE STOPPOE MECHANISM, DUE TO SATICE CHARGE REGIONS. THIS EFFECT IS MORE RELEVANT FOR THE GB JUNCTION THAT IS REVERSE - BIASED.

QøGB ≈ 0.75 V

AS A RULE OF THOMES CHICCON

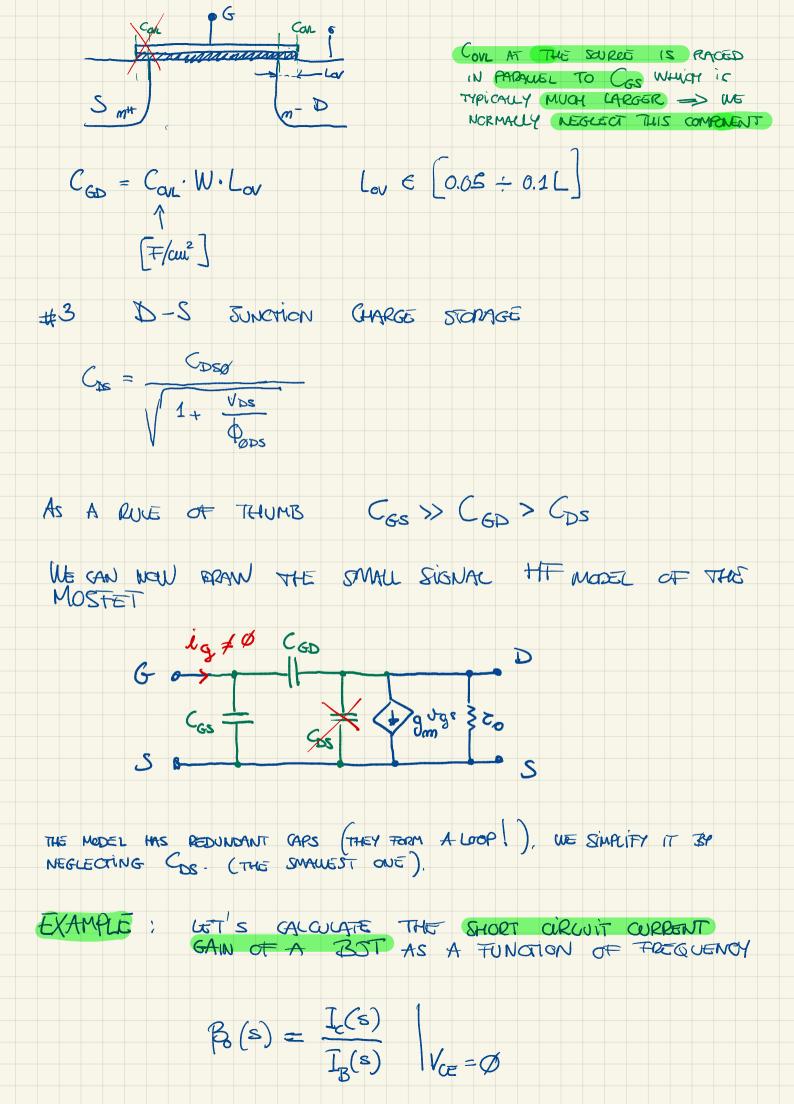
N CONCLUSION: THE HIGH POEDNENCY MODEL OF THE BOT (SMALL SIGNAL MODEL) IS THE FOLLOWING: B 9 Die + Ē / MOSTET S AND B NOT SHORT CIRCUITED IN THE CINEAR OPEDATING REGION (SATURATION) nt type M-Type SCR is . THE DEVICE IS STORING SHORT - ORWITED CHARGE AT 3 DIFFERENT P-type LOCATIONS

SCR DRAIN

#1 GATE CHARGE STORAGE f (NGS)

 $C_{6S} = \frac{2}{2} C_{X} W L$ where $C_{0X} = \frac{\mathcal{E}_{SO_2}}{\mathcal{E}_{cx}} \left[\frac{F}{au^2} \right]$

#2 OVERLAP GARGE STORAGE



ib A Ge CHE MARE TO AMP-METER UE ARE CONSIDERING A SPECIFIC OP -> THE, CH, CH, gm, 6 ARE WE KEED TO TIND $i_{c} = f(i_{b}) \longrightarrow B_{o}(s)$ (1) k(L AT COLECTOR NODE $\hat{l}_{cu} + \hat{l}_{c} = g_{m} v_{ro}$ (2) GARACITOR (μ EQUATION $D_{C\mu} = SC_{\mu} (U_{te} - \emptyset) = S(\mu U_{te})$ (3) RUL AT BASE $U_{te} = i_b \cdot \frac{T_{te}}{1 + sC_{te}(G_{te}+C_{te})}$ USING (3) AND (2) INTO (2) $U \in FIND$ $\int_{0}^{\infty} VAUE \ OF \ \beta_{e}(S)$ $i_b SC_{\mu} \cdot \frac{T_{ee}}{1 + sT_{te}(C_{te}+C_{\mu})} + i_c - g_{m} i_b \frac{T_{te}}{1 + sT_{te}(G_{te}+C_{\mu})} = \emptyset$ $-i_{b} \frac{-sz_{v}C_{u}+Po}{4+sz_{v}(C_{v}+C_{u})} + i_{c} = \emptyset$ $B_{\sigma}(s) \stackrel{\Delta}{=} \frac{J_{c}(s)}{I_{B}(s)} = B_{o} \frac{(1 - s)}{(1 - s)} \frac{RHP}{3m} \frac{2ERO}{2}$ $\frac{\omega_{ZZ}}{\omega_{PZ}} = \frac{9m}{Cu} \cdot \frac{3}{cre}(Cre+Cu) = \frac{2}{Po}\left(1 + \frac{Cre}{Cu}\right) \approx 10^{3}$ $\frac{\omega_{ZZ}}{\omega_{PZ}} = \frac{9m}{Cu} \cdot \frac{3}{cre}(Cre+Cu) = \frac{2}{Po}\left(1 + \frac{Cre}{Cu}\right) \approx 10^{3}$ $\frac{10}{cu} = \frac{10}{cu} \cdot \frac{10}{cu} = \frac{10}{cu} \cdot \frac{10}{cu}$ $\omega_{z\beta} = \frac{9m}{C\mu}$ $\omega_{\beta} = \frac{1}{\tau_{re} (C_{re} + C_{\mu})}$